

# ECMWF Data Assimilation Training course

## Land Surface Data Assimilation

Patricia de Rosnay

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Room: 1006 Extension: 2625

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# ECMWF Data Assimilation Training course

## Land Surface Data Assimilation

Patricia de Rosnay

- **Land surface processes**
  - Why it is important in NWP?
  - What are the variables we are analysing?
    - ➔ How do we analyse them?
    - ➔ Which observations are used?

P. de Rosnay

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# Outline

## Part I (Monday 16 March)

- **Introduction**
- Snow analysis
- Screen level parameters analysis

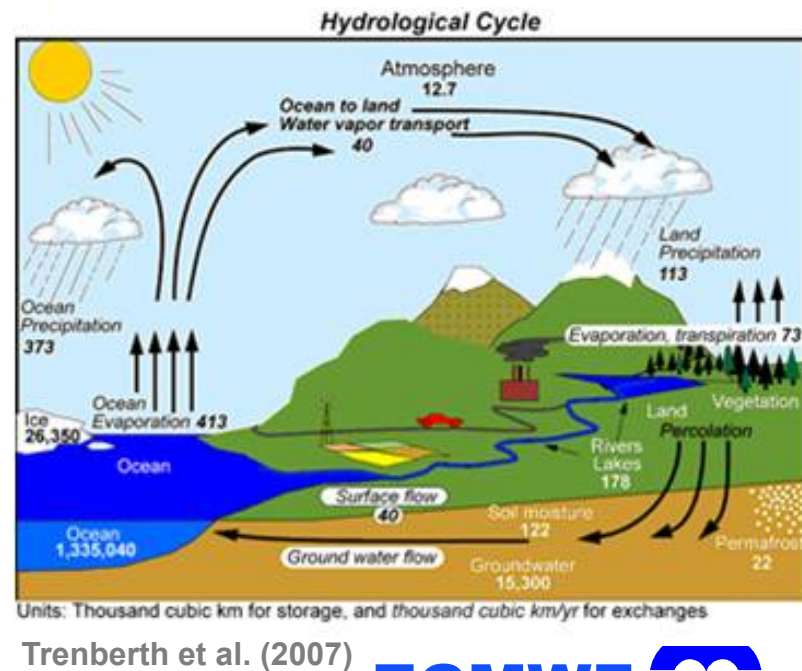
## Part II (Tuesday 17 March)

- Soil moisture analysis
- Summary and future plans

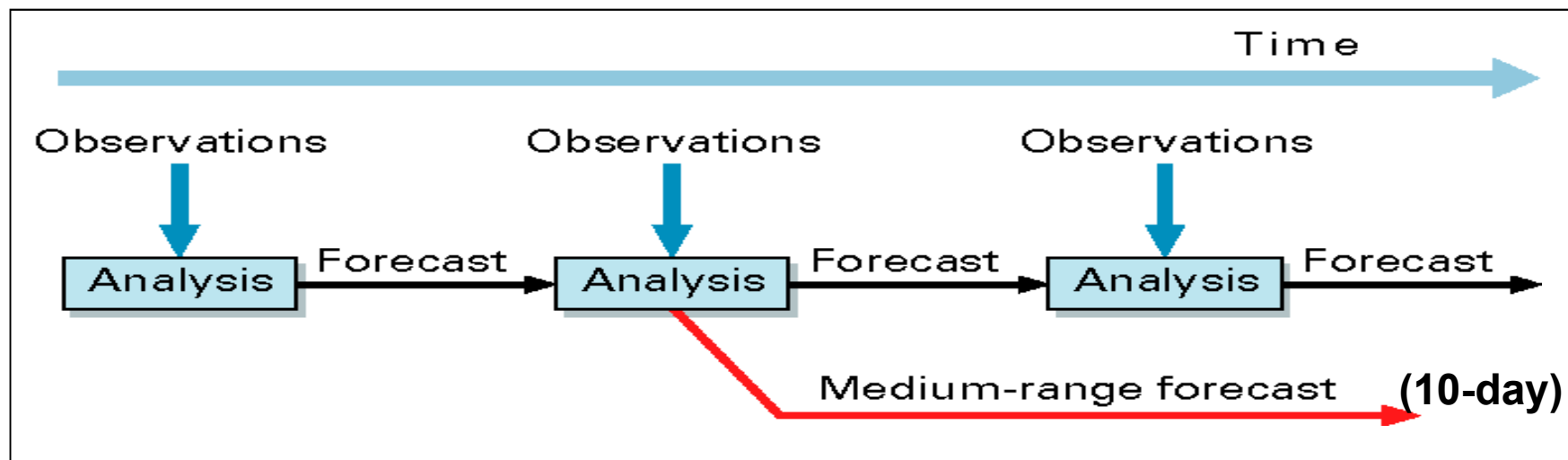
# Introduction: Land Surface in NWP

- **Land surfaces:** Boundary conditions at the lowest level of the atmosphere
- **Land surface processes** → Continental hydrological cycle, interaction with the atmosphere on various time and spatial scales, strong heterogeneities
- Crucial for near surface weather conditions, whose high quality forecast is a key objective in NWP
- Land Surface Models (LSMs) prognostic variables include:
  - Soil moisture
  - Soil temperature
  - Snow water equivalent, snow temperature, snow density

- Land surface initialization:  
Important for NWP & Seasonal Prediction  
(Beljaars et al., Mon. Wea. Rev, 1996, Koster et al., 2004 & 2011)



# Introduction: ECMWF Integrated Forecasting System (IFS) data assimilation system



## Data Assimilation System:

Provides best possible accuracy of initial conditions to the forecast model

- 4D-Var for atmosphere
- Land surface data assimilation
- SST and Sea Ice analysis



- Surface and upper air analyses are running separately in parallel
  - Feedbacks provided through the first guess forecast initialised with the analysed fields
- Surface and Atmospheric DA are weakly coupled

# Introduction:

## Land Surface Data Assimilation (LDAS)

### Snow depth analysis

- Approaches: Cressman (DWD, ECMWF ERA-I), 2D Optimal Interpolation (OI) (ECMWF, CMC, JMA)
- Observations: *in situ* snow depth and NOAA/NESDIS IMS Snow Cover

### Soil Moisture analysis

- Approaches:
  - 1D Optimal Interpolation (Météo-France, CMC, ALADIN and HIRLAM)
  - Analytical nudging approach (BoM)
  - Simplified Extended Kalman Filter (EKF) (DWD, ECMWF, UKMO)
- Conventional observations: SYNOP data of 2m air relative humidity and air temperature ; **Dedicated 2D OI screen level parameters analysis**
- Satellite data : ASCAT soil moisture (UKMO), SMOS (dvpt ECMWF, UKMO, Env.Canada)

### Soil Temperature and Snow temperature also analysed

- 1D OI for the first layer of soil and snow temperature (ECMWF, Météo-France)

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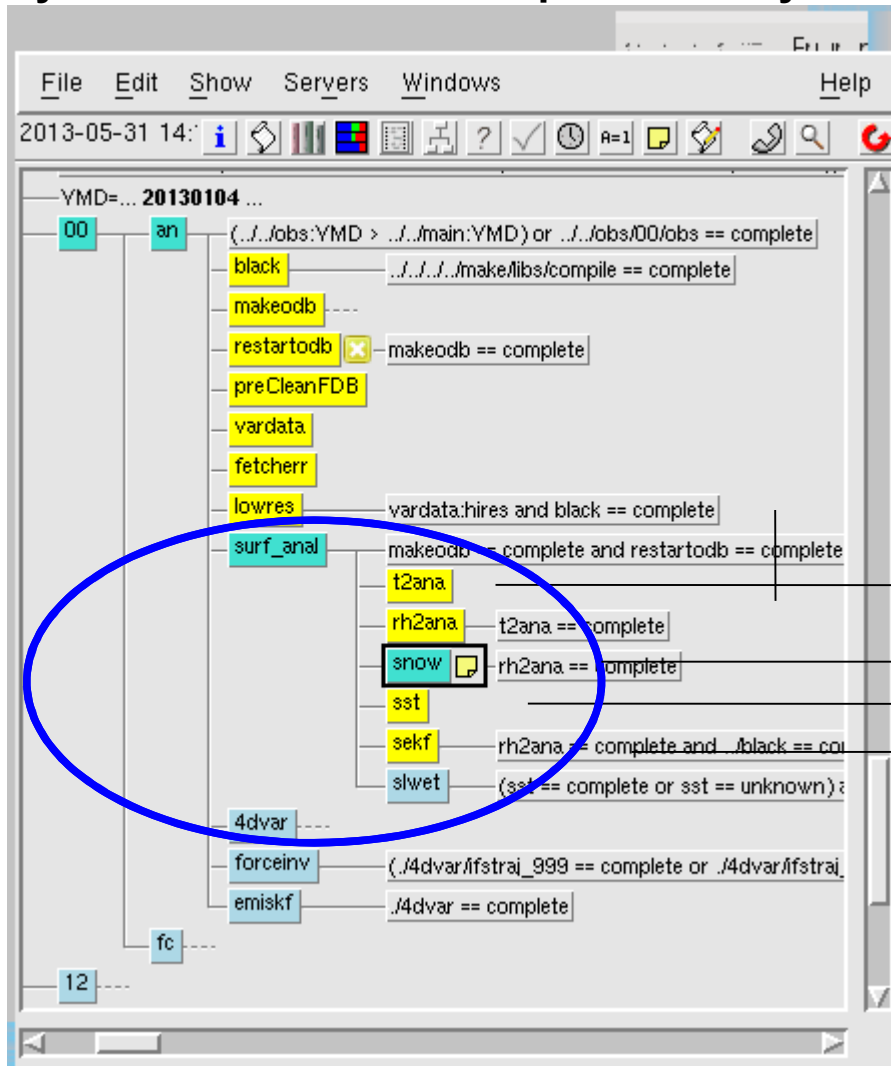
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# Introduction: LDAS tasks organisation

IFS cycle 40r1 is the current operational cycle



**SMS: Supervisor Monitor Scheduler**

Different tasks performed

Colour code:

- Yellow: task completed
- Green: running
- Blue: in queue
- Red: failed

Screen level parameters

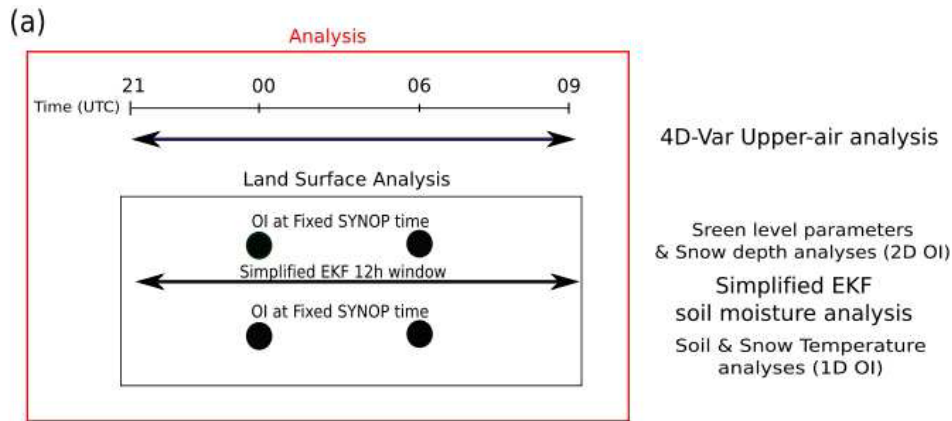
Snow

SST and Sea Ice

Soil Moisture  
and Temperature

Surface and 4D-Var are running separately and in parallel.

# LDAS components and tasks organisation

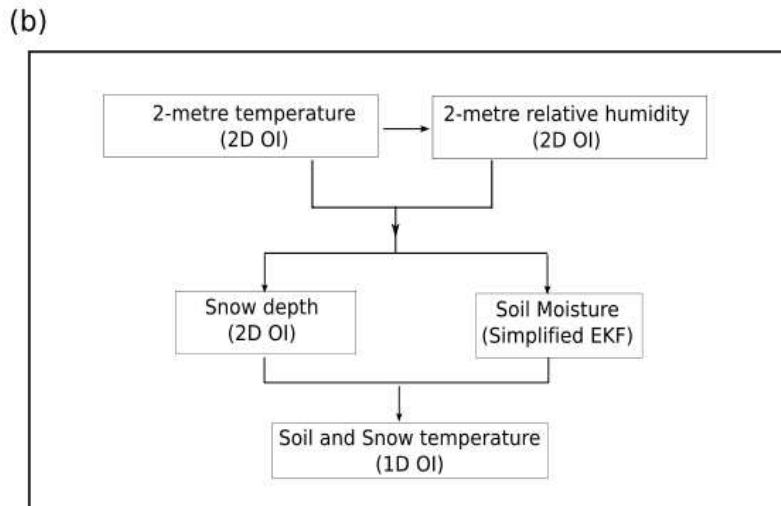


LDAS & 4D-Var are run separately

## LDAS

- 2D OI: Screen-level for T and humidity, Snow depth
- SEKF: Soil moisture
- 1D OI: Snow & soil temperature

Analysed surface fields: used as initial conditions for the next forecast



➔ Influence the forecast which will be used as first guess for the next data assimilation window, for both 4D-Var and LDAS

➔ Feedback to the atmosphere

# Outline

## Part I (Monday)

- Introduction
- **Snow analysis**
- Screen level parameters analysis

## Part II (Tuesday)

- Soil moisture analysis
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# Snow data assimilation

## Snow Model: Component of H-TESSSEL

(Balsamo et al., JHM 2009, Dutra et al., 2010)

- Snow depth  $S$  (m) (diagnostic)
- Snow water equivalent SWE (m), ie snow mass
- Snow Density  $\rho_s$ , between 100 and 400 kg/m<sup>3</sup>

