

Introduction to Parallel Computing

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Outline

- Parallel computing?
- Types of computer
- Parallel Computers today
- Challenges in parallel computing
- Parallel Programming Languages
- OpenMP/OpenACC and MPI

What is Parallel Computing?

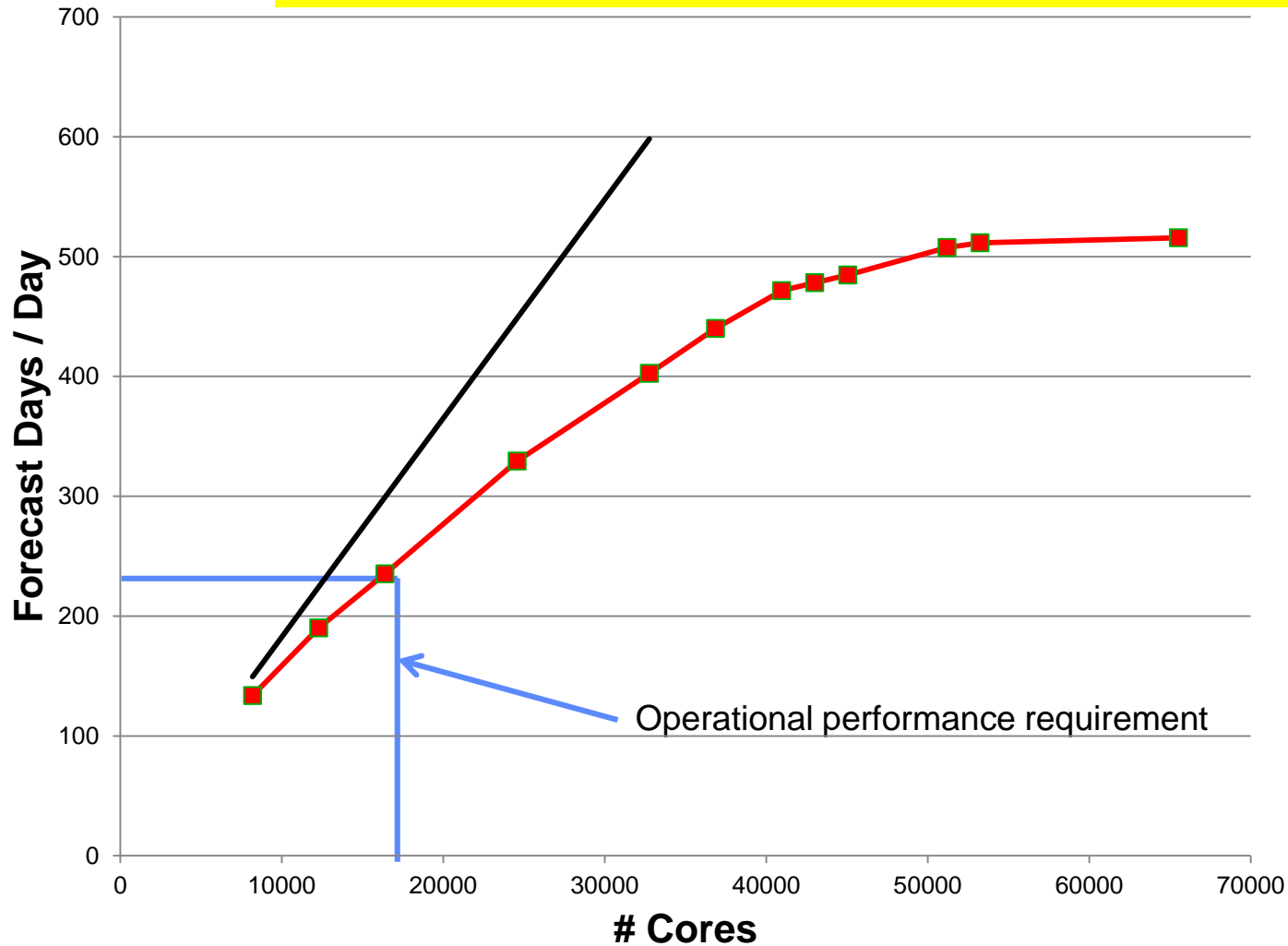
The simultaneous use of more than one processor or computer to solve a problem

Why do we need Parallel Computing?

- **Serial computing is too slow**
- **Need for large amounts of memory not accessible by a single processor**

T2047 IFS global model (10 km) performance on CRAY XE6, 2012

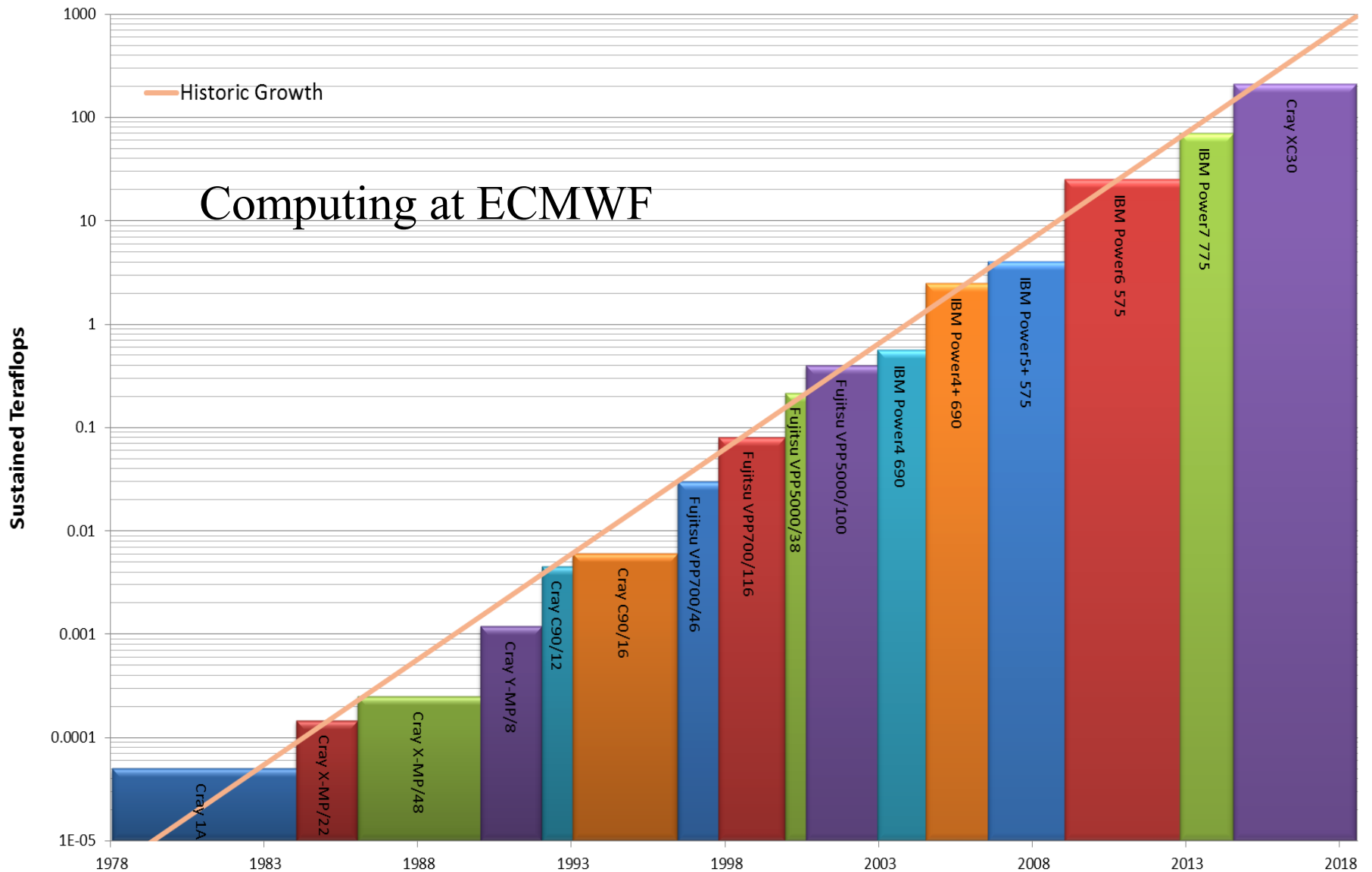
10 day forecast in 1 hour = 240 forecast days / day



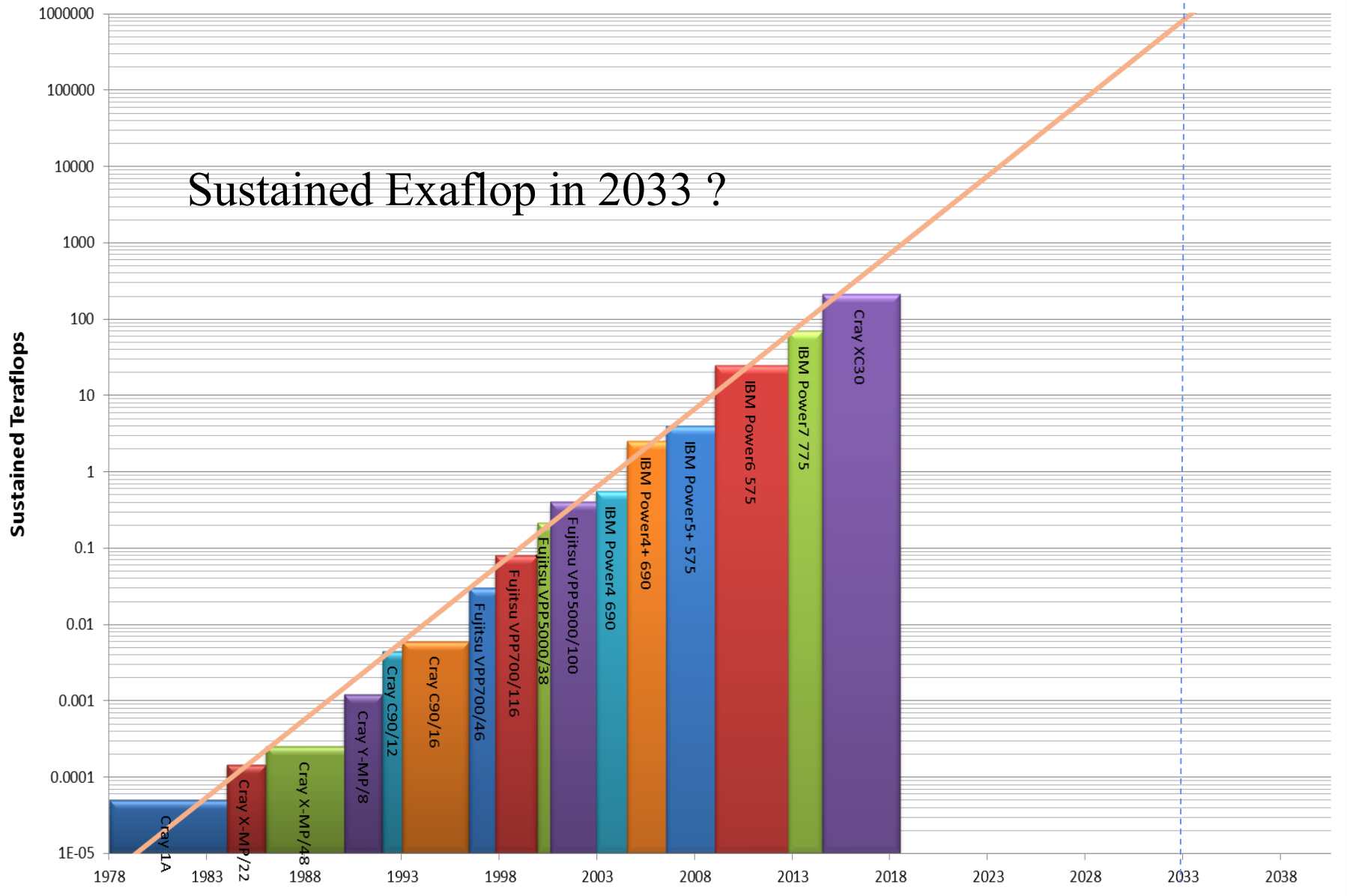
Measuring Performance

- **Wall Clock**
- **Floating point operations per second (FLOPS or FLOP/S)**
 - **Peak (Hardware), Sustained (Application)**
- **SI prefixes**
 - **Mega Mflops** **10^{**6}**
 - **Giga Gflops** **10^{**9}**
 - **Tera Tflops** **10^{**12}**
 - **Peta Pflops** **10^{**15} ECMWF: 2 * 1.79 Pflops peak (XC-30)**
 - **Exa, Zetta, Yotta**
- **Instructions per second, Mips, etc,**
- **Transactions per second (Databases)**

Computing at ECMWF

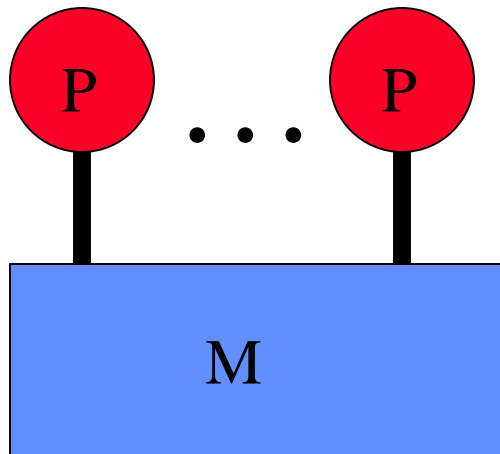


Sustained Exaflop in 2033 ?

