

Analysis and forecast uncertainties in the tropics: why do we care?



Nedjeljka Žagar

Universität Hamburg

DER FORSCHUNG | DER LEHRE | DER BILDUNG

Outline

Why do we care?

- Global response to tropical heating perturbations
(PhD thesis research by Katarina Kosovelj)
- Vertically propagating equatorial waves to the stratosphere
(research by Marten Blaauw)
- Coupling between the moisture and wind in tropical data assimilation
(PhD thesis research by Ziga Zaplotnik)

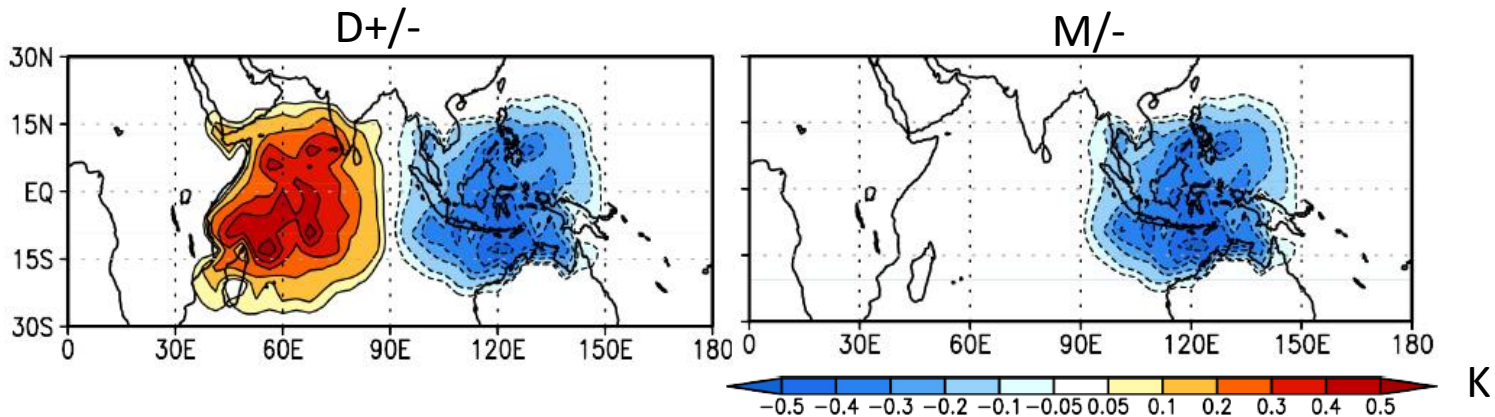
Analysis uncertainties and forecast errors in a perfect model

- Spectra of an/fc uncertainties

Possible implications for global predictability

Summary

Tropical heating perturbations



Perturbations resembling different phases of MJO

Vertical profile of a deep heating with max in the middle troposphere

$$\left(\frac{\partial T}{\partial t}\right)_{\text{pert}}(\lambda, \phi, \sigma) = F_{\text{SST}} H_{\text{pert}}(\lambda, \phi) \left(\frac{\partial T}{\partial t}\right)_{\text{CC}}(\phi, \sigma)$$

↑ horizontal structure*rand(0,1)

← T tendencies due to convection and LSC

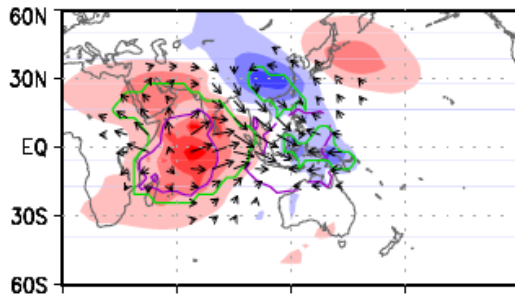
$$F_{\text{SST}} = k_s (SST - SST_{\text{crit}}) \quad \text{For } SST > SST_{\text{crit}}, \text{ and zero otherwise}$$

Ensemble of 100 winters (1911-2010), with ERA-20C SST forcing

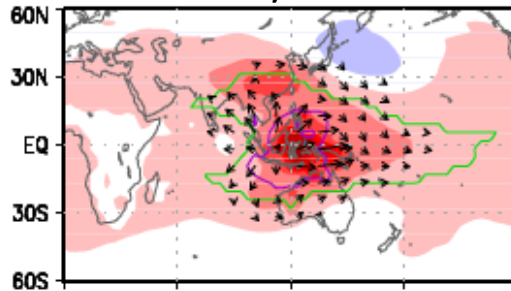
Response to tropical heating perturbations: day 3, 200 hPa

$$\bar{A}(t) = \frac{1}{J} \sum_{j=1}^J [A_j(t) - A_0(t)]$$
 ensemble-averaged response