} Prognostic variables

$$S = \frac{1000 \cdot SWE}{\rho_s} [m]$$

## Observations types used:

- Conventional snow depth data: SYNOP and National networks
- Snow cover extent: NOAA NESDIS/IMS daily product (4km)

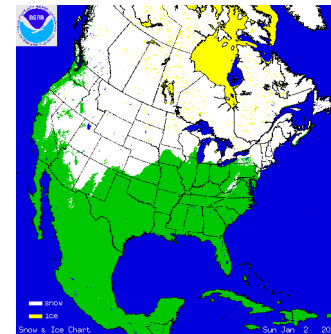
Drusch et al. JAM, 2004 ; de Rosnay et al, SG 2013

de Rosnay et al. Res. Mem. R48.3/PdR/1028 2010,  
and Res. Mem. R48.3/PdR/1139 2011

## Data Assimilation Approaches:

- Cressman Interpolation in ERA-Interim
- Optimal Interpolation in operations

de Rosnay et al, Survey of Geophysics 2013



# NOAA/NESDIS IMS Snow extent data

## Interactive Multisensor Snow and Ice Mapping System

- Time sequenced imagery from geostationary satellites
- AVHRR,
- SSM/I
- Station data

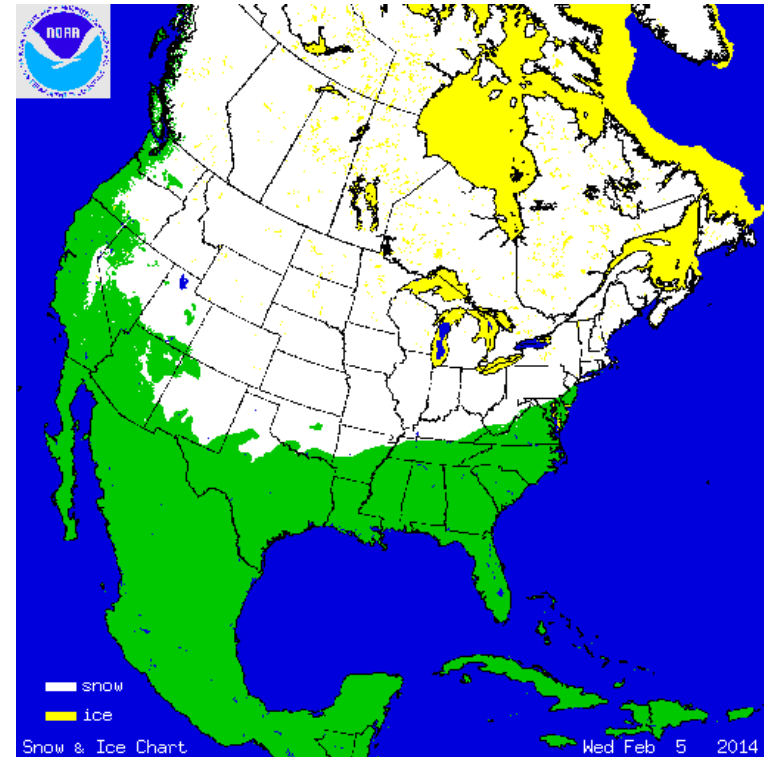
## Northern Hemisphere product

- **Daily, no time stamp**
- Polar stereographic projection

## Information content: Snow/Snow free

Data used at ECMWF:

- **24km product in Grib**  
Used in ERA-Interim (2004-present)  
and in operations (2004-2010)
- **4 km product in Ascii**  
Revised pre processing  
Used in operations (Nov 2010-present)

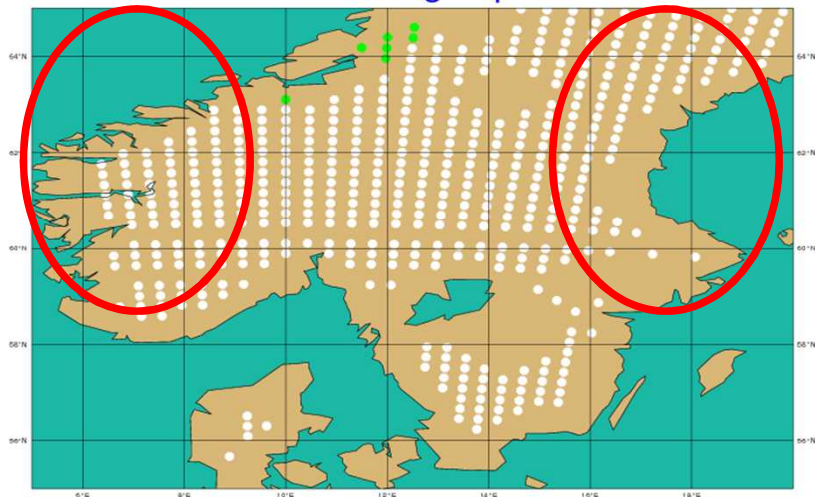


**IMS Snow Cover 5 Feb. 2014**

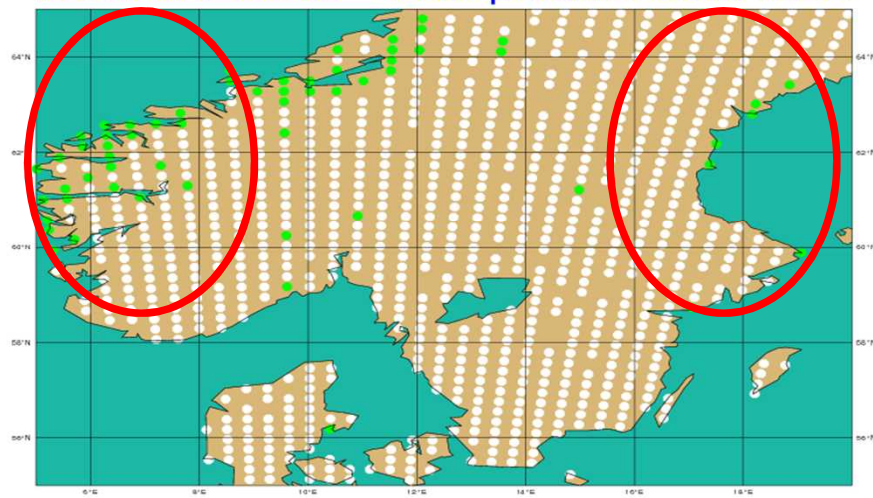
More information at: <http://nsidc.org/data/g02156.html>

# Snow Cover 24km vs 4km product

NOAA/NESDIS - 24 km grib product 20091222



NOAA/NESDIS - 4 km product 20091222



## IMS Products after pre-processing at ECMWF

- Coast mask applied in the 24km product (lack of geolocation information in the grib product)
- Data thinning (1/36) of the 4km product -> same data quantity, improved quality

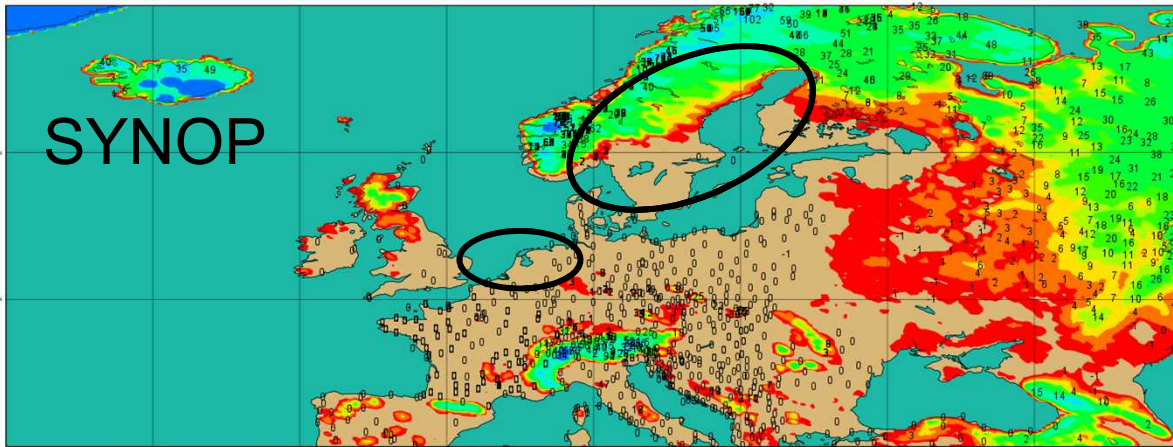
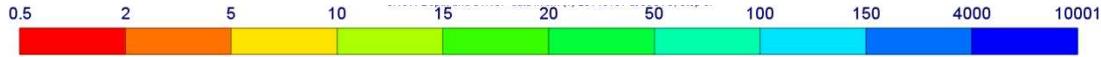
4km product provides more local information than 24km product

→ consistent with the way IMS is used in the data assimilation system



# Snow SYNOP

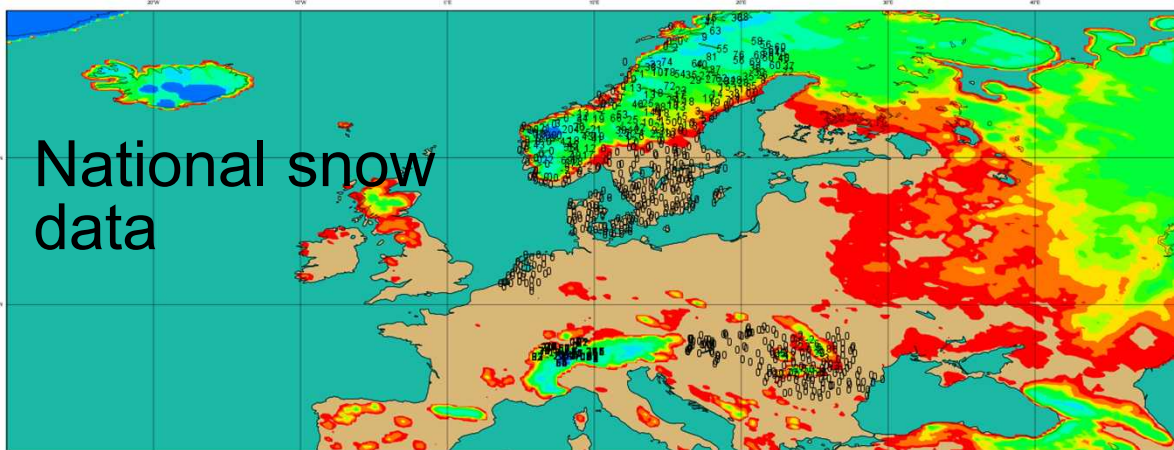
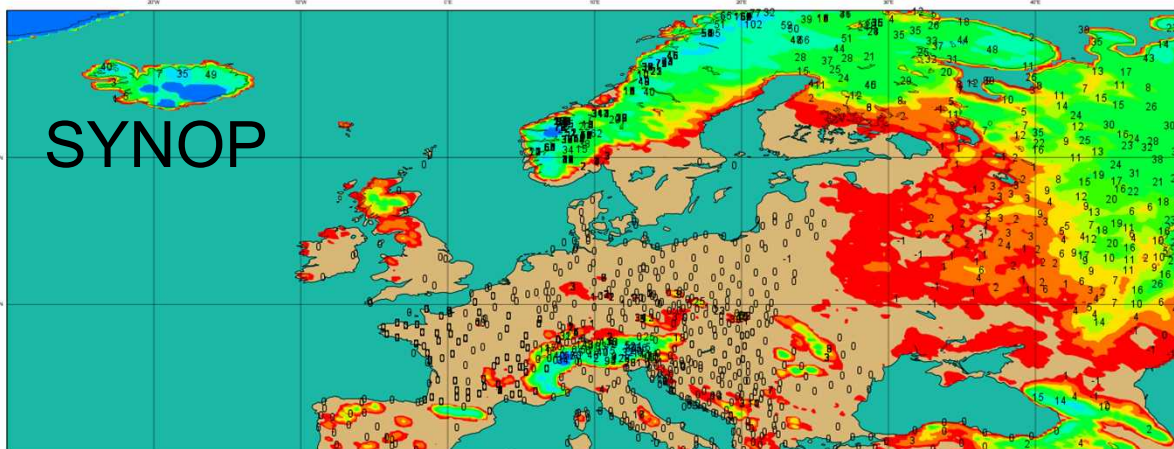
2014 01 01 at 06UTC





# Snow SYNOP and National Network data

2014 01 01 at 06UTC



**Additional data from national networks from 7 countries:**

Sweden (>300), Romania(78), The Netherlands (33), Denmark (43), Hungary (61), Norway (183), Switzerland (332).