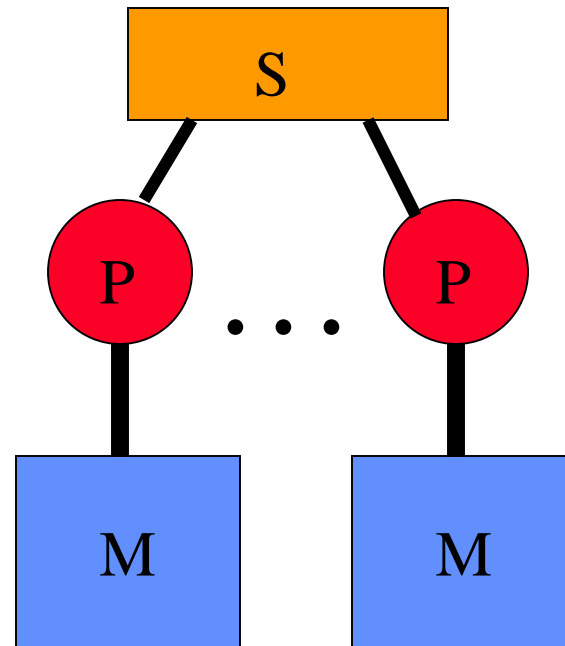


Types of Parallel Computer

P=Processor
M=Memory
S=Switch



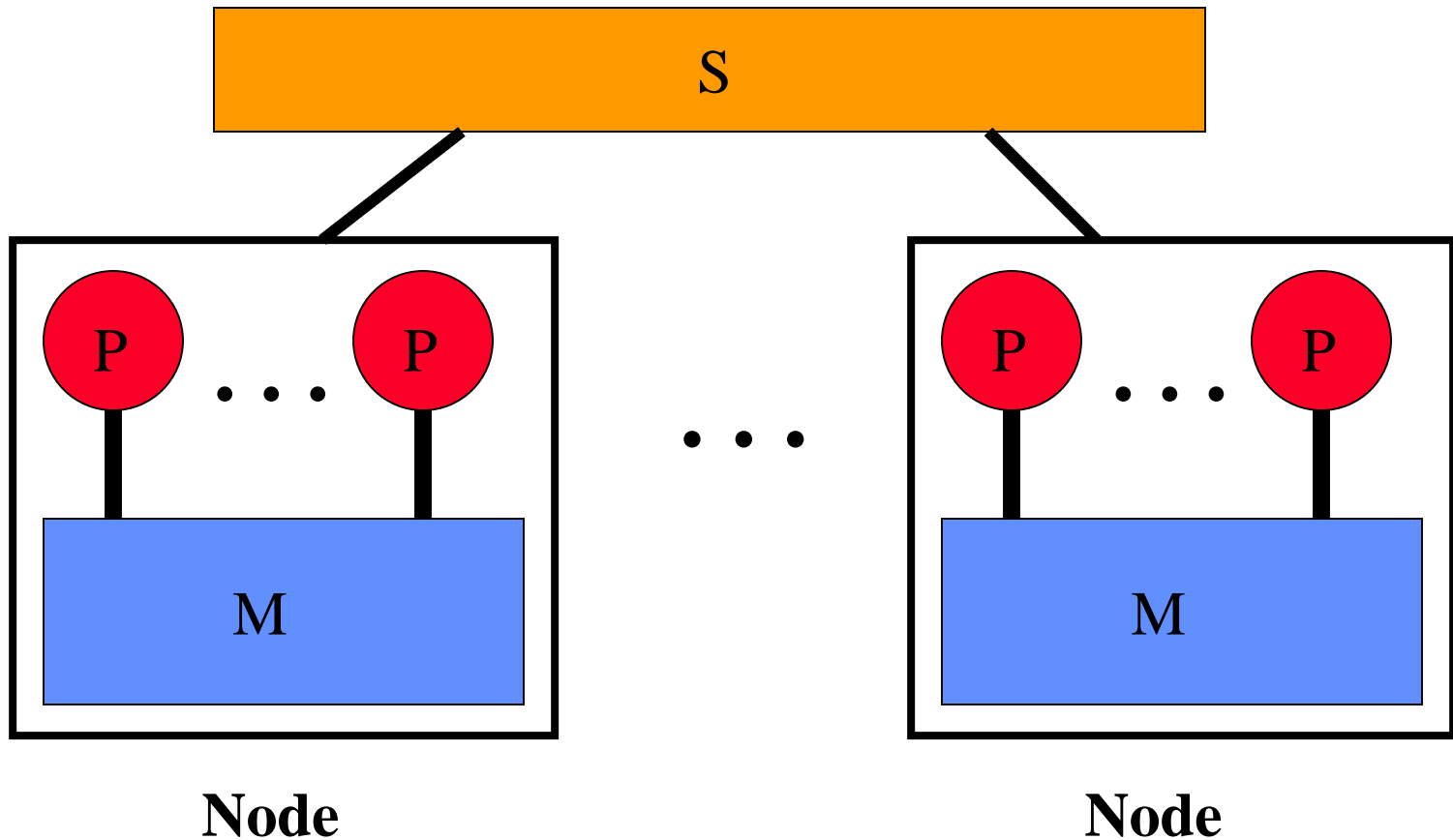
Shared Memory



Distributed Memory

IBM/CRAY Cluster (Distributed + Shared memory)

P=Processor
M=Memory
S=Switch

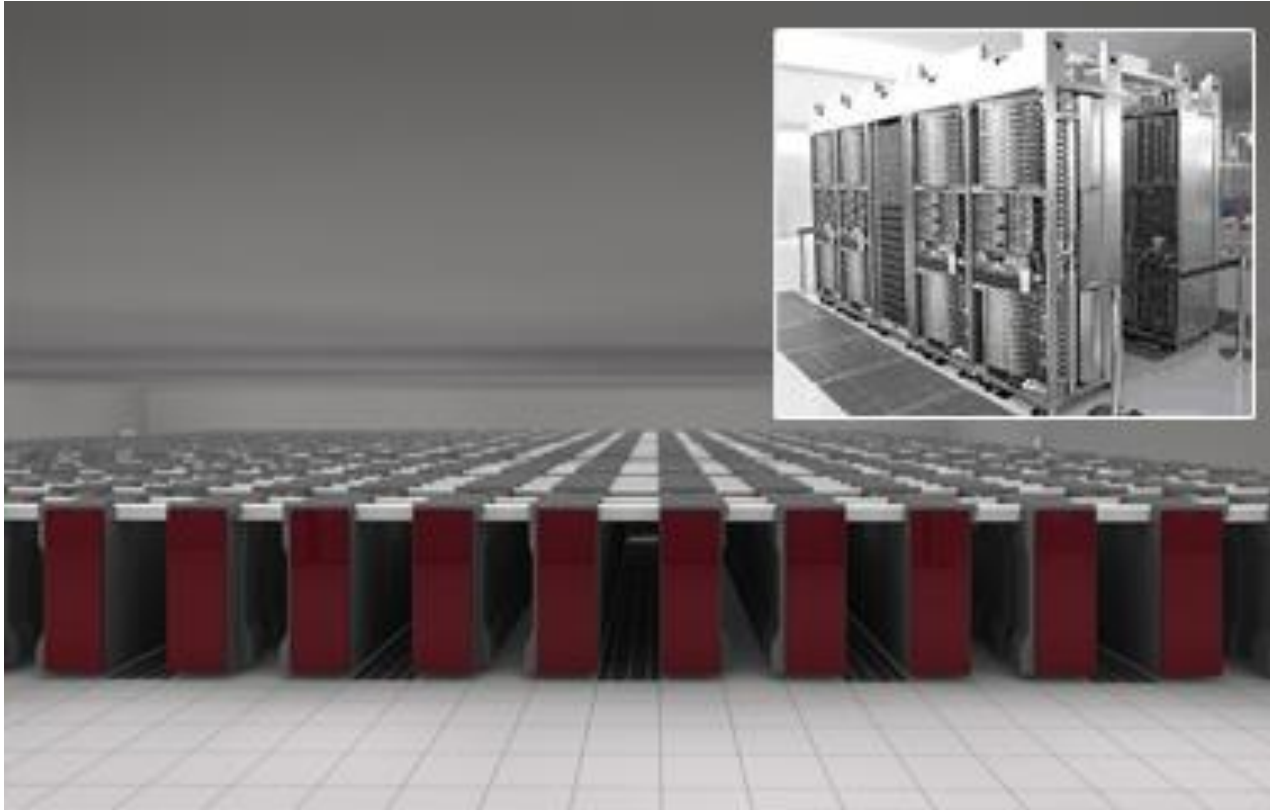


CRAY XC-30 clusters at ECMWF

One of the
TWO
identical
XC-30
clusters

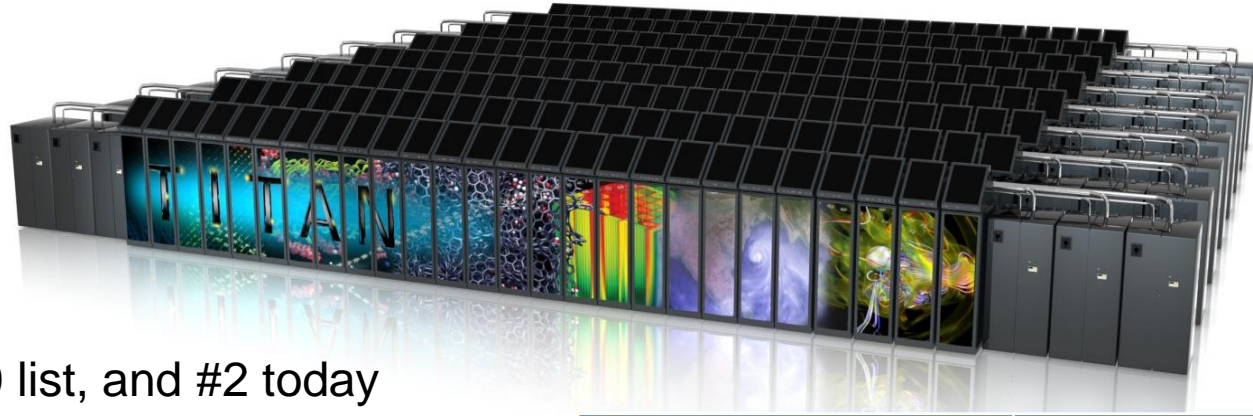


...and one the world's fastest (#4) and largest supercomputers – Fujitsu K computer