D+/-



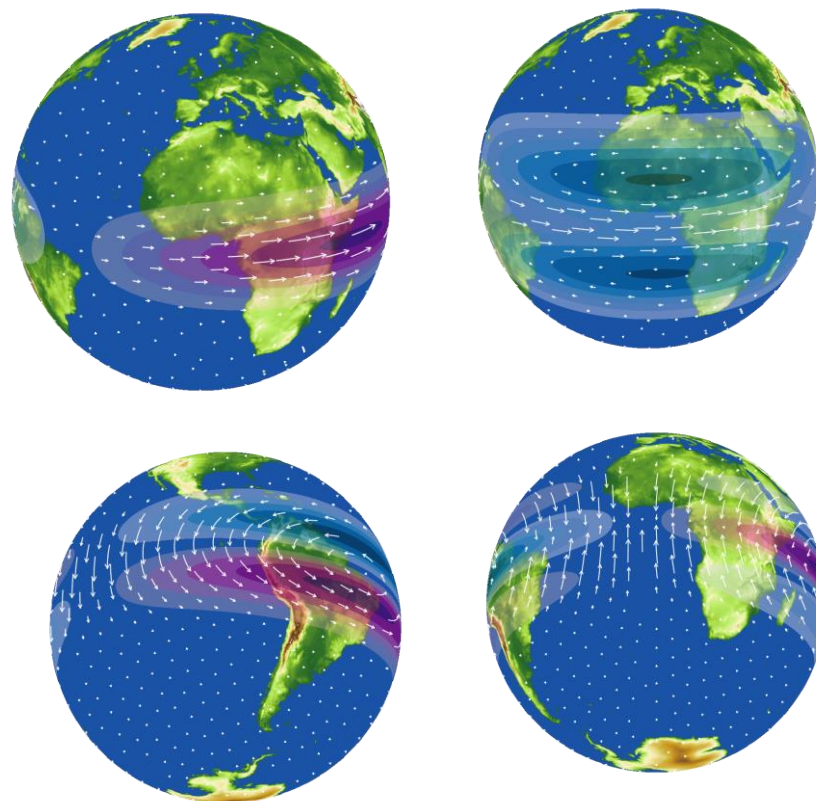
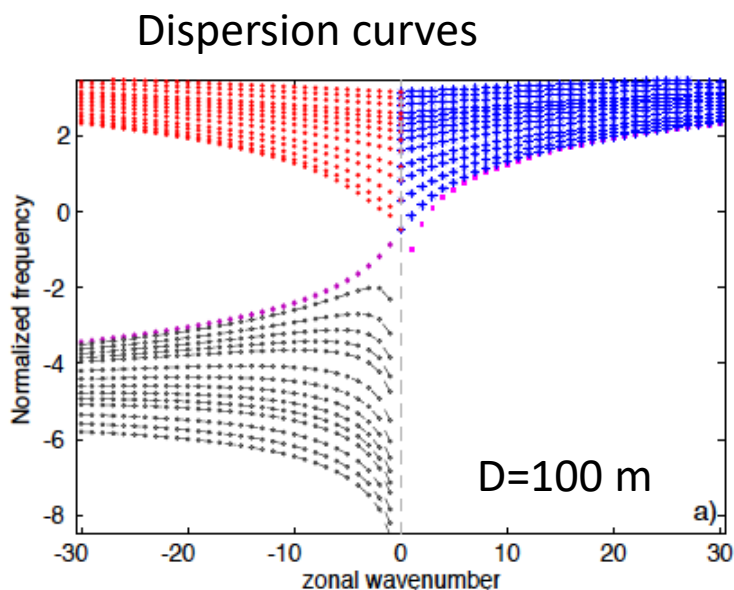
M/+



Total
response

Scale and dynamics decomposition of the response

Diagnostics in terms of the Rossby wave and inertio-gravity waves – normal modes of the linearized primitive equations \Leftrightarrow quantification of the response