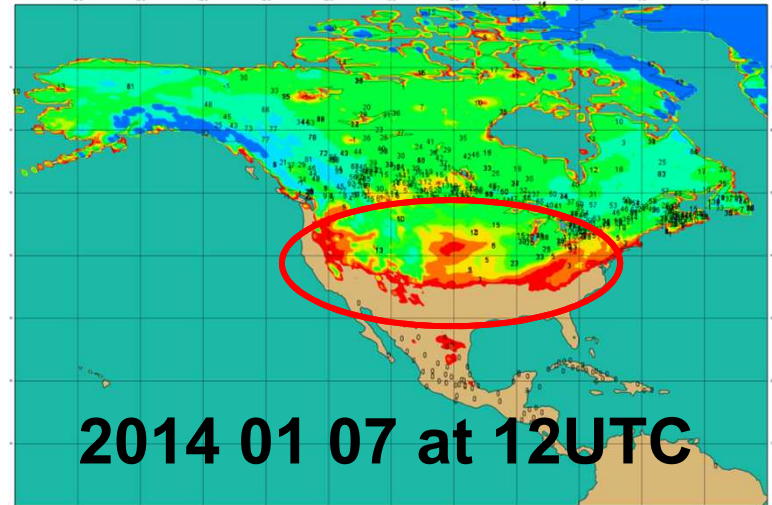
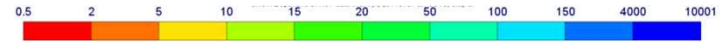
→ Dedicated BUFR

(de Rosnay et al. ECMWF Res. Memo, R48.3/PdR/1139, 2011)

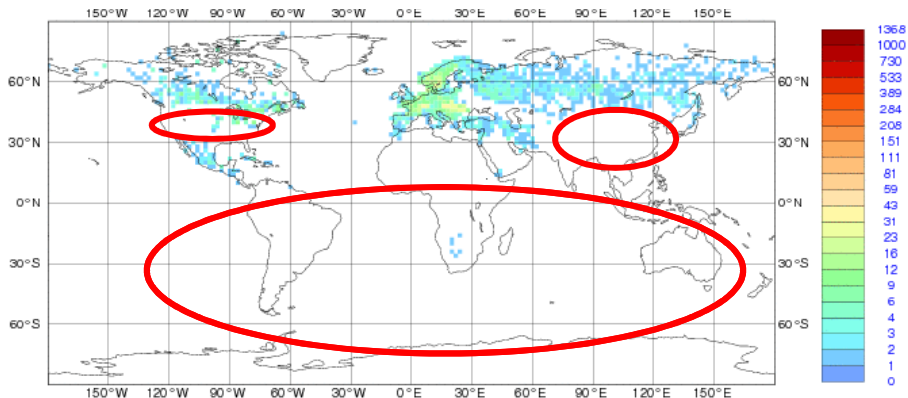
# SYNOP Snow depth availability

ECMWF Operational monitoring of SYNOP snow depth: number of observations on 2014 01 04 at 00UTC (21-09 UTC):  
observations gap in USA, China and southern hemisphere

<http://www.ecmwf.int/products/forecasts/d/charts/monitoring/conventional/snow/>

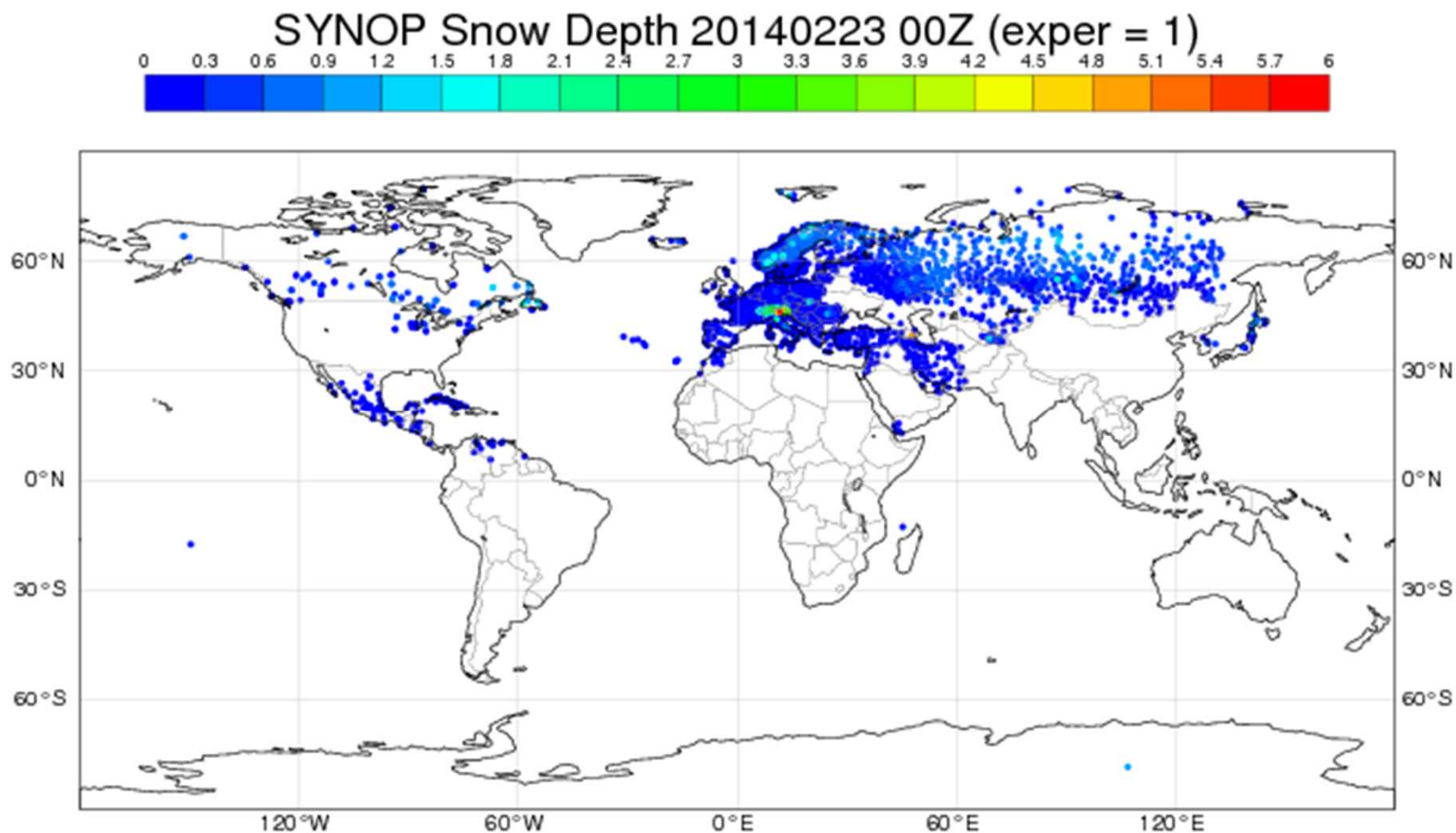


GCW Snow Watch initiative to improve in situ snow depth data access (NRT and rescue), Brun et al 2013



# Snow depth observations

Snow depth observations available (>4500 per day in winter time)



# Snow Analysis at ECMWF

## Pre-Processing:

- SYNOP reports converted into BUFR files.
- IMS converted to BUFR (and orography added)
- SYNOP BUFR data is put into the ODB (Observation Data Base)

## Snow depth analysis at 00, 06, 12, 18 UTC :

- **Cressman interpolation:** Operations: 1987-2010  
Still used in ERA-Interim
- **Optimal Interpolation (OI):** Operational since November 2010

(de Rosnay et al; SG 2013)

Use NESDIS IMS data in the OI (00 UTC):

NESDIS:	1 <sup>st</sup> Guess:	Snow	No Snow
Snow		x	DA 5cm
No Snow		DA	DA

enter the analysis with a snow depth of 0 cm (snow free) or 5 cm (snow covered, used only if the model first guess is snow free)

Background error:  
 $\sigma_b = 3\text{cm}$

Observation errors:  
SYNOP  $\sigma_{\text{SYNOP}} = 4\text{cm}$   
IMS  $\sigma_{\text{ims}} = 8\text{cm}$

# Snow depth Optimal Interpolation

Used at CMC, JMA, ECMWF

Based on Brasnett, j appl. Meteo. 1999

- Observed first guess departure (obs.-fg),  $[\Delta S_i]$  are computed from the interpolated background at each observation location  $[i]$
- The analysis increments  $[\Delta S_j^a]$  at each model grid-point  $[j]$  are then expressed as :

$$\Delta S_j^a = \sum_{i=1}^N w_i \times \Delta S_i$$

- The optimum weights  $[w_i]$  are given for each grid point  $j$  by  $\mathbf{w} = (\mathbf{B} + \mathbf{R})^{-1} \times \mathbf{b}$
- $\mathbf{b}$  ; the vector of correlation coefficients of the background field error between the observations and the grid point
- $\mathbf{B}$  ; the correlation coefficient matrix of background field errors between all pairs of observations
- $\mathbf{R}$  ; the covariance matrix of observational errors

$\sigma_b$  the standard deviation of background errors (3cm),  $\sigma_o$  that of observation errors (4cm in situ, 8cm IMS)

# Snow depth Optimal Interpolation

Used at CMC, JMA, ECMWF

Based on Brasnett, j appl. Meteo. 1999

- The correlation coefficients of **B** and **b** are vital to the method and are assumed to have the form (structure function)

$$\mu(i_1, i_2) = \left(1 + \frac{r_{i_1 i_2}}{L_x}\right) \exp\left(-\left[\frac{r_{i_1 i_2}}{L_x}\right]\right) \cdot \exp\left(-\left[\frac{z_{i_1 i_2}}{L_z}\right]^2\right)$$

- $r_{i_1, i_2}$  and  $Z_{i_1, i_2}$  the horizontal and vertical distances between points  $i_1$  and  $i_2$
- **Lz**: vertical length scale: 800m, **Lx**: horizontal length scale: 55km
- Quality Control: reject observation if  $\Delta S_i > \text{Tol} (\sigma_b^2 + \sigma_o^2)^{1/2}$  with  $\text{Tol} = 5$ 
  - ➔ Observation rejected if first guess departure larger than 25 cm
  - ➔ Redundancy rejection: use observation reports closest to analysis time (use a maximum of 50 observations per grid point)



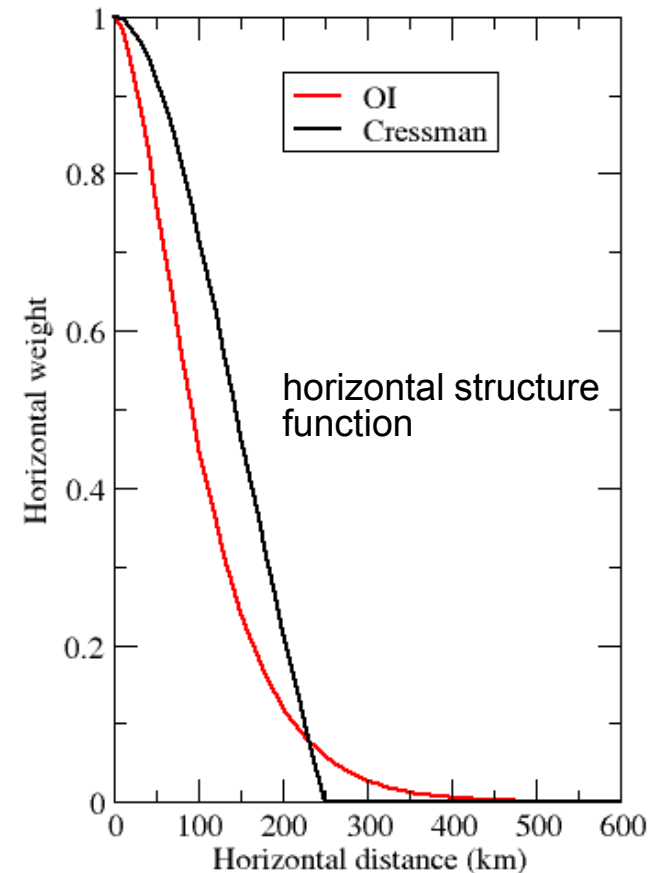
# OI vs Cressman

In both cases:  $\Delta S_j^a = \sum_{i=1}^N w_i \times \Delta S_i$

**Cressman (1959):** weights are function of horizontal and vertical distances. Do not account for observations and background errors.

**OI:** The correlation coefficients of B and b follow a second-order autoregressive horizontal structure and a Gaussian for the vertical elevation differences.

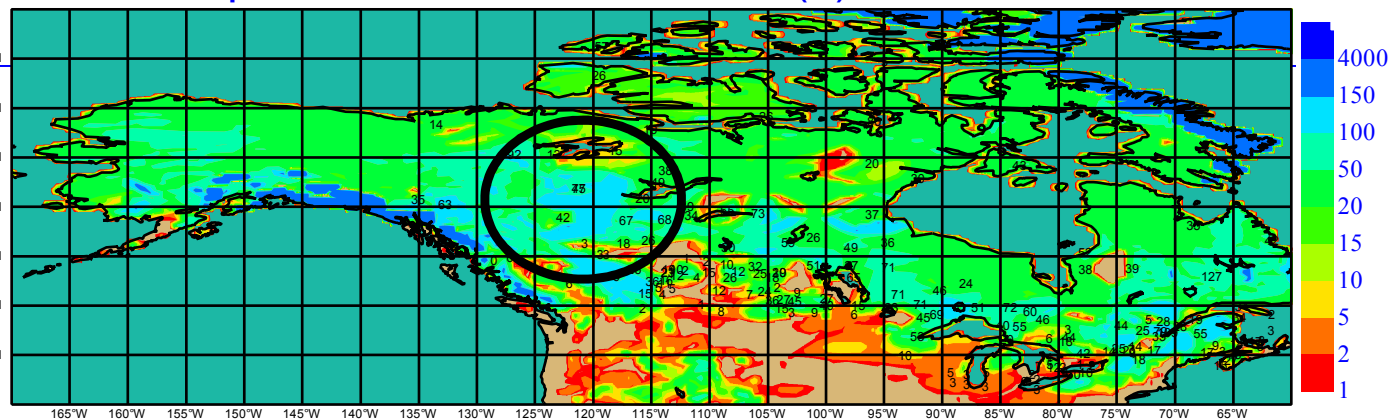
OI has longer tails than Cressman and considers more observations. Model/observation information optimally weighted using error statistics.