705,024 Sparc64
processor cores

ORNL's "Titan" System



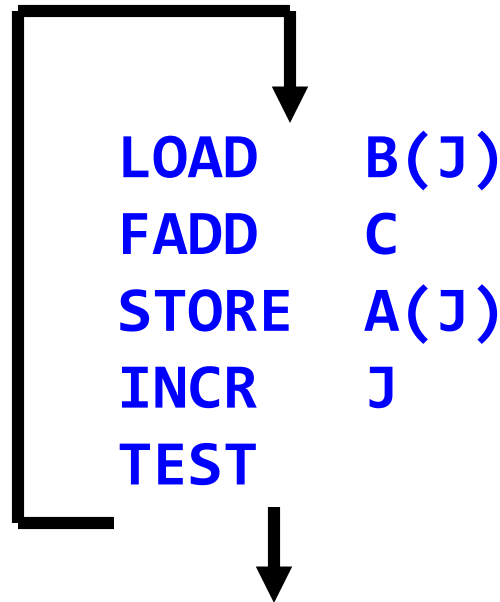
- #1 in Nov 2012 Top500 list, and #2 today
- 7.5X peak perf. of ECMWF's CRAY XC-30 clusters (CCA+CCB=3.6 Petaflops peak)
- Gemini interconnect
 - 3-D Torus
 - Globally addressable memory
- AMD Interlagos cores (16 cores per node)
- Accelerated node design using NVIDIA K20 "Kepler" GPUs
- 600 TB DDR3 mem. + 88 TB GDDR5 mem

Titan Specs	
Compute Nodes	18,688
Login & I/O Nodes	512
Memory per node	32 GB + 6 GB
# of NVIDIA K20 "Kepler" processors	14,592
Total System Memory	688 TB
Total System Peak Performance	27 Petaflops

Source (edited): *James J. Hack, Director, Oak Ridge National Laboratory*

Types of Processor

```
DO J=1,1000  
  A(J)=B(J) + C  
ENDDO
```



**SCALAR
PROCESSOR**

Single instruction
processes one
element

```
LOADV B->V1  
FADDV V1,C->V2  
STOREV V2->A
```

**VECTOR
PROCESSOR**

Single instruction
processes many
elements

The TOP500 project

- **started in 1993**
- **Top 500 sites reported**
- **Report produced twice a year**
 - **EUROPE in JUNE (ISC15)**
 - **USA in NOV (SC14)**
- **Performance based on LINPACK benchmark**
 - **dominated by matrix multiply (DGEMM)**
- **High performance conjugate gradient (HPCG) benchmark announced at SC13**
- **<http://www.top500.org/>**

Top500: SC14 top 6 systems

RANK	SITE	SYSTEM	CORES	RMAX (TFLOP/S)	RPEAK (TFLOP/S)	POWER (KW)
1	National Super Computer Center in Guangzhou China	Tianhe-2 (MilkyWay-2) - TH-IVB-FEP Cluster, Intel Xeon E5-2692 12C 2.200GHz, TH Express-2, Intel Xeon Phi 31S1P NUDT	3,120,000	33,862.7	54,902.4	17,808
2	DOE/SC/Oak Ridge National Laboratory United States	Titan - Cray XK7 , Opteron 6274 16C 2.200GHz, Cray Gemini interconnect, NVIDIA K20x Cray Inc.	560,640	17,590.0	27,112.5	8,209
3	DOE/NNSA/LLNL United States	Sequoia - BlueGene/Q, Power BQC 16C 1.60 GHz, Custom IBM	1,572,864	17,173.2	20,132.7	7,890
4	RIKEN Advanced Institute for Computational Science (AICS) Japan	K computer, SPARC64 VIIIfx 2.0GHz, Tofu interconnect Fujitsu	705,024	10,510.0	11,280.4	12,660
5	DOE/SC/Argonne National Laboratory United States	Mira - BlueGene/Q, Power BQC 16C 1.60GHz, Custom IBM	786,432	8,586.6	10,066.3	3,945
6	Swiss National Supercomputing Centre (CSCS) Switzerland	Piz Daint - Cray XC30, Xeon E5-2670 8C 2.600GHz, Aries interconnect , NVIDIA K20x Cray Inc.	115,984	6,271.0	7,788.9	2,325

ECMWF in Top 500

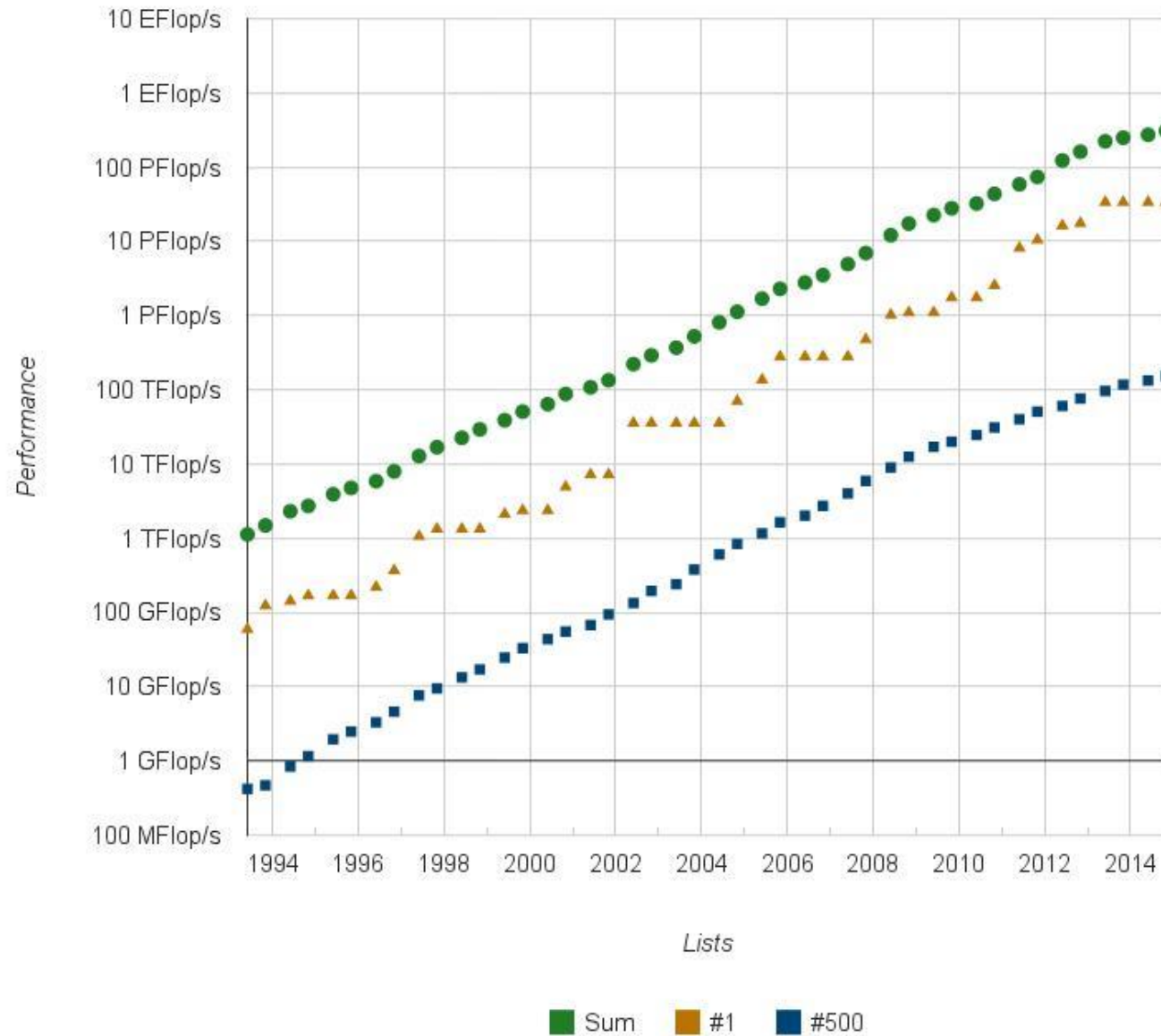
TFlops

Rank	Site	Computer/Year Vendor	Cores	R_{\max}	R_{peak}	Power
28	ECMWF United Kingdom	Cray XC30, Intel Xeon E5-2697v2 12C 2.7GHz, Aries interconnect Cray Inc.	83,160	1,552.0	1,796.3	
29	ECMWF United Kingdom	Cray XC30, Intel Xeon E5-2697v2 12C 2.7GHz, Aries interconnect Cray Inc.	83,160	1,552.0	1,796.3	

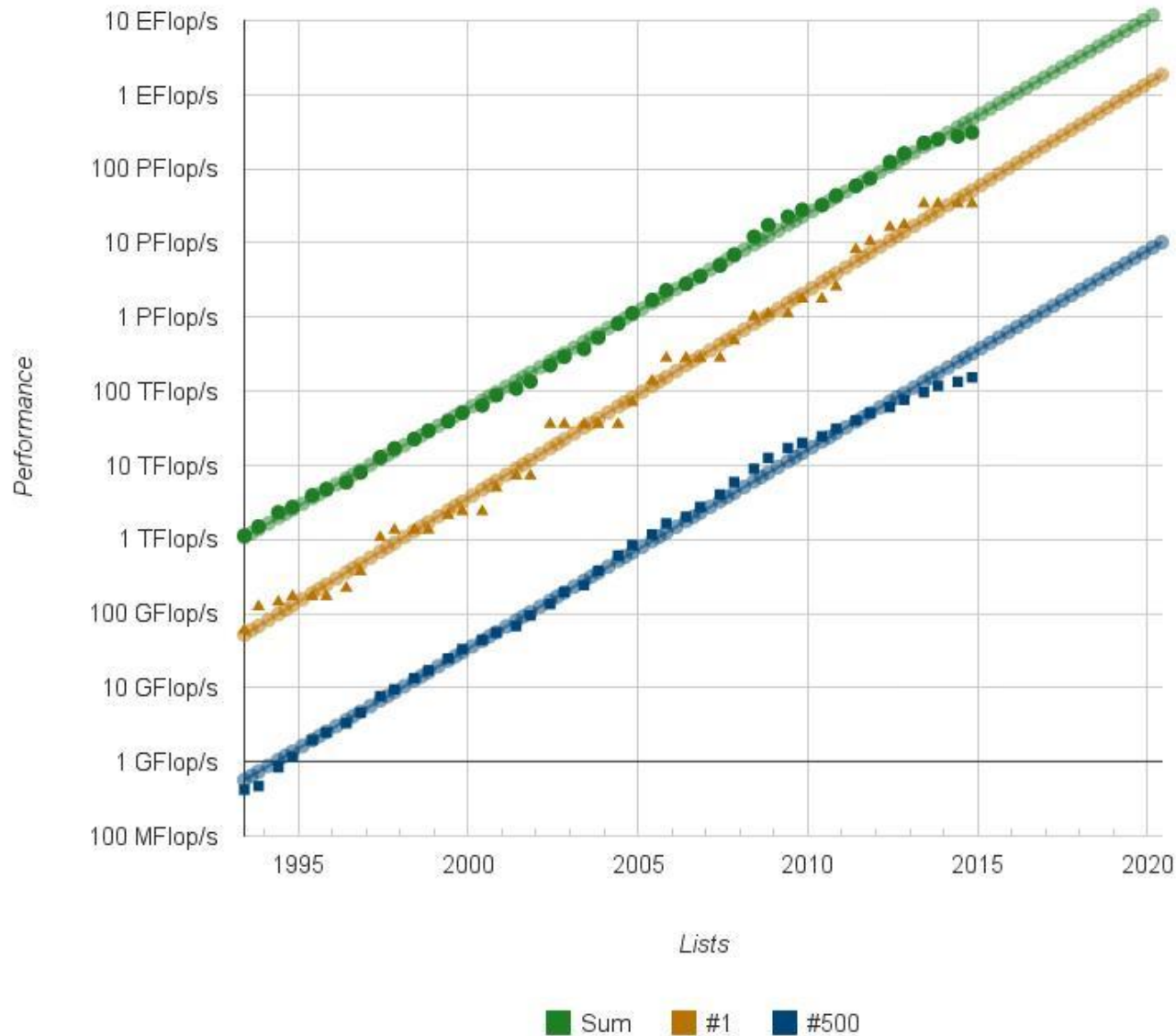
R_{\max} – Tflop/sec achieved with LINPACK Benchmark

R_{peak} – Peak Hardware Tflop/sec (that will never be reached!)