# Some issues in the Cressman Snow analysis

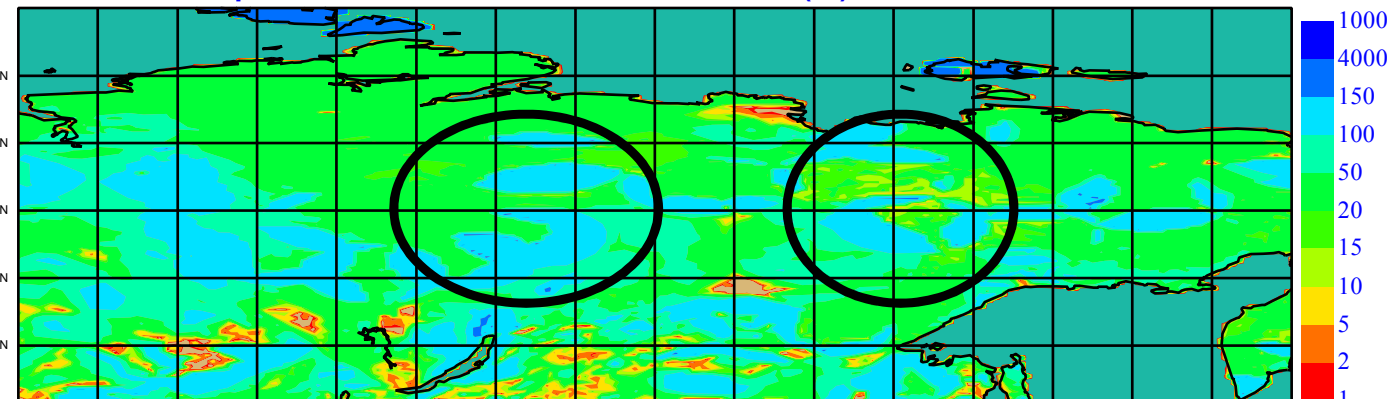
“Bull’s eyes” (or “PacMan”) Snow Patterns where observations are scarce  
Due to the Cressman interpolation (as indicated in Kalnay, 2003)

SNOW Depth and SYNOP data in cm (1) 20050220 at 12UTC



North  
America  
2005

SNOW Depth and SYNOP data in cm (1) 20070212 at 12UTC



Siberia  
2007



## Validation data: NWS/COOP

- NWS Cooperative Observer Program
- Independent data relevant for validation
- Used to validate a set of numerical experiments considering different assimilation approaches and IMS snow cover

Numerical Experiments	Bias (cm)	R	RMSE (cm)
Cressman, IMS 24 km	1.1	0.66	18.0
OI, IMS 24 km	- 2.0	0.74	10.1
OI, IMS 4km	- 2.1	0.73	10.3
OI, IMS 4km <1500m	- 1.5	0.74	10.1

- Oper until Nov 2010
- ERA-Interim

- Oper since Nov 2010

Validation against ground data

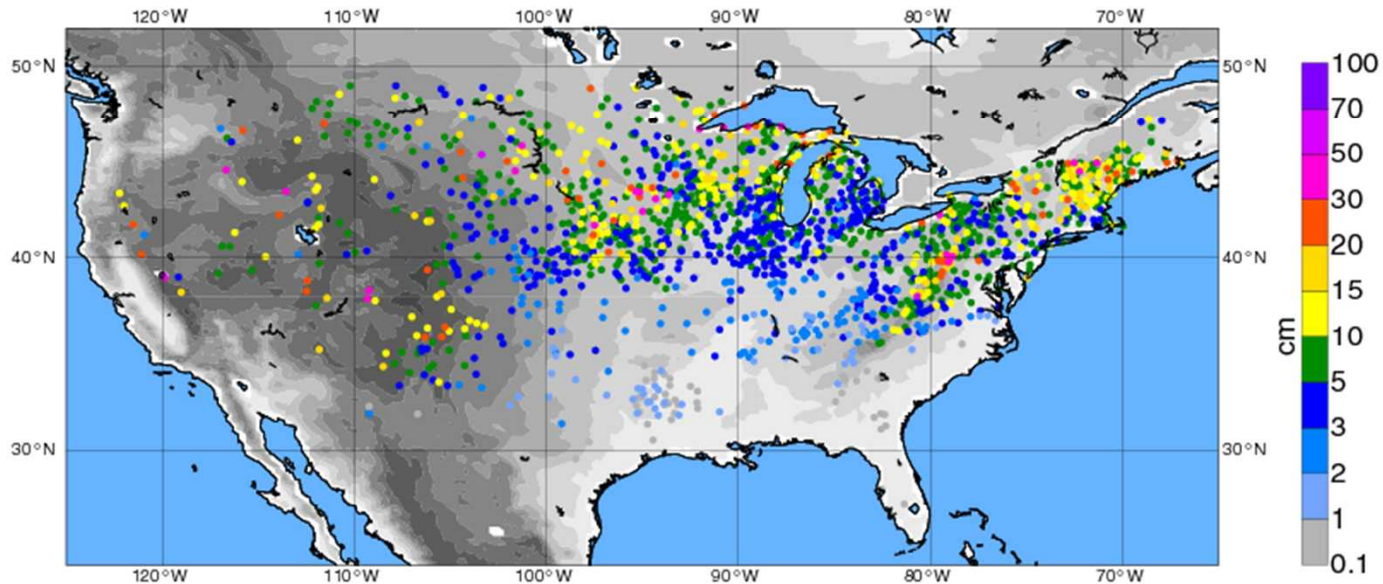
→ Main improvement due to the OI compared to Cressman

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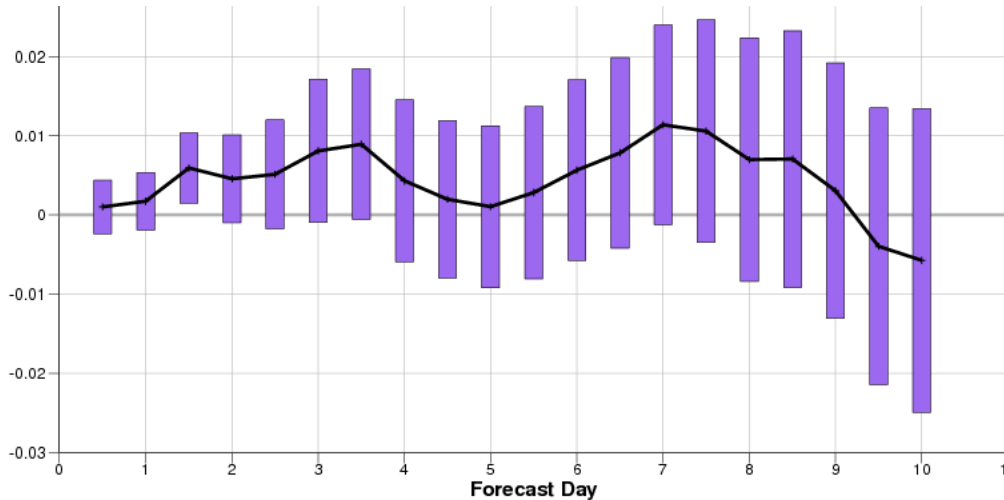
## RMSE (cm) for the new snow analysis (OI, IMS 4km except in mountainous areas)

Model-COOP RMSE, Snow Depth, figg, Winter 2010, AN time: 0/6/12/18 (Z)  
Mean=10.06 cm (1653pts)



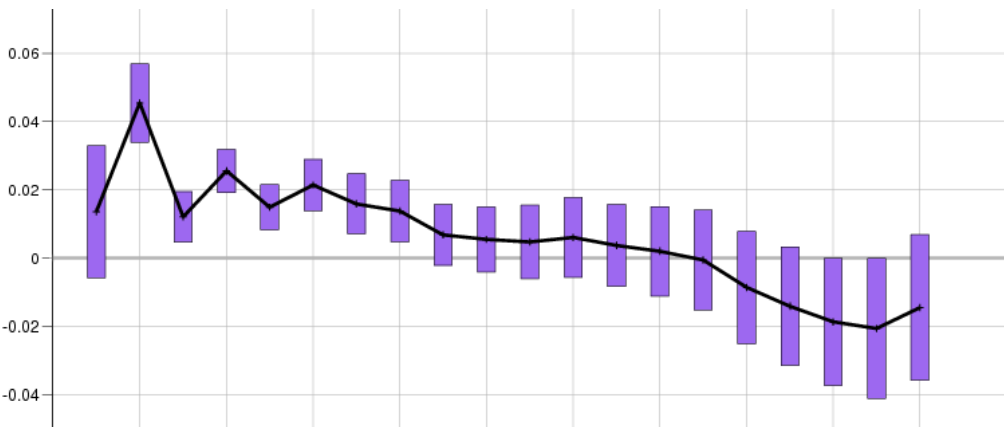
# Impact on the Atmospheric Forecasts

RMS 1000hPa Geopotential height  
Northern Hemisphere  
DJF 2009-2010



Top: OI vs Cressman impact  
(both use IMS 24km)

Positive means OI improves



Bottom: Overall impact

New OI, IMS 4km  
vs Cressman, IMS 24km

Positive means new analysis  
improves

Validation with atmospheric forecasts

→ Main improvement due to the IMS 4km and pre-processing

# OI snow Analysis in Operations From Nov 2010

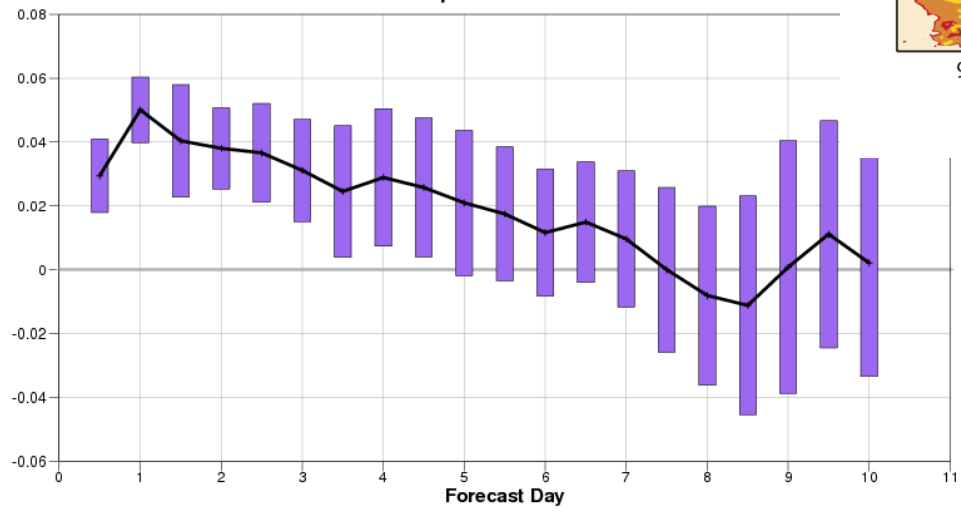
Old: Cressman  
IMS 24km

New: OI

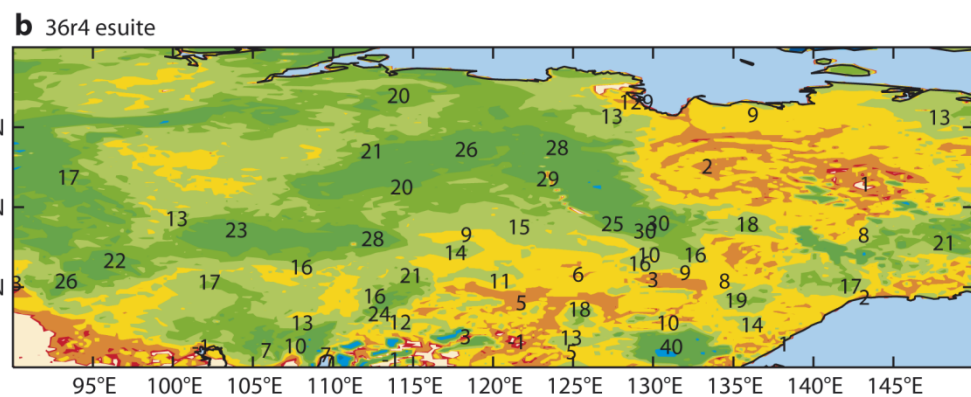
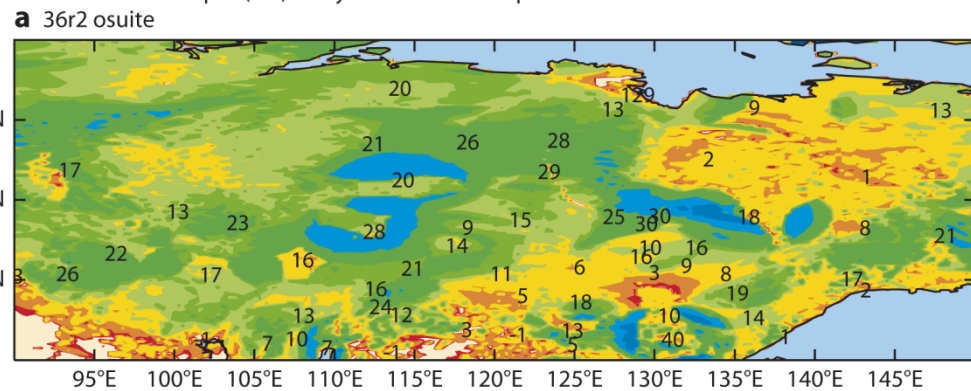
IMS 4km & new preprocessing

FC impact (East Asia)  
RMSE 500 hPa Geopot H

Confidence: 90%  
Population: 90



Snow depth (cm) analysis and SYNOP reports on 30 October 2010 at 00 UTC



New snow analysis improves  
both the snow depth patterns  
and the atmospheric forecasts

# Snow Analysis latest improvements

- 2010: replace Cressman by OI and improved IMS use (4km data and revised preprocessing)
- 2013: further improvement in the ECMWF snow analysis in IFS 40r1:
  - Revised observations error specification for IMS snow cover and assimilation of 5cm of snow instead of direct insertion,
  - Generic snow blacklist,
  - Revised surface analysis code and Observation data base (ODB) feedback
  - New Land surface observations monitoring for conventional and IMS data

<https://software.ecmwf.int/wiki/display/LDAS/Land+Surface+Observations+monitoring>

# Snow Analysis latest improvements

## Improved use of NESDIS/IMS snow cover data

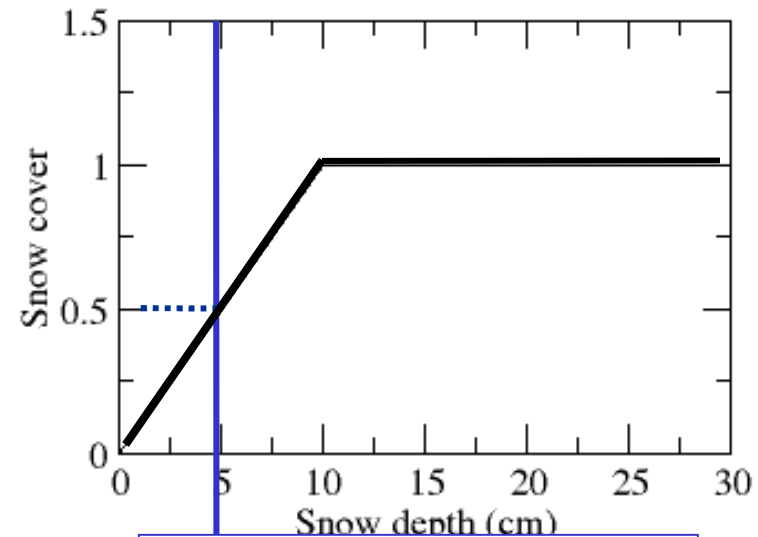
Current version:  
Cycle 40r1:

NESDIS \ FG	Snow	No Snow
Snow	x	DA 5cm
No Snow	DA	DA

↓  
**OI**

### 40r1 errors:

BG:  $\sigma_b = 3\text{cm}$   
 SYNOP  $\sigma_{\text{SYNOP}} = 4\text{cm}$   
 IMS  $\sigma_{\text{ims}} = 8\text{cm}$



### 40r1:

- Obs assimilated
- SC=1 → SD=5cm

# Snow Analysis latest improvements

## Improved use of NESDIS/IMS snow cover data

### Previous version: IFS Cycle 38r2

NESDIS \ FG	Snow	No Snow
Snow	x	<b>BG: 10cm</b>
No Snow	DA	DA

**38r2:**

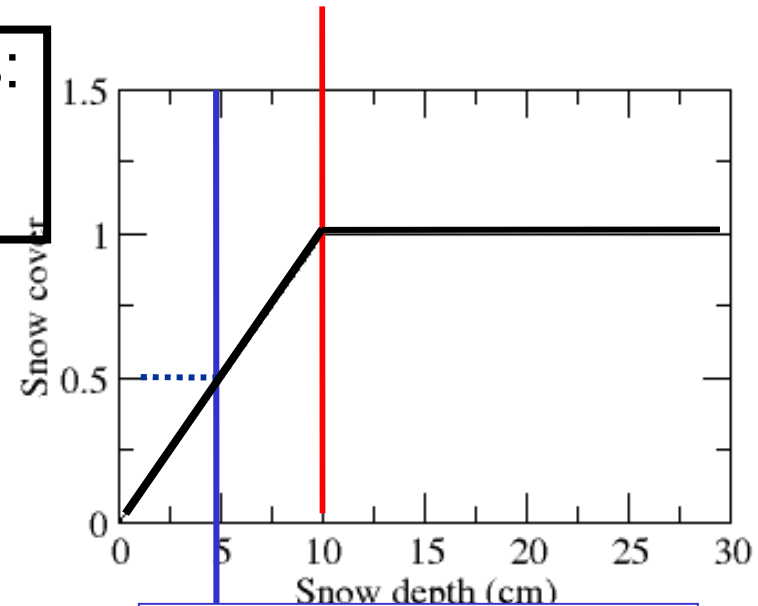
- BG overwritten
- SC=1 → SD=10cm

OI

Previous cycles errors:  
 BG:  $\sigma_b = 3\text{cm}$   
 OBS:  $\sigma_{\text{SYNOPSIS}} = 4\text{cm}$

### Current version: Cycle 40r1:

NESDIS \ FG	Snow	No Snow
Snow	x	DA 5cm
No Snow	DA	DA



**40r1:**

- Obs assimilated
- SC=1 → SD=5cm

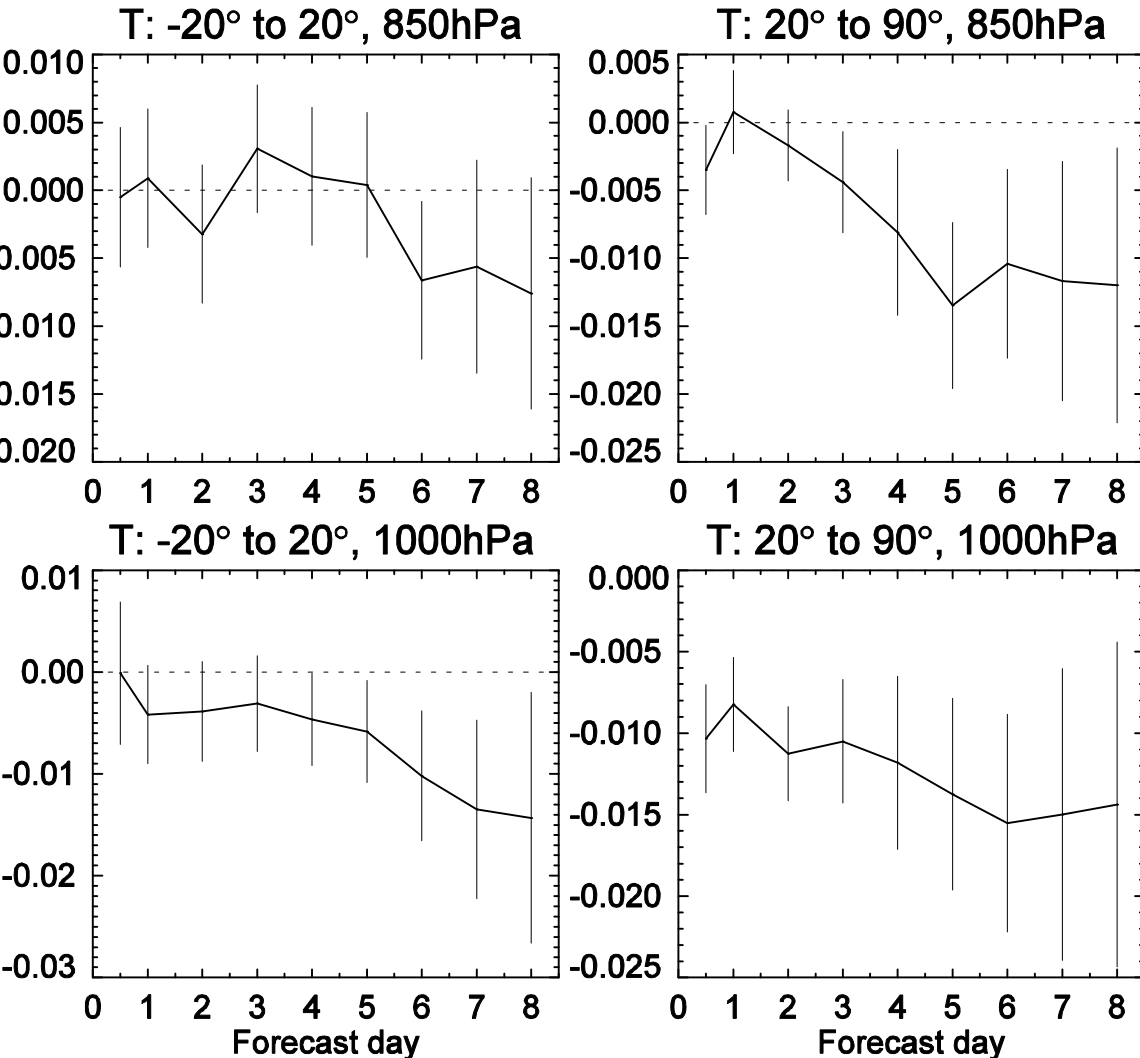
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BG:  $\sigma_b = 3\text{cm}$   
 SYNOPSIS  $\sigma_{\text{SYNOPSIS}} = 4\text{cm}$   
 IMS  $\sigma_{\text{ims}} = 8\text{cm}$

# Snow analysis latest improvements: Temperature FC verification

## Tropics

## NH extra-tropics



**Temp FC RMSE**  
Verified against own  
analysis  
(20 Dec 12 – 08 Mar 13)

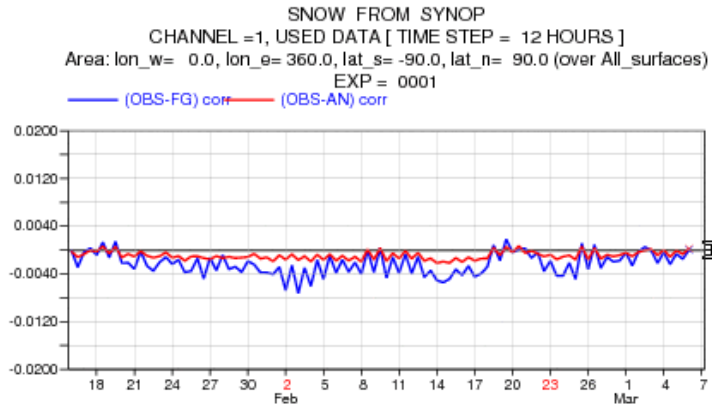
**40r1-38r2 (current-  
previous cycle)**

Improved use of IMS  
snow cover → Significant  
impact on the  
atmosphere and error  
reduction in forecasts

de Rosnay et al. in prep 2014

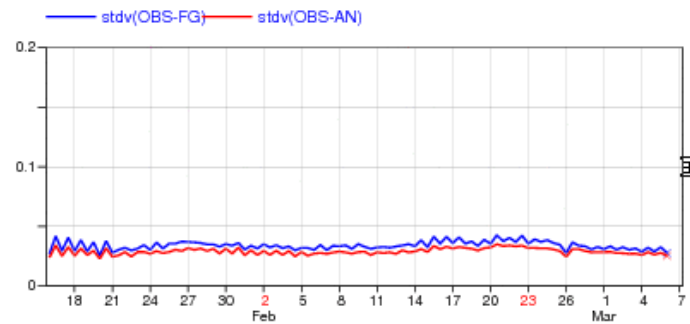


# Snow observations monitoring

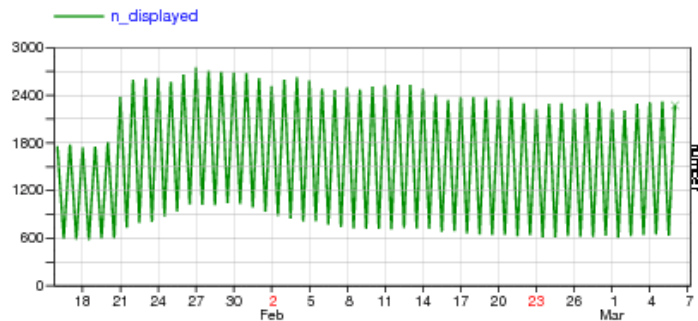


Global first guess departure

Global analysis departure



Standard deviation of departure statistics



Number of in situ observations used:  
~600 to 2500 per 12 hours

2014

# Summary on Snow Analysis

- Large sensitivity of atmospheric forecasts to snow data assimilation (DA method, observations pre-processing, error specification)
- Current snow analysis based on 2D-OI (CMC, JMC, ECMWF), old approach was based on Cressman (still used in ERA-Interim)
- Importance of in situ snow depth data availability
- Scarce snow depth observations in some areas → European initiative (new BUFR for additional snow data) – action to extend it to WMO Member States
- Snow cover data used (NOAA/NESDIS IMS product)
- **No** use of Snow Water Equivalent product in NWP
- Future investigations on using satellite radiances

# Outline

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- Snow analysis
- **Screen level parameters analysis**

## Part II (Tuesday)

- Soil moisture analysis
- Summary and future plans



# Screen Level parameters analysis

- Screen level variables: 2m Air Temperature (T2m) and air Relative humidity (RH2m), both diagnostic variables.
- Analysis based on an Optimal Interpolation using SYNOP observations, every six hours: 00UTC, 06UTC, 12UTC, 18UTC.
- Screen level analysis increments are used for the soil moisture analysis (OI system, e.g. at Météo-France and ECMWF ERA-Interim),
- Screen level analysis fields are used as input of the SEKF soil moisture analysis (ECMWF)
- T2m and RH2m are diagnostic variables of the model, so their analysis only has an indirect effect on atmosphere through the soil and snow variables.
- Relevance of screen level analysis for evaluation purposes

# OI Screen Level parameters analysis

Mahfouf, J. Appl. Meteo. 1991, & ECMWF News Lett. 2000

## Same approach as snow analysis:

- Observed first guess departure (obs.-fg),  $[\Delta S_i]$  are computed from the interpolated background at each observation location  $[i]$
- The analysis increments  $[\Delta S_j^a]$  at each model grid-point  $[j]$  are then expressed as :