Top500: Performance Development



Top500: Projected Performance Development



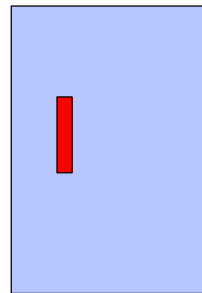
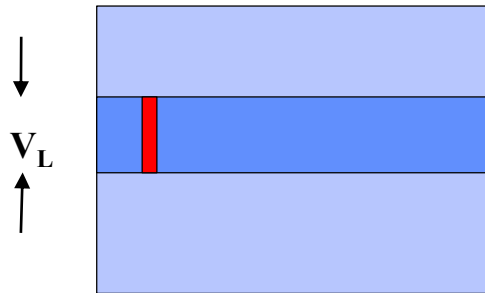
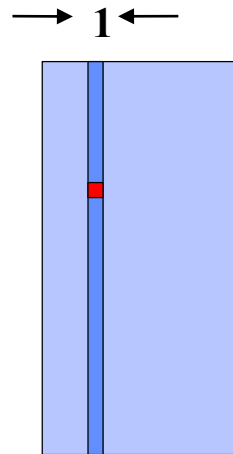
Why is Matrix-Matrix Multiply (DGEMM) so efficient?

VECTOR

V_L is vector register length

V_L FMA's

$(V_L + 1)$ LD's



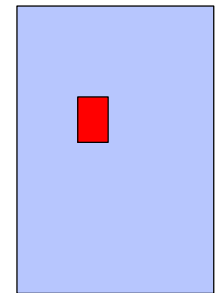
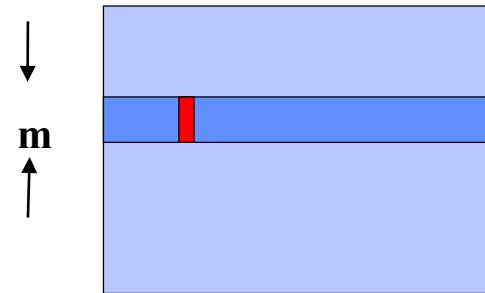
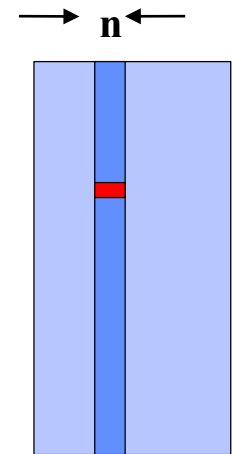
FMA's \approx LD's

SCALAR / CACHE

$(m * n) + (m + n)$
< # registers

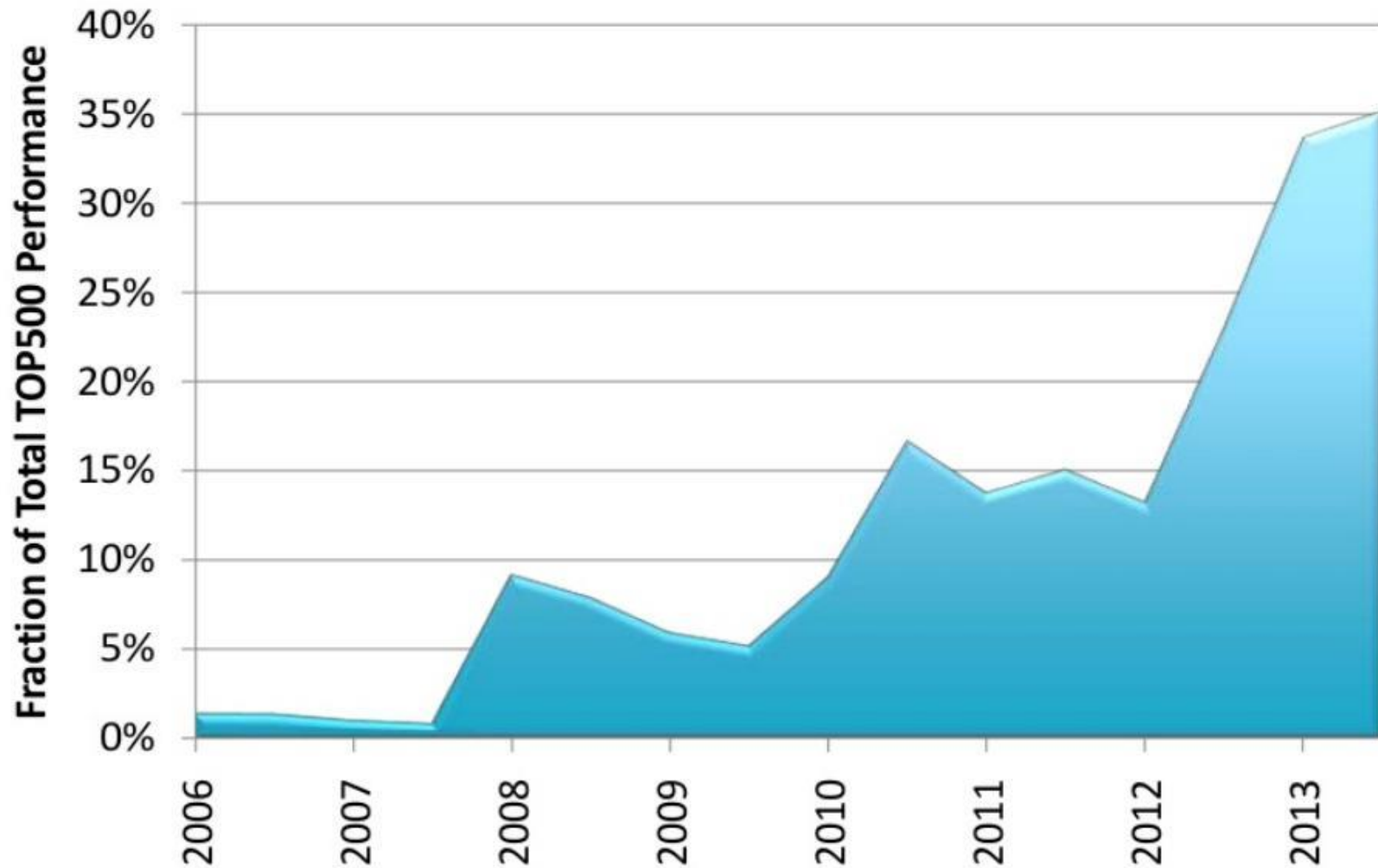
$m * n$ FMA's

$m + n$ LD's

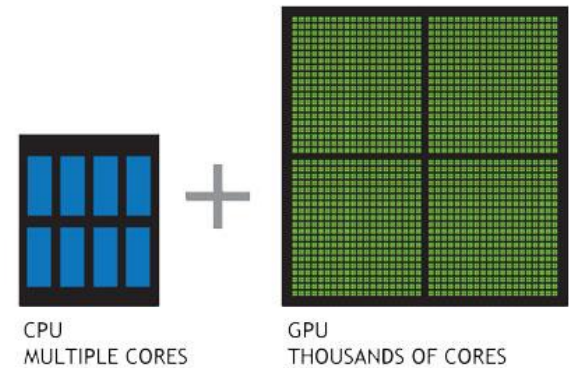


FMA's \gg LD's

Performance Share of Accelerators



Accelerators



- **GPU – Graphics Processing Unit**

- High performance, low power, but ‘challenging’ to program for large applications, separate memory, GPU/CPU interface (PCIe 8GB/sec)
- Expect GPU technology to be more easily useable on future HPCs

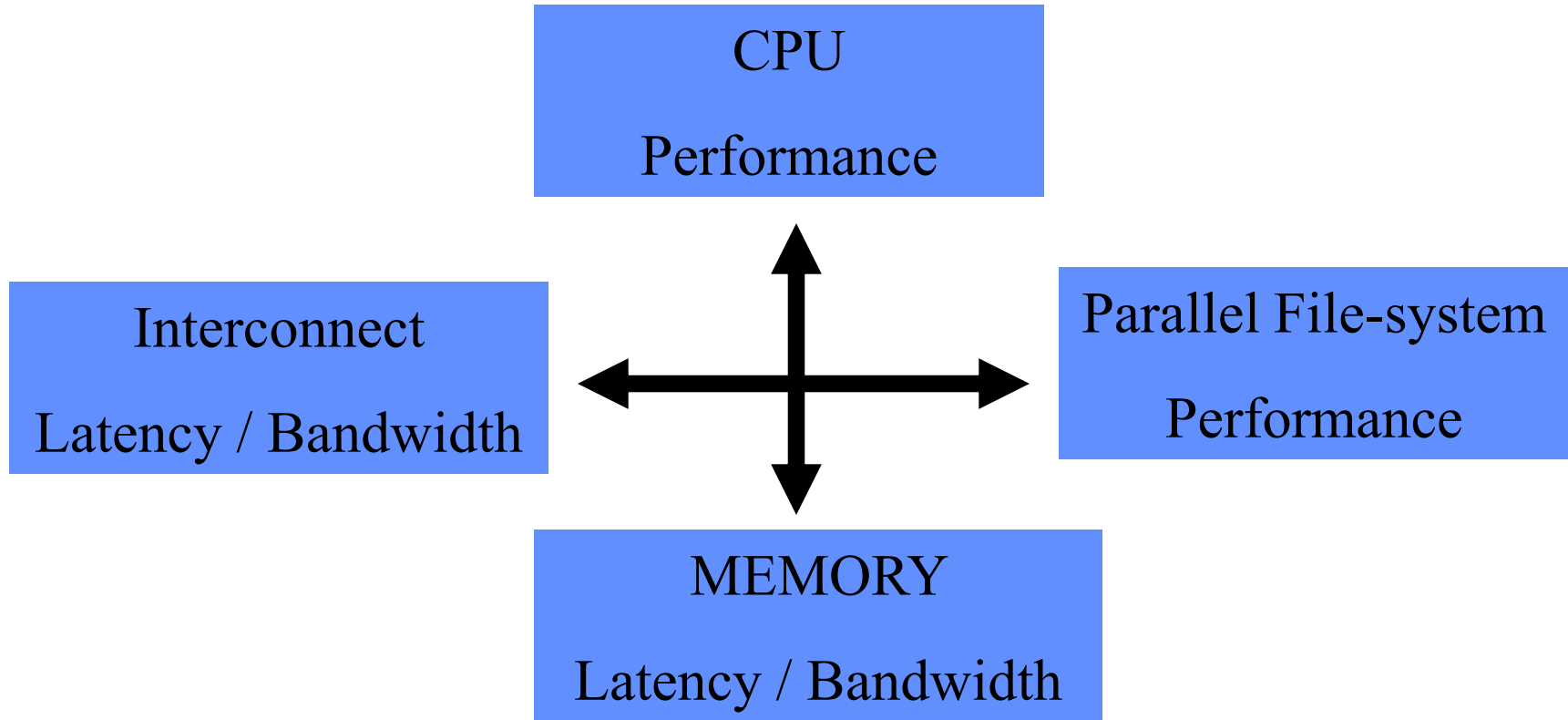
- <http://gpgpu.org/developer>

- GPU hardware today mainly supplied by NVIDIA

- INTEL (Xeon Phi, aka “MIC”)