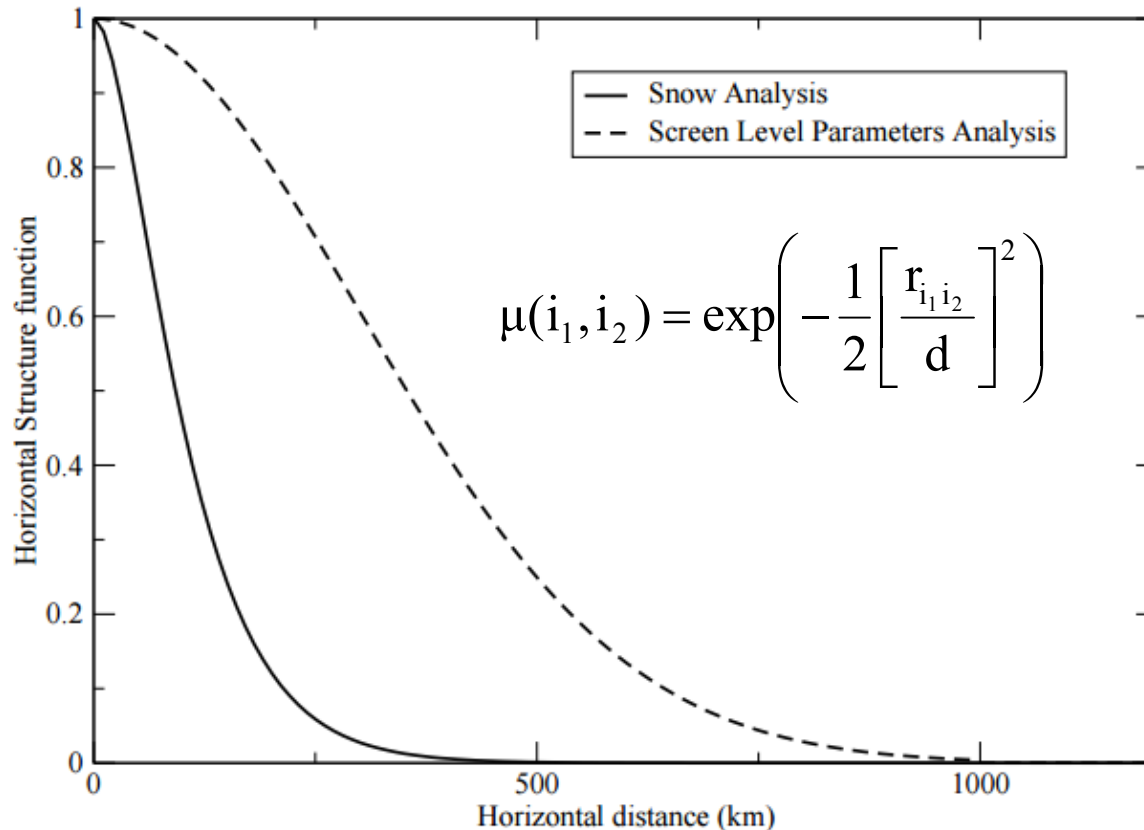
$$\Delta S_j^a = \sum_{i=1}^N w_i \times \Delta S_i$$

- The optimum weights  $[w_i]$  are given for each grid point  $j$  by  $\mathbf{w} = (\mathbf{B} + \mathbf{R})^{-1} \times \mathbf{b}$
- $\mathbf{b}$  ; the vector of correlation coefficients of the background field error between the observations and the grid point
- $\mathbf{B}$  ; the correlation coefficient matrix of background field errors between all pairs of observations
- $\mathbf{R}$  ; the covariance matrix of observational errors

$\sigma_b$  the standard deviation of background errors (1.5 K / 5 % RH )  
 $\sigma_o$  that of observation errors (2 K / 10 % RH )

# OI Screen Level parameters analysis

Mahfouf, J. Appl. Meteo. 1991, & ECMWF News Lett. 2000



**Figure 9.3** Horizontal structure functions used in the Optimum Interpolation scheme for the screen level parameters and snow depth analyses.



# Screen Level parameters analysis

## Quality control:

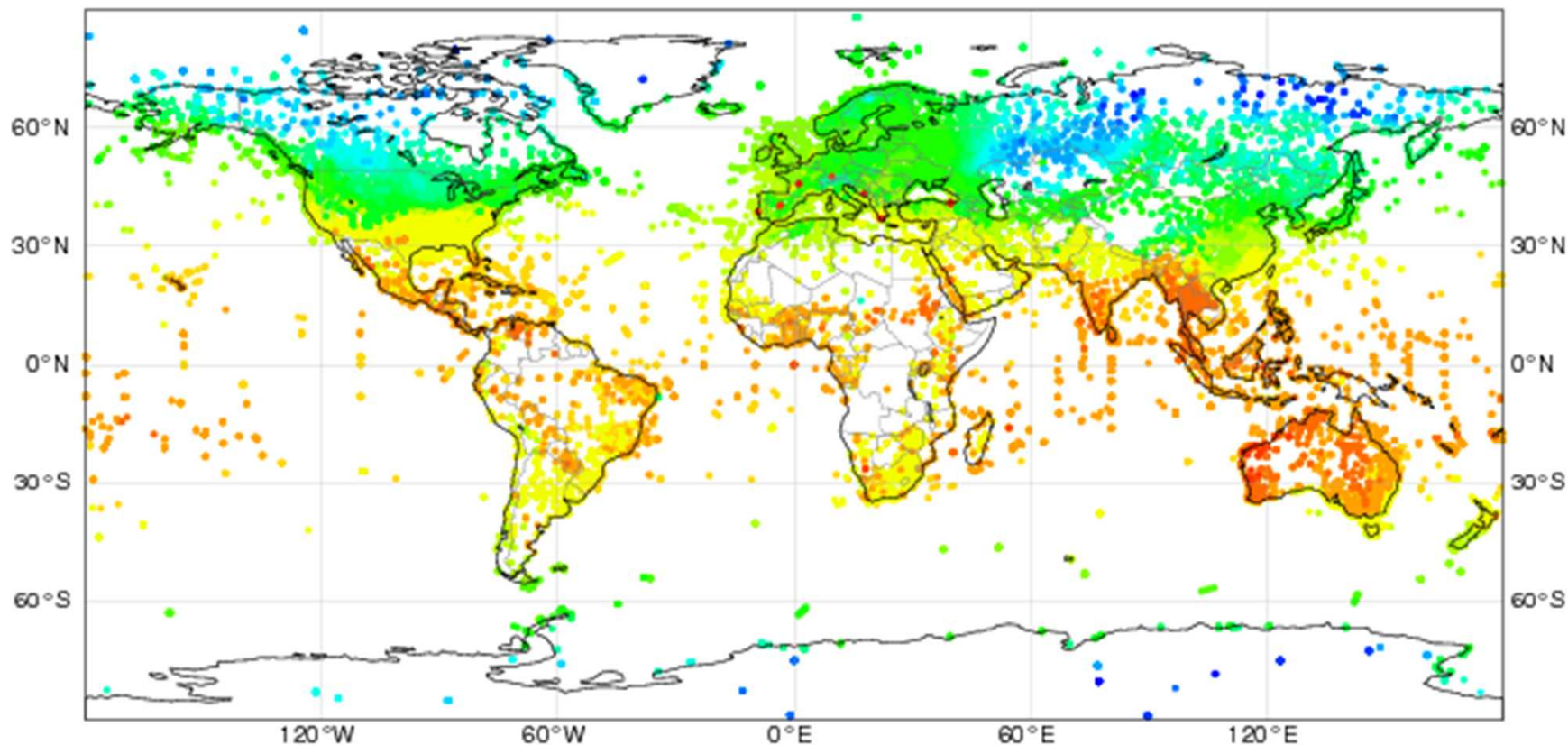
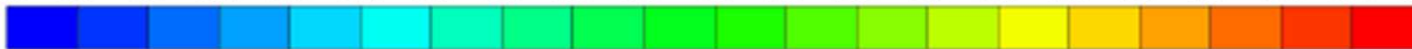
- Number of observations  $N = 50$ , horizontal length parameter  $d = 300$  km, scanned radius 1000km
- Gross quality checks as  $rH \in [0,100]$  and  $T > T_{\text{dewpoint}}$
- Observation points that differ more than 300 m from model orography are rejected
- First-guess check:  
Observation is rejected if :  
$$|\Delta X_i| = \gamma \sqrt{\sigma_o^2 + \sigma_b^2}$$
$$|\Delta X_i| > \gamma \sqrt{\sigma_o^2 + \sigma_b^2}$$
 with  $\gamma = 3$  (tolerance)
- Redundancy rejection
- Number of active observations  $> 16000$  per 12 hour (less than 20% of the available observations)

# Screen level observations

All T2m observations available (>180000 per day)

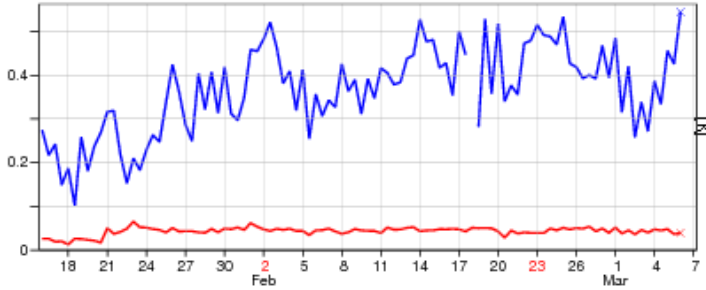
SYNOP T2m 20140223 00Z (exper = 1)

220 225 230 235 240 245 250 255 260 265 270 275 280 285 290 295 300 305 310 315 320



# Screen level observations monitoring

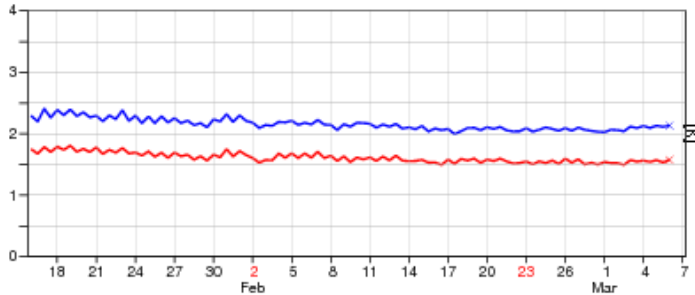
T2M FROM SYNOP  
CHANNEL =1, USED DATA [ TIME STEP = 12 HOURS ]  
Area: lon\_w= 0.0, lon\_e= 360.0, lat\_s= -90.0, lat\_n= 90.0 (over All\_surfaces)  
EXP = 0001  
— (OBS-FG) corr — (OBS-AN) corr



Global first guess departure

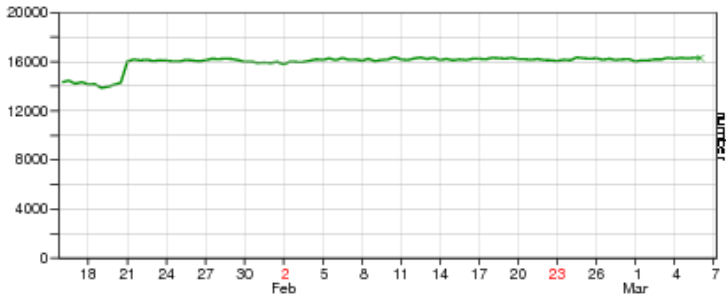
Global analysis departure

— stdv(OBS-FG) — stdv(OBS-AN)



Standard deviation of departure statistics

— n\_displayed

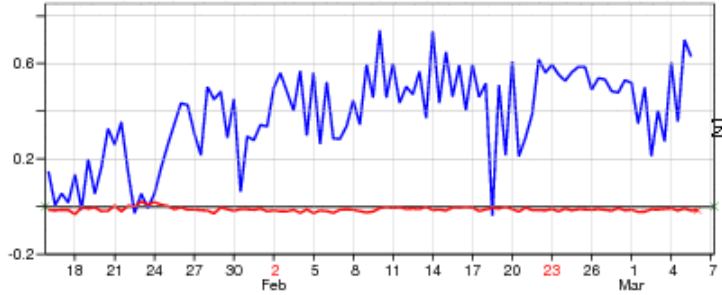


Number of observations used:  
>16000 per 12 hours

2014

# Screen level observations monitoring

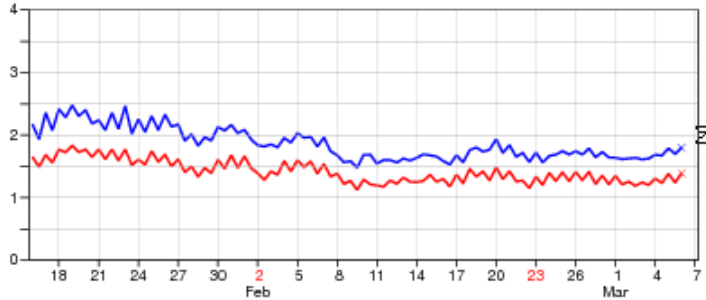
T2M FROM SYNOP  
CHANNEL =1, USED DATA [ TIME STEP = 12 HOURS ]  
Area: lon\_w= 340.0, lon\_e= 60.0, lat\_s= 35.0, lat\_n= 77.5 (over All\_surfaces)  
EXP = 0001  
— (OBS-FG) corr — (OBS-AN) corr



Europe first guess departure

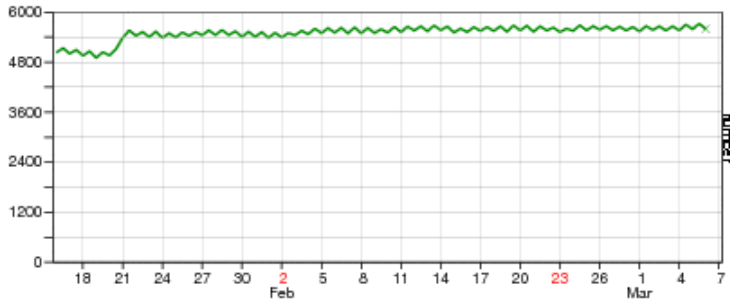
Europe analysis departure

— stdv(OBS-FG) — stdv(OBS-AN)



Standard deviation of departure statistics

— n\_displayed



Number of observations used over Europe:  
~5000 per 12 hours

# 1D OI soil and snow temperature analysis

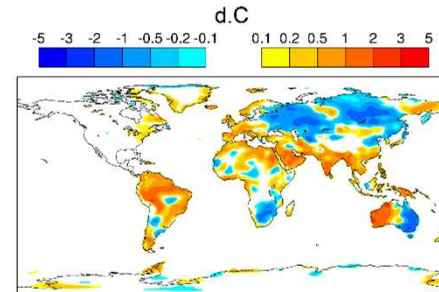
- Analysis increments from 2-m temperature analysis are used to produce increments for the first layer soil temperature and snow temperature
 
$$\Delta T = c(T_a - T_b) \quad c = (1 - F_1)F_3$$

The analysis increments  $c$  relies on two empirical functions that account for ( $F_1$ ) the cosine of the mean solar zenith angle ( $\mu_M$ ) and ( $F_3$ ) the model orography (to reduce the increments over mountainous areas where observations are considered less reliable)

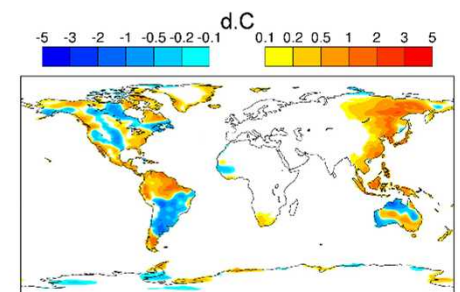
$$F_1 = \frac{1}{2} \{1 + \tanh[\lambda(\mu_M - 0.5)]\}, \quad \lambda = 7$$

$$F_3 = \begin{cases} 0 & \text{if } Z > Z_{max} \\ \left(\frac{Z - Z_{max}}{Z_{min} - Z_{max}}\right)^2 & \text{if } Z_{min} < Z < Z_{max} \\ 1 & \text{if } Z < Z_{min} \end{cases}$$

Where  $Z$  is the model orography,  $Z_{min}=500\text{m}$  and  $Z_{max}=3000\text{m}$ .



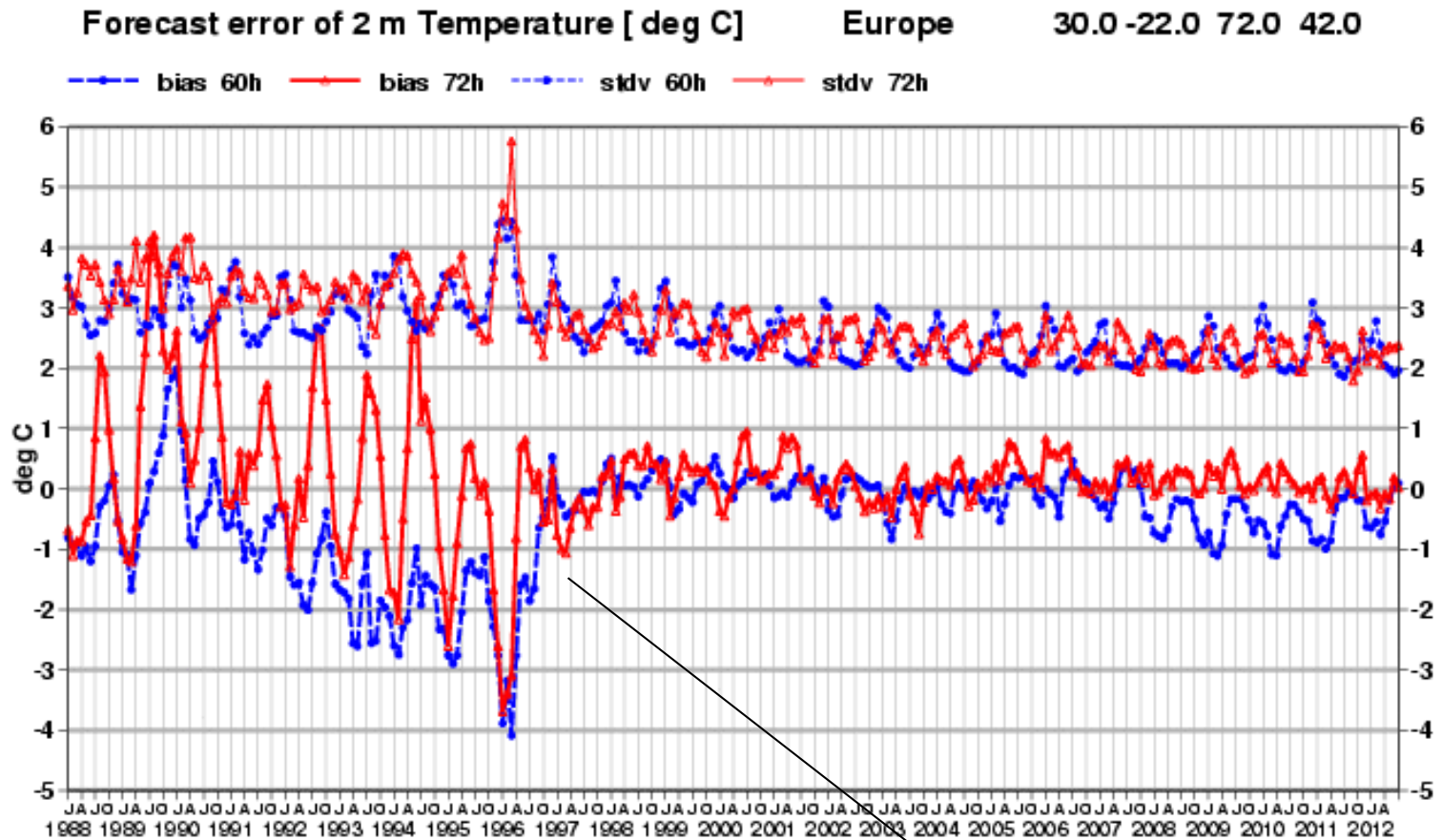
Soil temperature (first layer 0-7cm) analysis increments 01/06/2013 00:00 UTC



Soil temperature (first layer 0-7cm) analysis increments 01/06/2013 12:00 UTC

$c$  is constructed such that the analysis of soil temperatures is more effective during night and in winter when the temperature errors are less likely to be related to soil moisture

# Screen level analysis: 2m temperature forecast verification



Verification for 60h (night time) and 72h (day time)

Soil freezing parameterisation  
Snow albedo parameterisation

From Richardson et al., 2012, ECMWF Tech. Memo 688

# Outline

## Part I (Monday)

- Introduction
- Snow analysis
- Screen level parameters analysis

## Part II (Tuesday)

- Soil moisture analysis
- Summary and future plans



# LDAS: “Bring home” messages

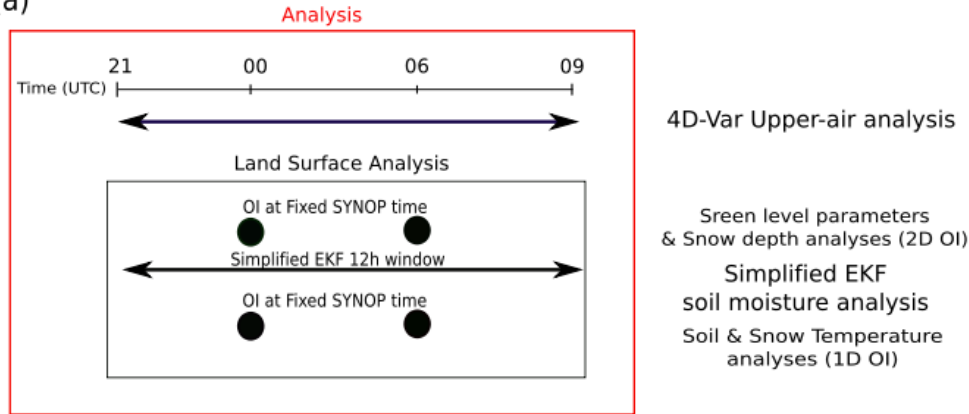
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- **Land surface processes**
  - Boundary conditions at the lowest level of the atmosphere
  - Crucial for numerical weather and climate predictions
- **Analysed surface fields**
  - Used as initial conditions for the next forecast
  - ➔ Influence the fc be used as first guess for the next DA window
- **Snow analysis: 2D-OI for snow depth**
  - Conventional snow depth data: SYNOP and National networks
  - Snow cover extent: NOAA NESDIS/IMS daily product (4km)
- **Screen Level analysis: 2D-OI for T2m, RH2m**
  - Analysis fields used as input of the SEKF soil moisture analysis
  - T2m increments: inputs of the 1D-OI soil & snow temperature analysis

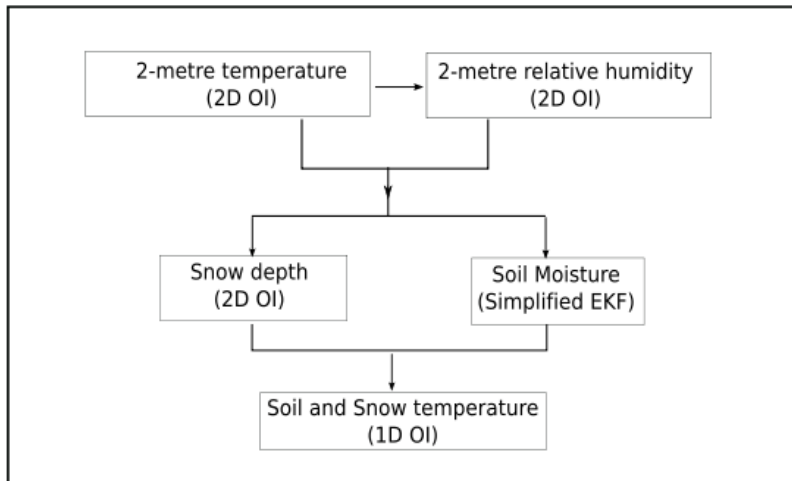


# Introduction: LDAS tasks organisation

(a)



(b)



LDAS:

- 2D OI:  
Screen-level for T and humidity  
Snow depth
- EKF  
Soil moisture
- 1D OI:  
Snow & soil temperature

Analysed surface fields: used as initial conditions for the next forecast.

- Influence the forecast which will be used as first guess for the next data assimilation window, for both 4D-Var and LDAS
- Feedback surface-atmosphere.

# Snow depth Optimal Interpolation

Used at CMC, JMA, ECMWF

Based on Brasnett, j appl. Meteo. 1999

1. Observed first guess departure  $\Delta S_i$  are computed from the interpolated background at each observation location  $i$ .

2. Analysis increments  $\Delta S_j^a$  at each model grid point  $j$  are calculated from:

$$\Delta S_j^a = \sum_{i=1}^N w_i \times \Delta S_i$$

3. The optimum weights  $w_i$  are given for each grid point  $j$  by:  $(\mathbf{B} + \mathbf{O}) \mathbf{w} = \mathbf{b}$

**b** : **background error vector** between model grid point  $j$  and observation  $i$  (dimension of  $N$  observations)  $b(i) = \sigma_b^2 \cdot \mu(i,j)$

**B** : correlation coefficient matrix of background field errors between all pairs of observations ( $N \times N$  observations)

$B(i_1, i_2) = \sigma_b^2 \times \mu(i_1, i_2)$  with the horizontal correlation coefficients  $\mu(i_1, i_2)$  and  $\sigma_b = 3\text{cm}$  the standard deviation of background errors.

**O** : **covariance matrix of the observation error** ( $N \times N$  observations):

$$\mathbf{O} = \sigma_o^2 \times \mathbf{I}$$

with  $\sigma_o$  the standard deviation of observation errors (4cm in situ, 8cm IMS)

# Snow depth Optimal Interpolation

Used at CMC, JMA, ECMWF

Based on Brasnett, j appl. Meteo. 1999

Correlation coefficients  $\mu(i_1, i_2)$  (structure function):

$$\mu(i_1, i_2) = \left(1 + \frac{r_{i_1 i_2}}{L_x}\right) \exp\left(-\left[\frac{r_{i_1 i_2}}{L_x}\right]\right) \cdot \exp\left(-\left[\frac{z_{i_1 i_2}}{L_z}\right]^2\right)$$

**Lz**; vertical length scale: 800m, **Lx**: horizontal length scale: 55km

$r_{i_1, i_2}$  and  $Z_{i_1, i_2}$  the horizontal and vertical distances between points  $i_1$  and  $i_2$

Quality Control: reject observation if  $\Delta S_i > \text{Tol} (\sigma_b^2 + \sigma_o^2)^{1/2}$  with  $\text{Tol} = 5$

→ Observation rejected if first guess departure larger than 25 cm

Redundancy rejection: use observation reports closest to analysis time

And use a maximum of 50 observations per grid point)

# OI Screen Level parameters analysis

Mahfouf, J. Appl. Meteo. 1991, & ECMWF News Lett. 2000

## Same approach as snow analysis:

1. First guess departure  $\Delta X_i$  estimated at each observation location  $i$  from the observation and the interpolated background field (6 h or 12 h forecast).
2. Analysis increments  $\Delta X_j^a$  at each model grid point  $j$  are calculated from:

$$\Delta X_j^a = \sum_{i=1}^N w_i \times \Delta X_i$$

3. The optimum weights  $w_i$  are given by:  $(\mathbf{B} + \mathbf{O}) \mathbf{w} = \mathbf{b}$

**b** : error covariance between observation  $i$  and model grid point  $j$   
(dimension of  $N$  observations)

**B** : error covariance matrix of the background field ( $N \times N$  observations)  
 $B(i_1, i_2) = \sigma_b^2 \times \mu(i_1, i_2)$  with the horizontal correlation coefficients  $\mu(i_1, i_2)$   
and  $\sigma_b = 1.5 \text{ K} / 5 \% \text{ rH}$  the standard deviation of background errors.

$$\mu(i_1, i_2) = \exp\left(-\frac{1}{2} \left[\frac{r_{i_1 i_2}}{d}\right]^2\right) \quad \text{Horizontal correlation coefficients (structure functions)}$$