- “Knights Corner” requires CPU host (via PCIe connector)
- “Knights Landing” available 2016, does not require CPU host

Key Architectural Features of a Supercomputer



"a balancing act to achieve good sustained performance"

Challenges in parallel computing

- **Parallel Computers**

- **Have ever increasing processors, memory, performance, but**
- **Need more space (new computer halls = \$)**
- **Need more power (MWs = \$)**

- **Parallel computers require/produce a lot of data (I/O)**

- **Require parallel file systems (GPFS, Lustre) + archive store**

- **Applications need to scale to increasing numbers of processors, problems areas are**

- **Load imbalance, Serial sections, Global Communications**

- **Debugging parallel applications (totalview, ddt)**

- **We are going to be using more processors in the future!**

- **More cores per socket, little/no clock speed improvements**

Parallel Programming Languages

- **OpenMP**

- directive based (www.openmp.org)
- support for Fortran and C/C++
- shared memory programming only

- **OpenACC**

- directive based (www.openacc.org)
- support for Fortran and C
- GPU programming (e.g. NVIDIA)

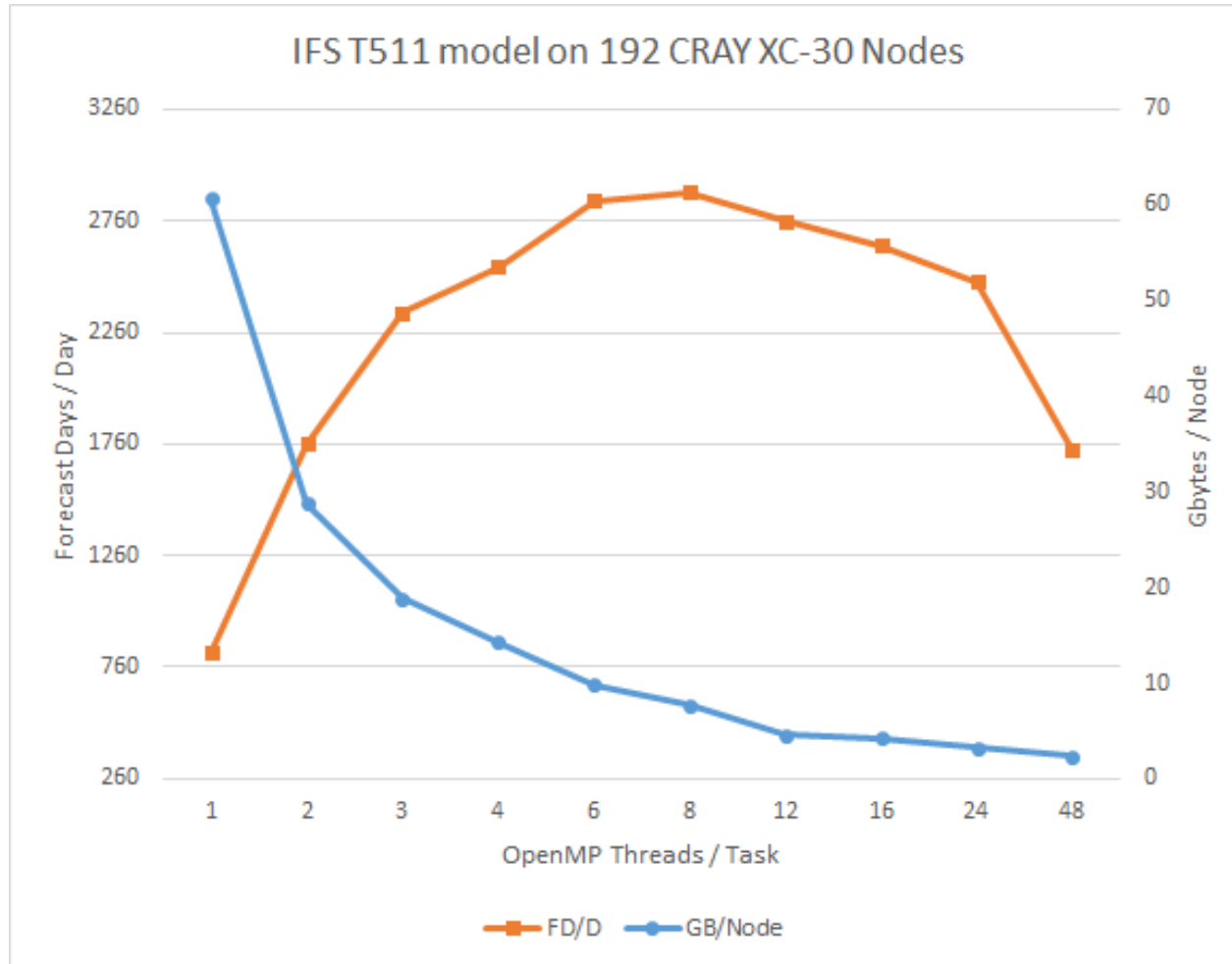
- **PGAS (Partitioned Global Address Space)**

- UPC, Fortran 2008 Coarrays
- One programming model for inter and intra node parallelism
- One-sided communication

OpenMP example

```
!$OMP PARALLEL DO SCHEDULE (STATIC, 1) &
!$OMP& PRIVATE (JMLOCF, IM, ISTA, IEND)
DO JMLOCF=NPTRMF (MYSETN) , NPTRMF (MYSETN+1) -1
    IM=MYMS (JMLOCF)
    ISTA=NSPSTAF (IM)
    IEND=ISTA+2* (NSMAX+1 - IM) -1
    CALL SPCSI (CDCONF, IM, ISTA, IEND, LLONEM, ISPEC2V, &
        &ZSPVORG, ZSPDIVG, ZSPTG, ZSPSPG)
ENDDO
!$OMP END PARALLEL DO
```

Why OpenMP? Ans: For performance and memory



Testing combinations 9216Tx1t, 4608Tx2t, 3072Tx3t, 1536Tx6t, 768Tx12t, 384Tx24t and 192Tx48t

OpenACC example

```
!$acc parallel loop copyin(dt,rmass) , &  
!$acc private(i,j) , present(pos,vel,f,a,np,nd)  
do i = 1,np  
  do j = 1,nd  
    pos(j,i) = pos(j,i) + vel(j,i)*dt + 0.5*dt*dt*a(j,i)  
    vel(j,i) = vel(j,i) + 0.5*dt*(f(j,i)*rmass + a(j,i))  
    a(j,i) = f(j,i)*rmass  
  enddo  
enddo  
!$acc end parallel loop
```

<http://www.ecmwf.int/sites/default/files/HPC-WS-Mozdzyński.pdf>

Link includes results of a port of IFS spectral transform kernel to GPU using OpenACC

Fortran2008 coarray (PGAS) example

```
!$OMP PARALLEL DO SCHEDULE(DYNAMIC,1) PRIVATE(JM,IM,JW,IPE,ILEN,ILENS,IOFFS,IOFFR)
DO JM=1,D%NUMP
  IM = D%MYMS(JM)
  CALL LTINV(IM,JM,KF_OUT_LT,KF_UV,KF_SCALARS,KF_SCDERS,ILEI2,IDIM1,&
    & PSPVOR,PSPDIV,PSPSCALAR,&
    & PSPSC3A,PSPSC3B,PSPSC2,&
    & KFLDPTRUV,KFLDPTRSC,FSPGL_PROC)
  DO JW=1,NPRTRW
    CALL SET2PE(IPE,0,0,JW,MYSETV)
    ILEN = D%NLEN_M(JW,1,JM)*IFIELD
    IF(ILEN > 0)THEN
      IOFFS = (D%NSTAGT0B(JW)+D%NOFF_M(JW,1,JM))*IFIELD
      IOFFR = (D%NSTAGT0BW(JW,MYSETW)+D%NOFF_M(JW,1,JM))*IFIELD
      FOUBUF_C(IOFFR+1:IOFFR+ILEN)[IPE]=FOUBUF_IN(IOFFS+1:IOFFS+ILEN)
    ENDIF
    ILENS = D%NLEN_M(JW,2,JM)*IFIELD
    IF(ILENS > 0)THEN
      IOFFS = (D%NSTAGT0B(JW)+D%NOFF_M(JW,2,JM))*IFIELD
      IOFFR = (D%NSTAGT0BW(JW,MYSETW)+D%NOFF_M(JW,2,JM))*IFIELD
      FOUBUF_C(IOFFR+1:IOFFR+ILENS)[IPE]=FOUBUF_IN(IOFFS+1:IOFFS+ILENS)
    ENDIF
  ENDDO
ENDDO
!$OMP END PARALLEL DO
SYNC IMAGES(D%NMYSETW)
FOUBUF(1:IBLEN)=FOUBUF_C(1:IBLEN)[MYPROC]
```

Parallel Programming Libraries

● MPI

- Most widely used since mid-90's (www.mpi-forum.org)
- MPI-3.0 standard is 852 pages!
- MPI-2.2 is the default MPI on most systems
- Most users will use a small subset of MPI facilities
- Use collectives (e.g. `MPI_alltoallv`) and non-blocking calls for performance
- MPI-only application scaling issues?

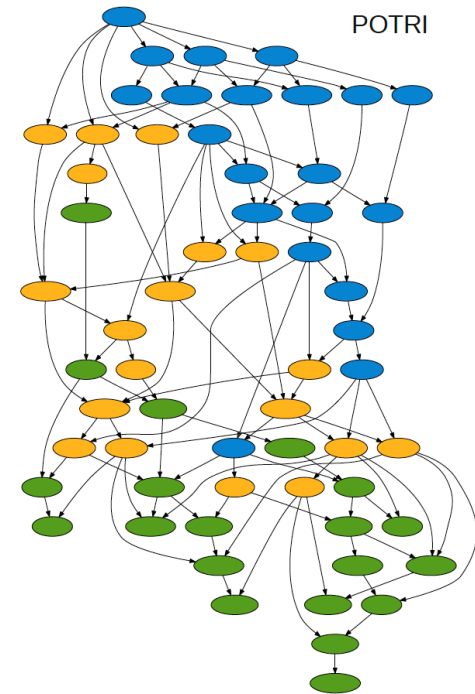
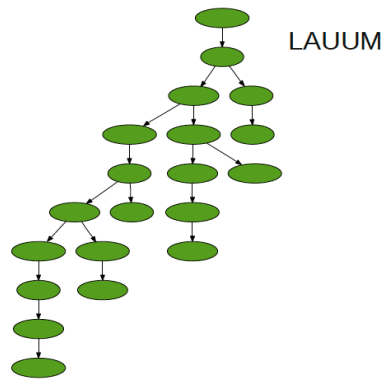
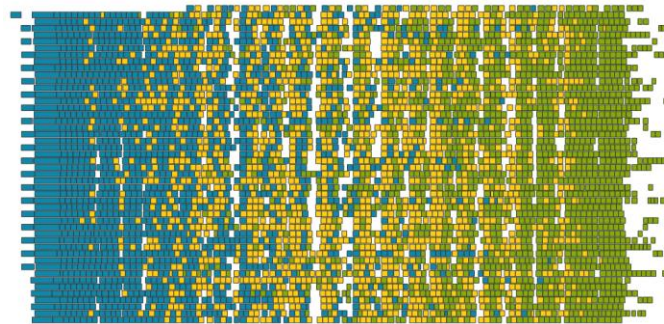
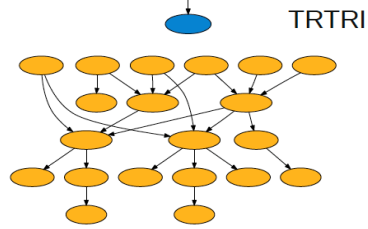
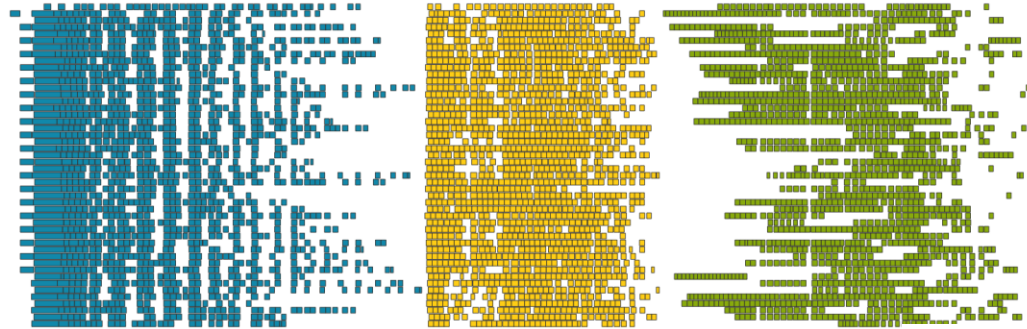
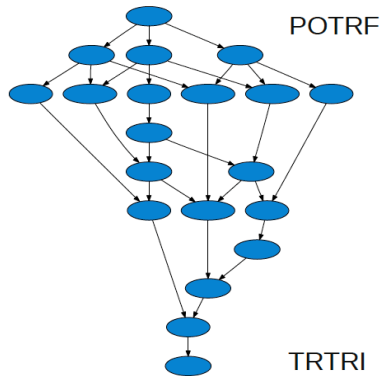
● GASPI/GPI