**O** : covariance matrix of the observation error ( $N \times N$  observations):

$\mathbf{O} = \sigma_o^2 \times \mathbf{I}$  with  $\sigma_o = 2.0 \text{ K} / 10 \% \text{ rH}$  the standard deviation of obs. errors

# Summary on Snow Analysis

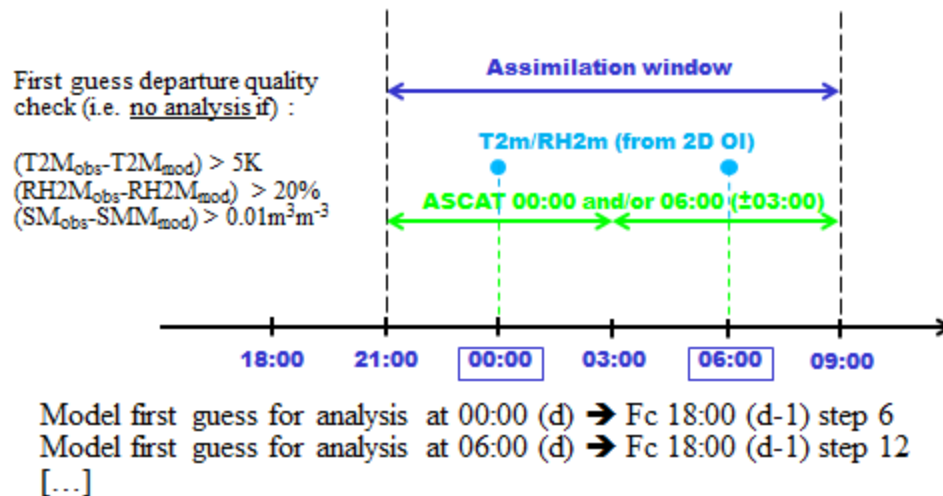
- The snow analysis is a 2-D OI performed every 6 hours, at 00 UTC, 06 UTC, 12 UTC and 18 UTC
- The snow-depth background  $S$  (m) is estimated from the shortrange forecast of snow water equivalent (m of water equivalent) and snow density (units:  $\text{kgm}^{-3}$ )
- Analysis is performed using snow-depth observations, the snow-depth background field, and the high resolution (4km) NOAA/NESDIS snow extent
- Snow depth observations include conventional snow depth reports from SYNOP stations as well as additional national snow depth observations reported by several member states

# Summary on Snow Analysis

- the satellite derived snow extent is used once per day, for the 00 UTC analysis
- It is converted in the Observation Data Base into a quantitative snow depth information
- ➔ To this end the model relation between snow extent and snow depth is used as observation operator, with 5 cm of snow depth where binary snow cover is one and 0 cm snow depth where binary snow cover is zero
- The latter observations enter the analysis whatever the first guess conditions are
- In contrast the 5 cm snow depth derived from the snow cover observations enter the analysis only where the model first guess indicates snow free conditions



## Soil Moisture analysis at 00:00, 06:00, 12:00, 18:00



ECMWF

**Schematic depiction of the interaction between the soil hydrology and the atmosphere:** illustrates the behaviour of the soil and the atmosphere within a complete cycle (wet period followed by a dry period) [Dooge 1992]

**B-C : SM has decreased below a certain level**

- E limited by plant-physiological mechanism
- E drops below its maximal value ( $E < E_{pot}$ )

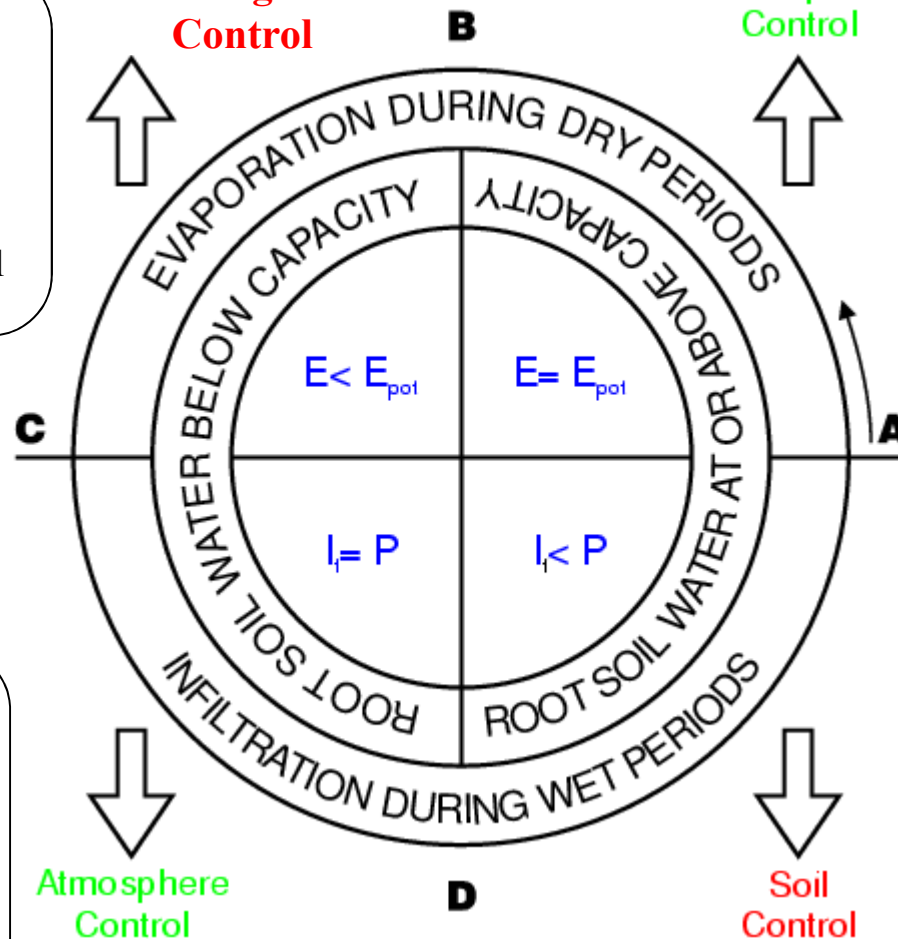
**Rain starts**

**C-D : Precipitation starts again**

- Dry soil is taking up water
- Infiltration equals precipitation ( $I_f = P$ )

**Soil & vegetation Control**

**Atmosphere Control**



**A-B : after a long episode of rainfall**

- Soil saturated with water
- SM is determined by E
- Atmosphere controls E rate (at  $E = E_{pot}$ )

**Rain ends**

**D-A : Maximum soil water level is reached**

- Soil's ability to take up precipitation ↓
- Part of the precipitation goes into runoff ( $I_f < P$ )

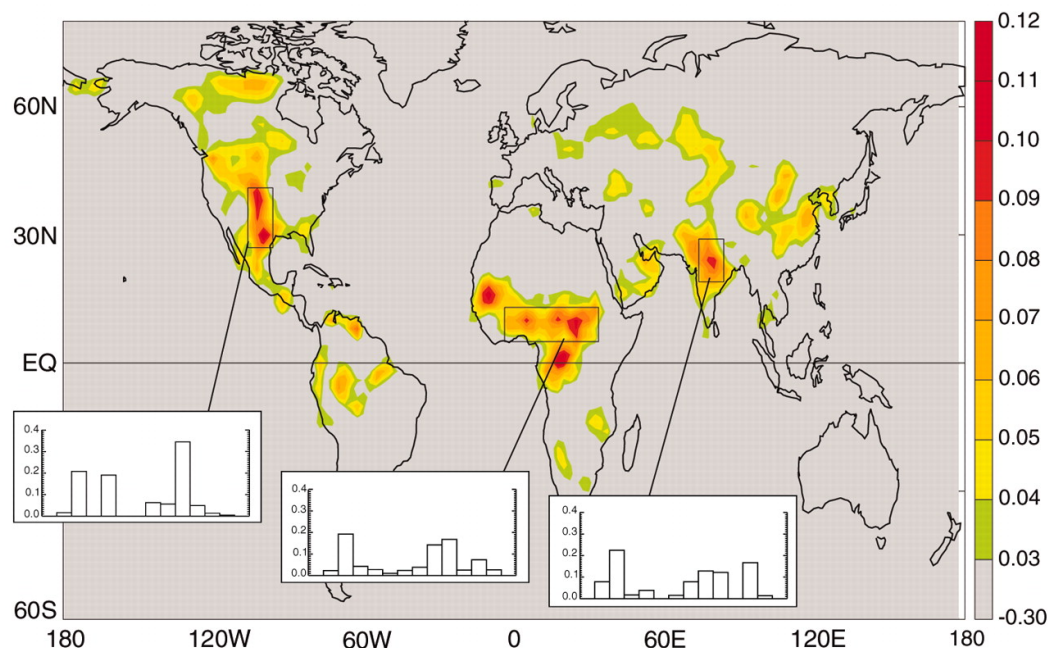
# Impact of soil moisture on precipitation : Koster et al., Science, 2004

The GLACE Team: *Regions of Strong Coupling Between Soil Moisture and Precipitation*. **Science** 20 August 2004: Vol. 305 no. 5687 pp. 1138-1140  
DOI: 10.1126/science.1100217

## Multimodel estimation of land atmosphere coupling strength :

A global initialization of soil moisture may enhance precipitation prediction skill during Northern Hemisphere summer (*in the transition zones between wet and dry climates*)

Land-atmosphere coupling strength (JJA), averaged across AGCMs



**Multimodel estimation of the regions on Earth where precipitation is affected by soil moisture anomalies during Northern Hemisphere summer [Koster et al., Science, 2004]**

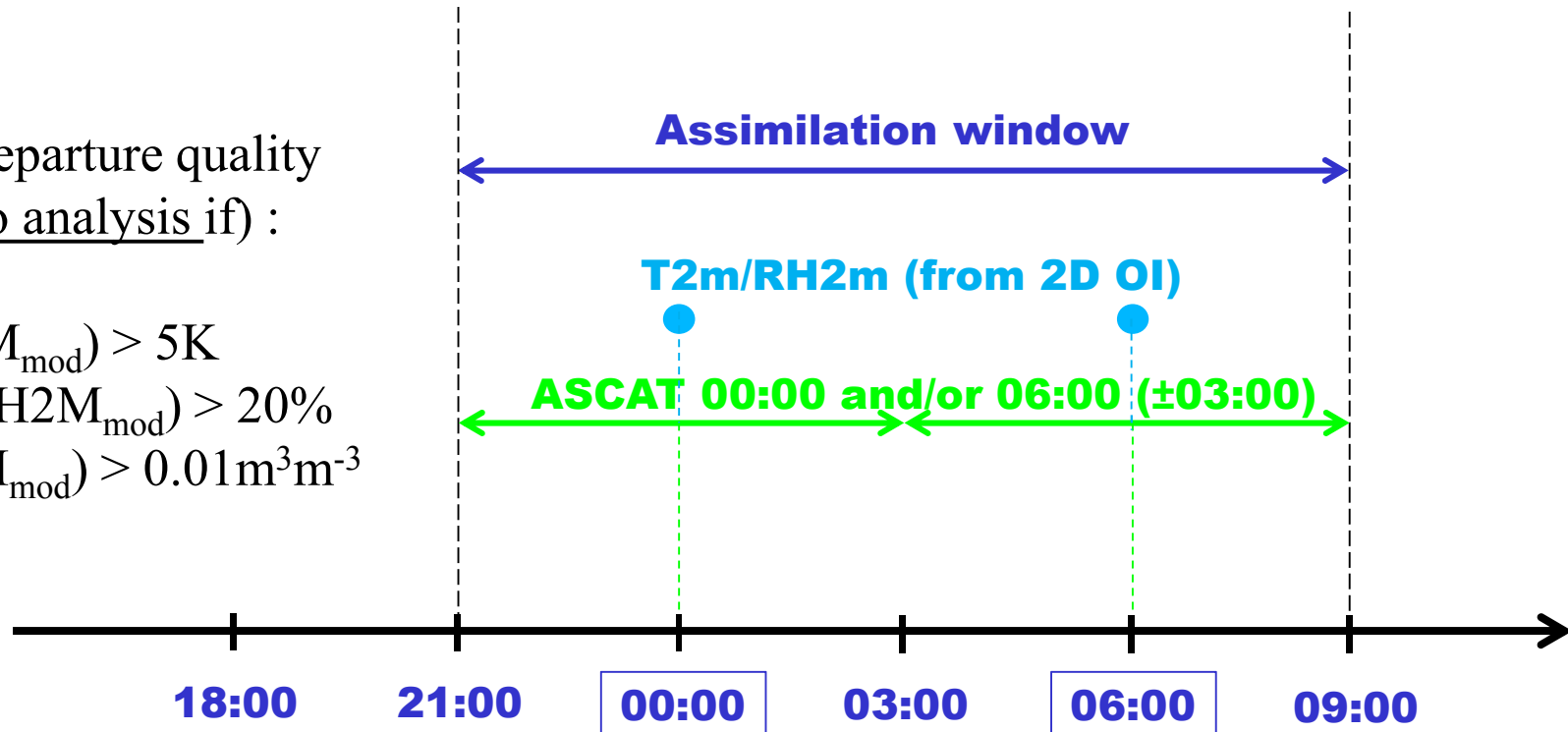
# Soil Moisture analysis at 00:00, 06:00, 12:00, 18:00

First guess departure quality check (i.e. no analysis if) :

$$(T2M_{\text{obs}} - T2M_{\text{mod}}) > 5\text{K}$$

$$(RH2M_{\text{obs}} - RH2M_{\text{mod}}) > 20\%$$

$$(SM_{\text{obs}} - SMM_{\text{mod}}) > 0.01\text{m}^3\text{m}^{-3}$$



Model first guess for analysis at 00:00 (d) → Fc 18:00 (d-1) step 6

Model first guess for analysis at 06:00 (d) → Fc 18:00 (d-1) step 12

[...]