- PGAS one-sided programming (www.gpi-site.com/gpi2)
- Interoperable with MPI

Parallel Programmers use...

- **Fortran, C/C++ with MPI for communicating between tasks**
 - works for applications running on shared and distributed memory systems
- **Fortran, C/C++ with OpenMP**
 - For applications that need performance that is satisfied by a single node (shared memory)
- **Hybrid combination of MPI/OpenMP**
 - ECMWF's IFS uses this approach (over 15 years now)
- **Hybrid combination of MPI/OpenACC (for GPU)**
 - Meteo-Swiss have ported COSMO to NVIDIA GPU
- **Early years for DAGs (e.g. MPI + OmpSs)**

DAG example: Cholesky Inversion



DAG = Directed Acyclic Graph

Can IFS use this technology?

Source: Stan Tomov, ICL, University of Tennessee, Knoxville

Topics in Parallel Computing ...

Cache, Cache line

Domain decomposition

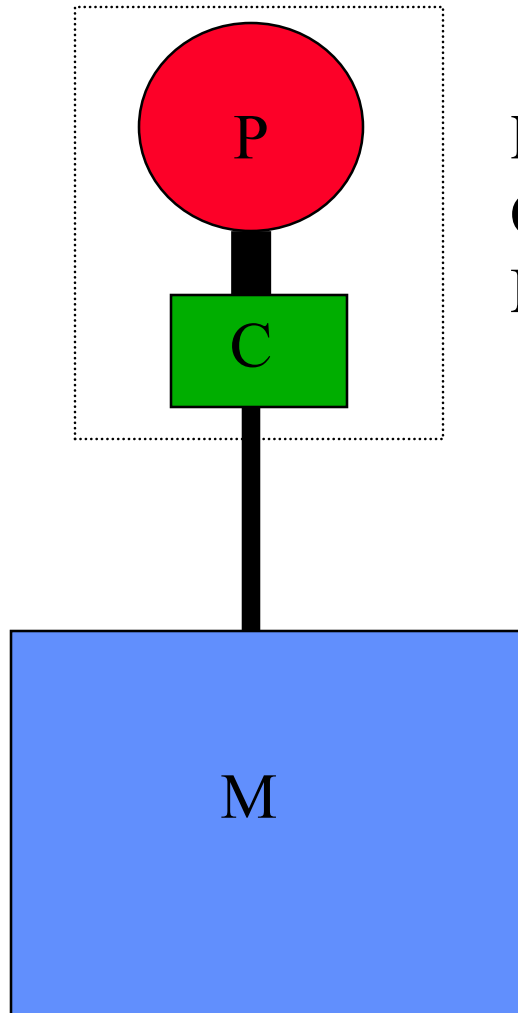
Halo, halo exchange

Load imbalance

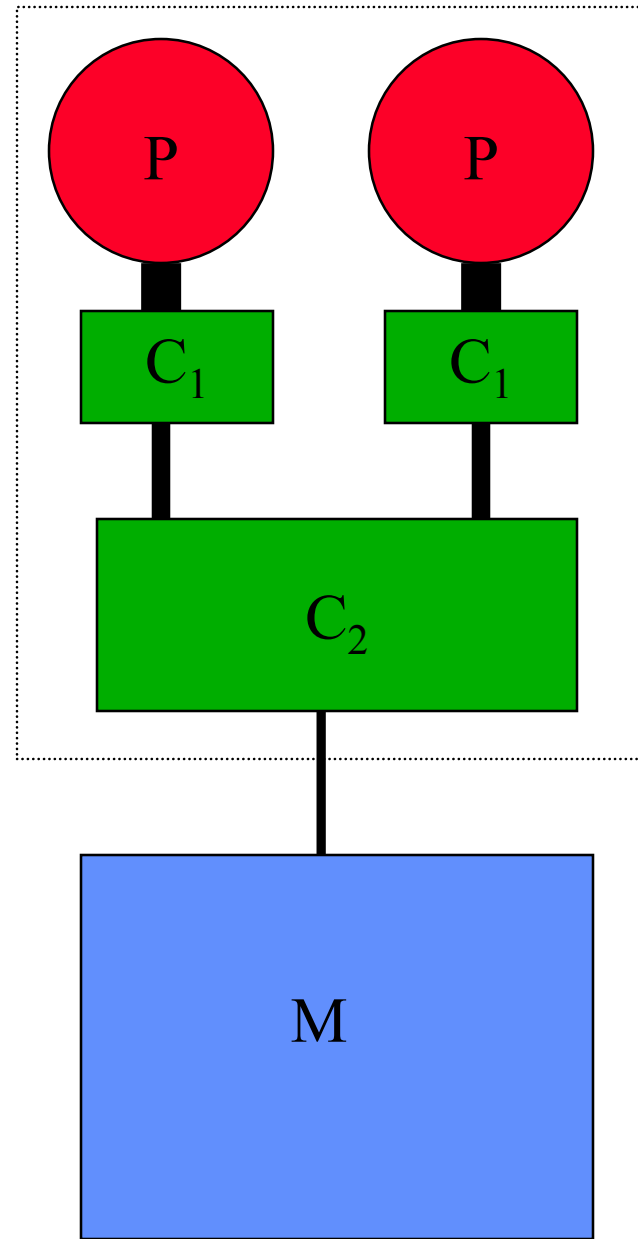
Synchronization

Barrier

Cache



P=Processor
C=Cache
M=Memory



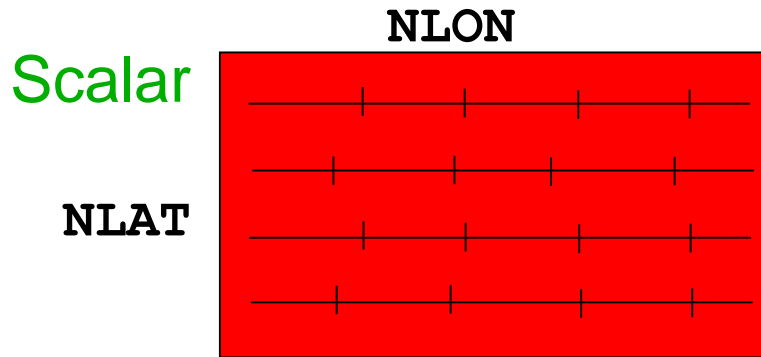
Cache on scalar systems

- Processors are 100's of cycles away from Memory
- Cache is a small (and fast) memory closer to processor
- Cache line typically 128 bytes
- Good for cache performance
 - Single stride access is always the best
 - Over inner loop leftmost index (fortran)

```
BETTER
DO J=1,N
  DO I=1,M
    A(I,J) = . . .
  ENDDO
ENDDO
```

```
WORSE
DO J=1,N
  DO I=1,M
    A(J,I) = . . .
  ENDDO
ENDDO
```

IFS Grid-Point Calculations (cache blocking example)



`U (NGPTOT , NLEV)`

`NGPTOT = NLAT * NLON`

`NLEV = vertical levels`

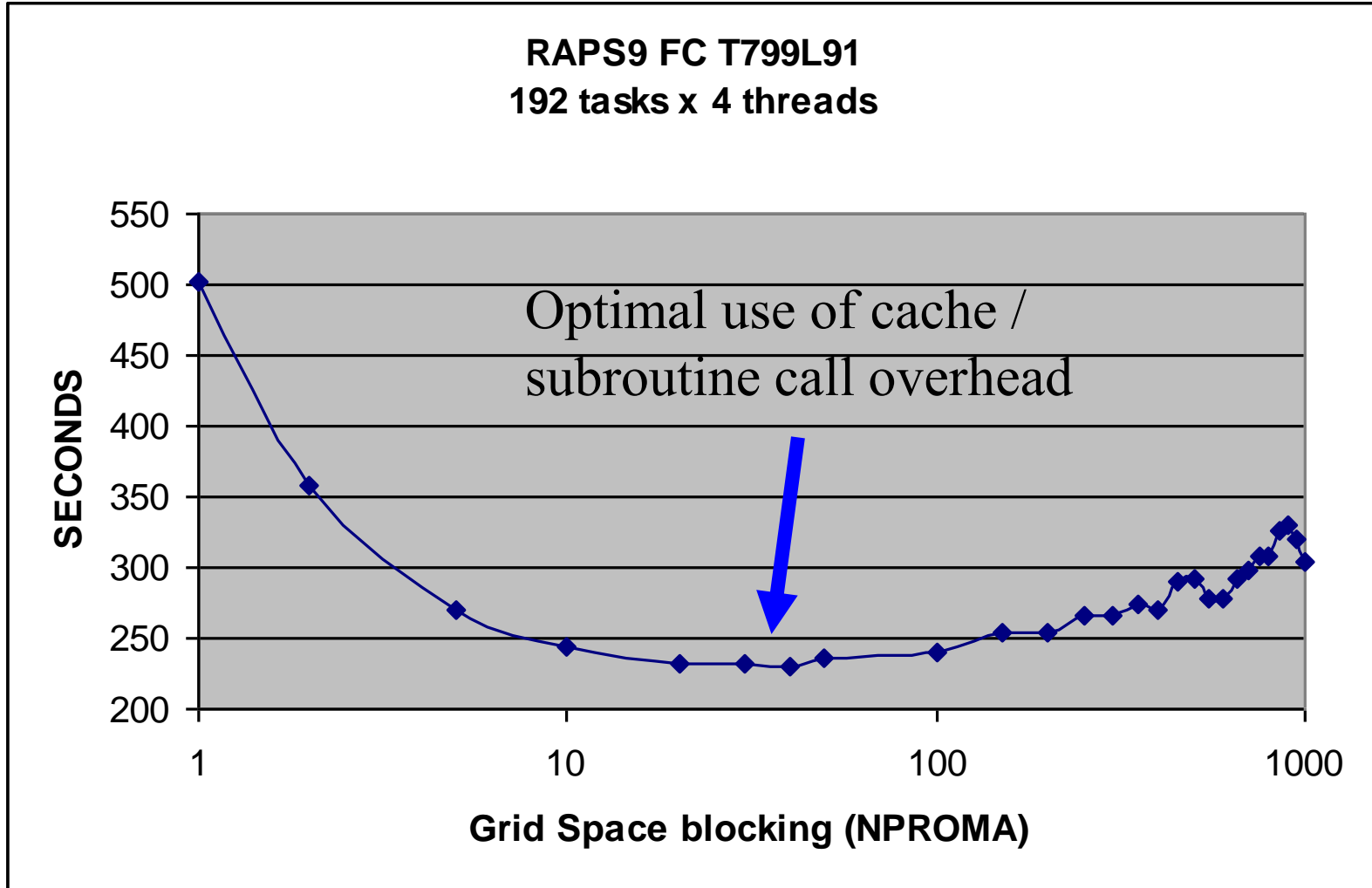


```
DO J=1, NGPTOT, NPROMA  
  CALL GP_CALC  
ENDDO
```

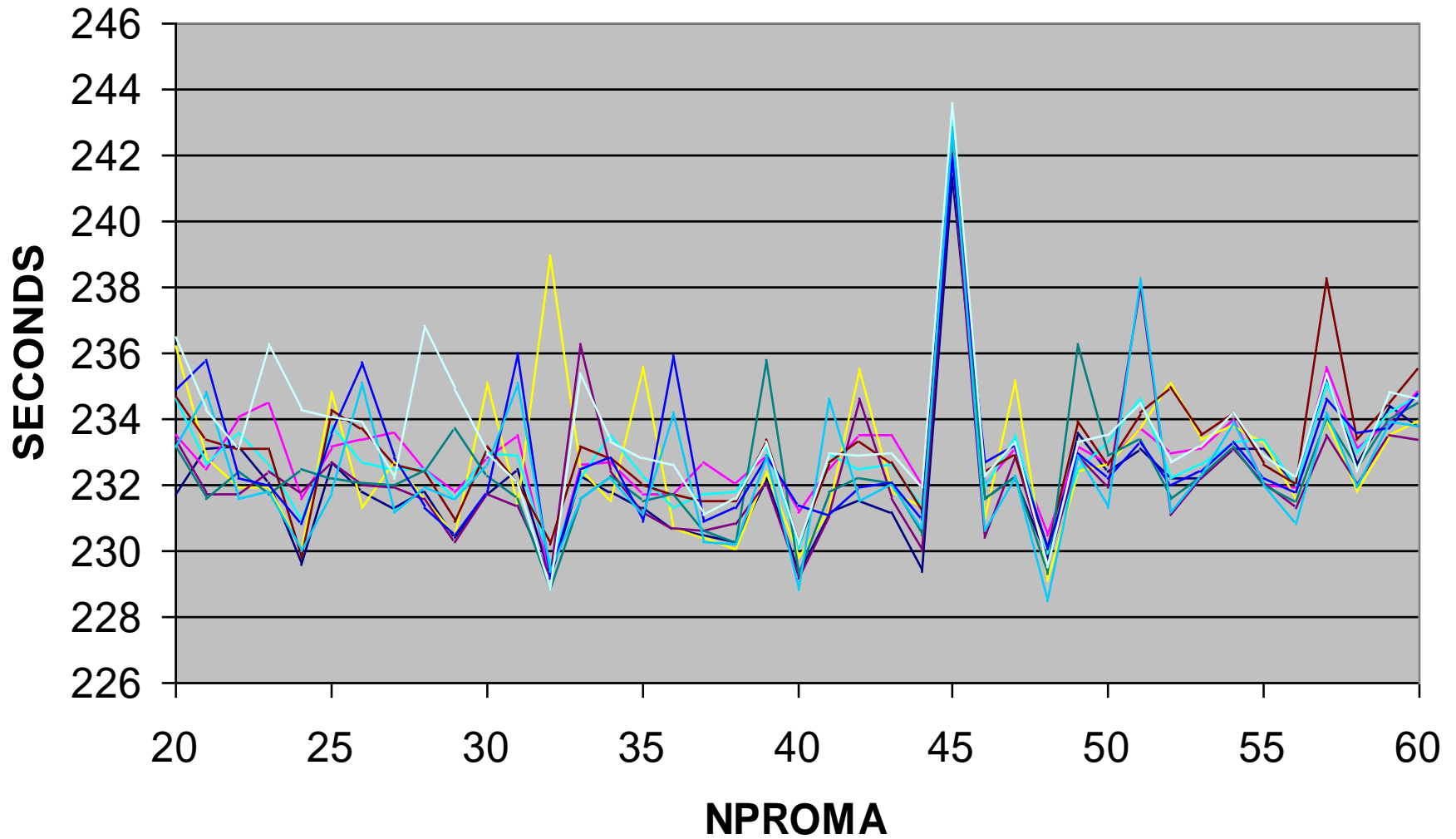
Lots of work
Independent for each J

```
SUB GP_CALC  
  
DO I=1, NPROMA  
ENDDO  
  
END
```

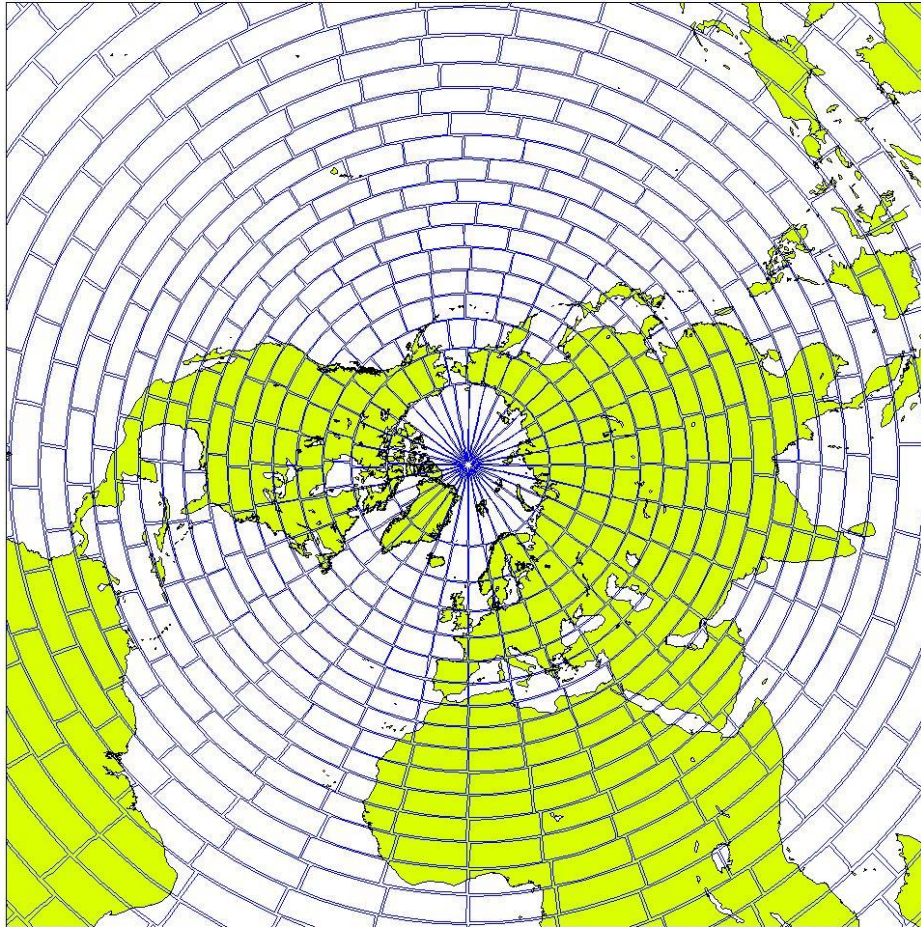
Grid point space blocking for Cache



T799 FC 192x4 (10 runs)

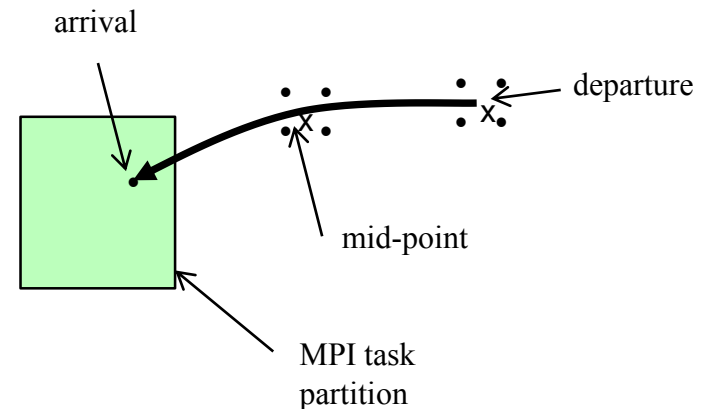


T_L799 1024 tasks 2D partitioning (used in past)



2D partitioning results in non-optimal Semi-Lagrangian comms requirement at poles and equator!

Square shaped partitions are better than rectangular shaped partitions.



eq_regions partitioning algorithm (used in IFS)

2

Paul Leopardi



FIG. 1.1. Partition EQ(2,33)

where $e(x, y)$ is the \mathbb{R}^{d+1} Euclidean distance $\|x - y\|$.

The following definitions are specific to the main theorems stated in this paper.

DEFINITION 1.3. A set Z of partitions of \mathbb{S}^d is said to be diameter-bounded with diameter bound $K \in \mathbb{R}_+$ if for all $P \in Z$, for each $R \in P$,

$$\text{diam } R \leq K |P|^{-1/d}.$$

DEFINITION 1.4. The set of recursive zonal equal area partitions of \mathbb{S}^d is defined as

$$\text{EQ}(d) := \{\text{EQ}(d, N) \mid N \in \mathbb{N}_+\}. \quad (1.2)$$

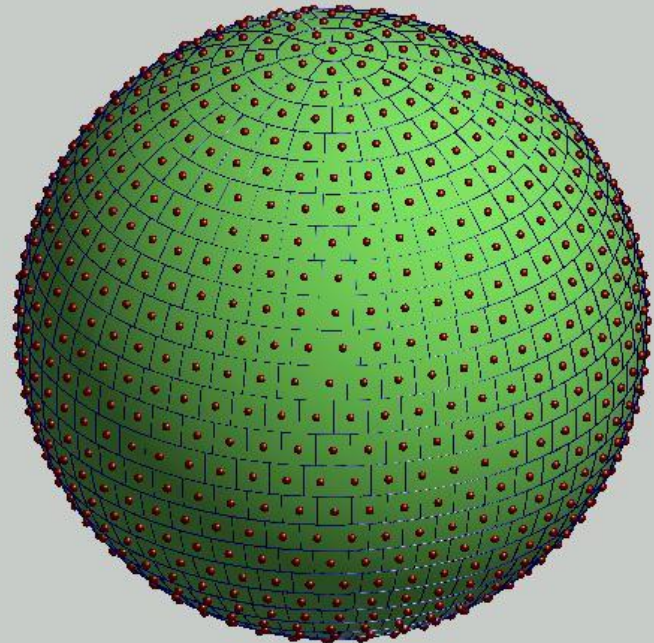
where $\text{EQ}(d, N)$ denotes the recursive zonal equal area partition of the unit sphere \mathbb{S}^d into N regions, which is defined via the algorithm given in Section 3.

This paper claims that the partition defined via the algorithm given in Section 3 is an equal area partition which is diameter bounded. This is formally stated in the following theorems.

THEOREM 1.5. For $d \geq 1$ and $N \geq 1$, the partition $\text{EQ}(d, N)$ is an equal area partition of \mathbb{S}^d .

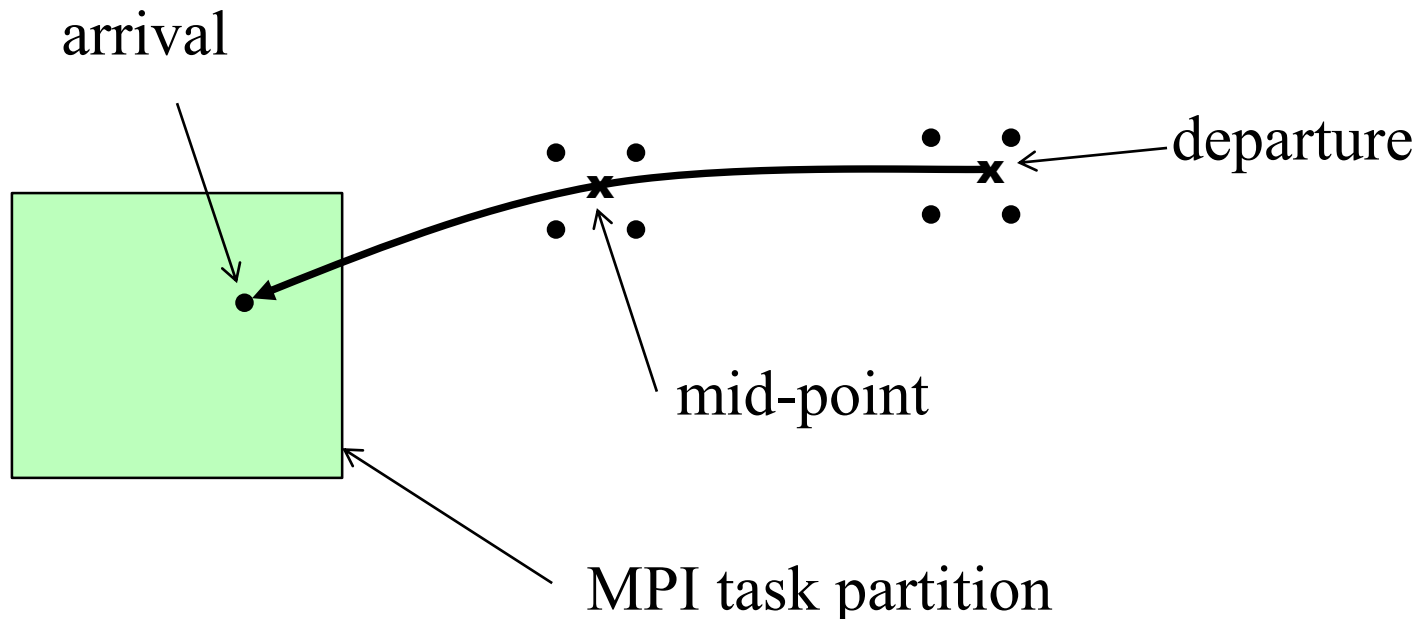
THEOREM 1.6. For $d \geq 1$, $\text{EQ}(d)$ is diameter-bounded in the sense of Definition 1.3.

Recursive zonal equal area partition of \mathbb{S}^2 into 1024 regions, showing the center point of each region.

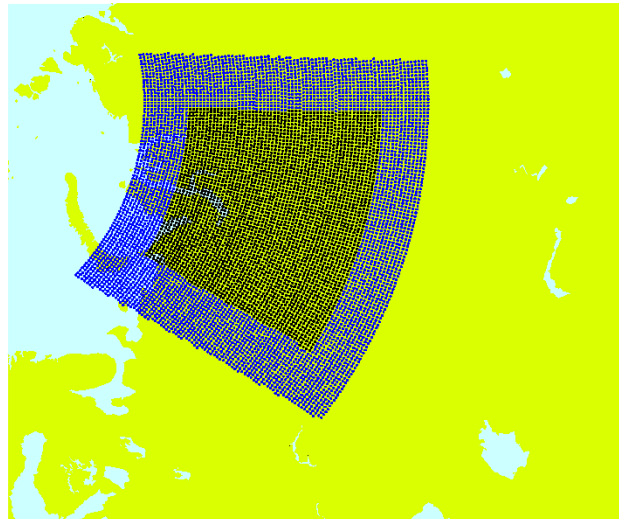
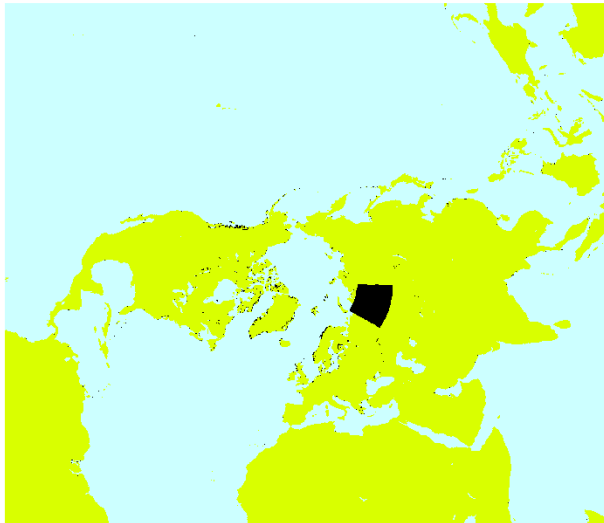


Halo example : IFS Semi-Lagrangian Transport

- **Computation of a trajectory from each grid-point backwards in time, and**
- **Interpolation of various quantities at the departure and at the mid-point of the trajectory**



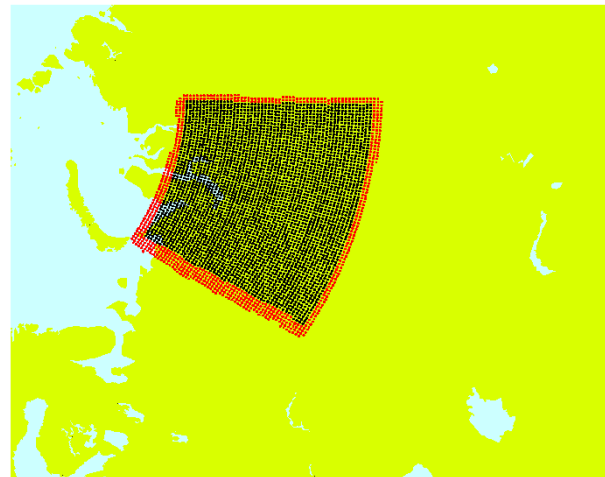
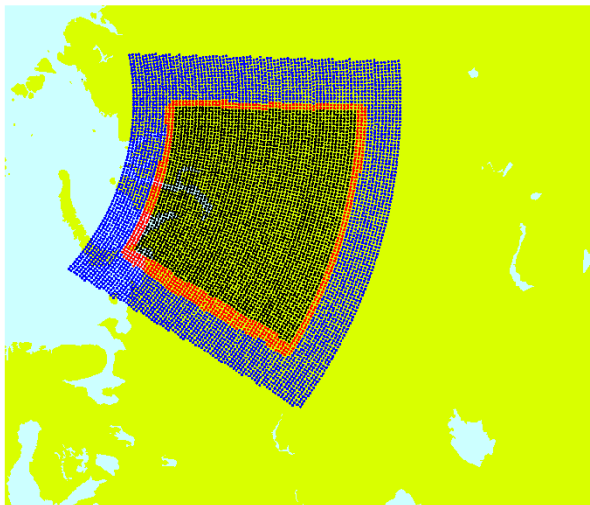
Halo's in IFS (T799 model, 256 tasks, showing task 11)



Black – grid points owned by task 11

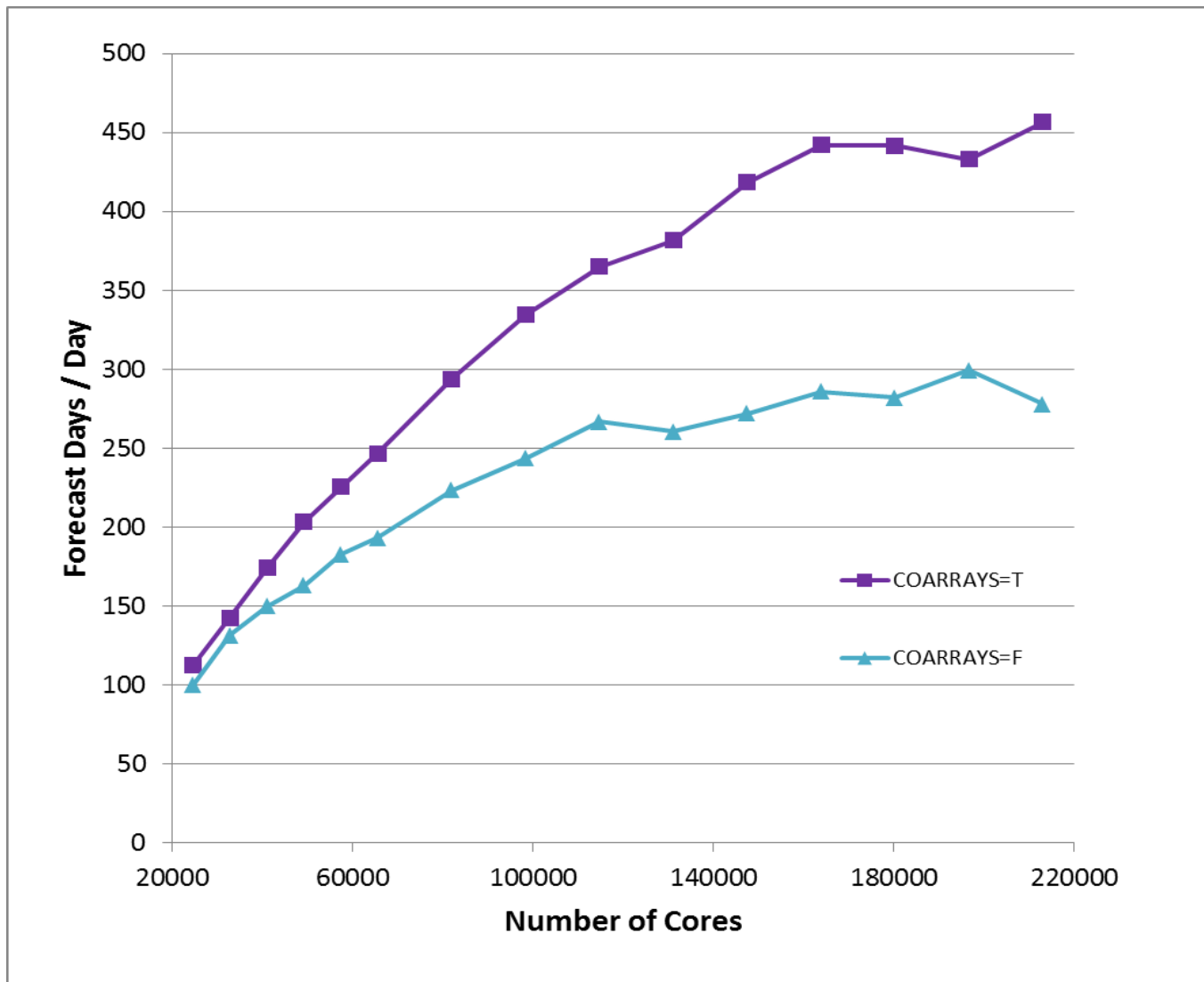
Blue – halo grid points, max wind x time-step

Red – grid points in halo actually used by task 11



Bottom two graphics
LH – using MPI
RH – using Fortran2008
coarrays (PGAS)

5 km IFS model scaling on TITAN (Fortran2008 coarrays)



Characteristics of codes that will perform well on all parallel computers

- **Computation**
 - High computational intensity
 - Little use of memory bandwidth
- **Memory**
 - Locality of reference
 - Registers or first level cache
- **Communication**
 - Infrequent nearest neighbour or no communication
- **Input/Output**
 - Relatively low volume, or
 - Parallel implementation (in dedicated nodes)