Equatorial trapping

$$e = \frac{4W^2 a^2}{gD}$$

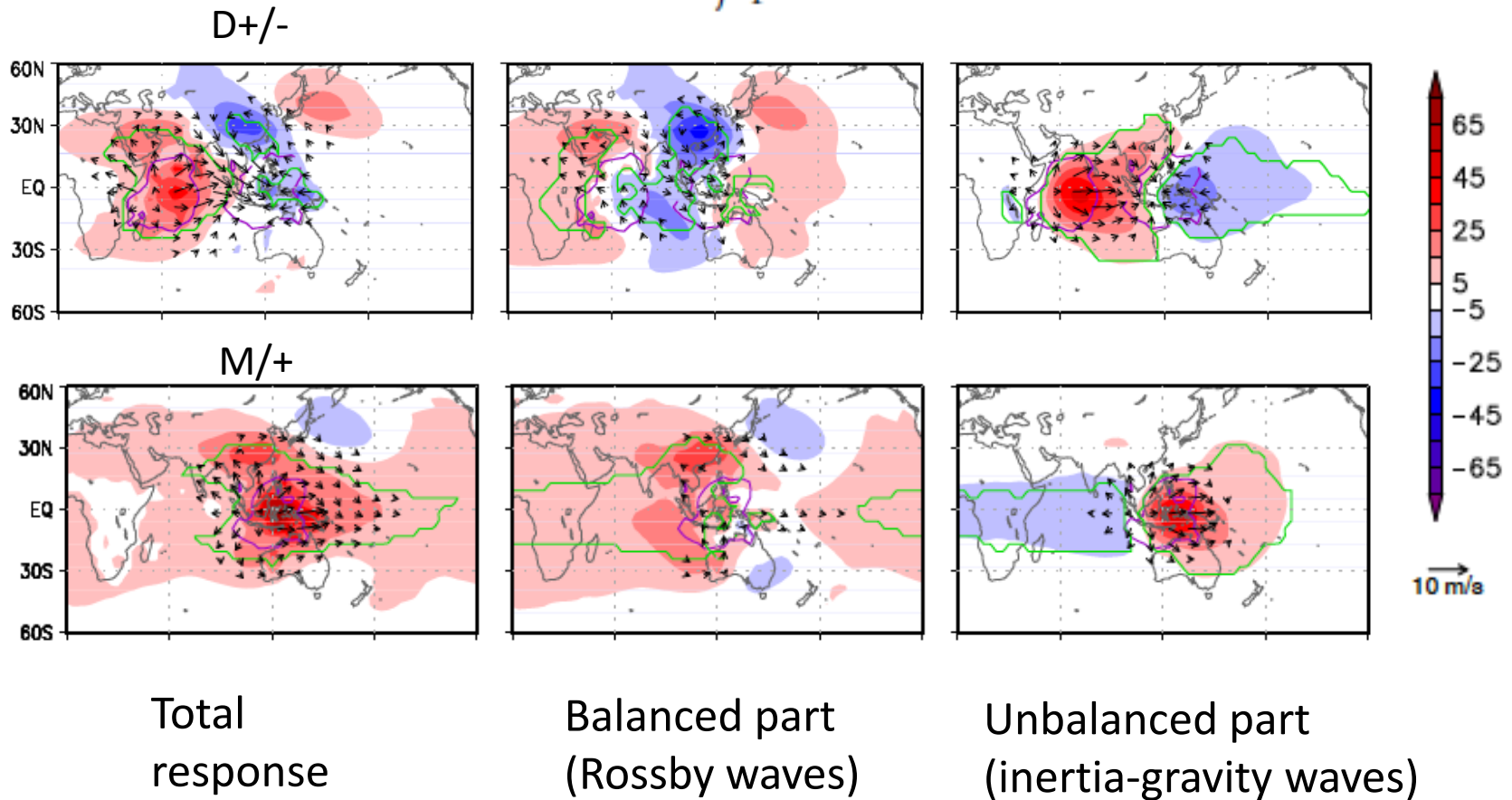
$$e_{eff} = e + k^2$$

J. Boyd

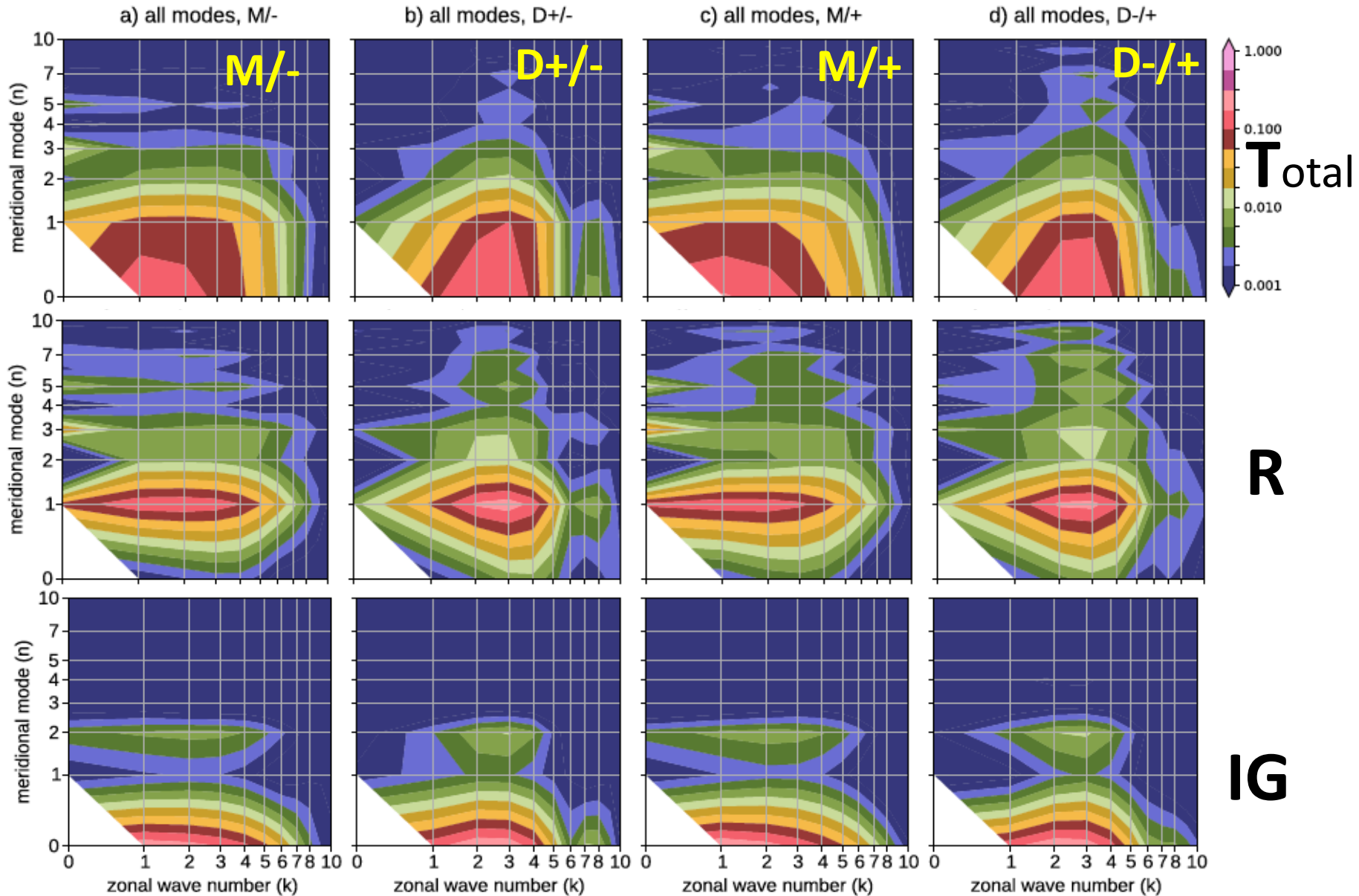
Response to tropical heating perturbations: day 3, 200 hPa

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ensemble-averaged
response

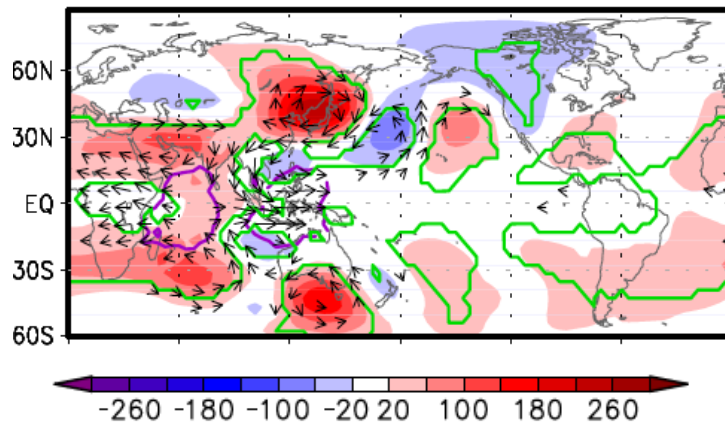


Spectral distribution of the response: day 3

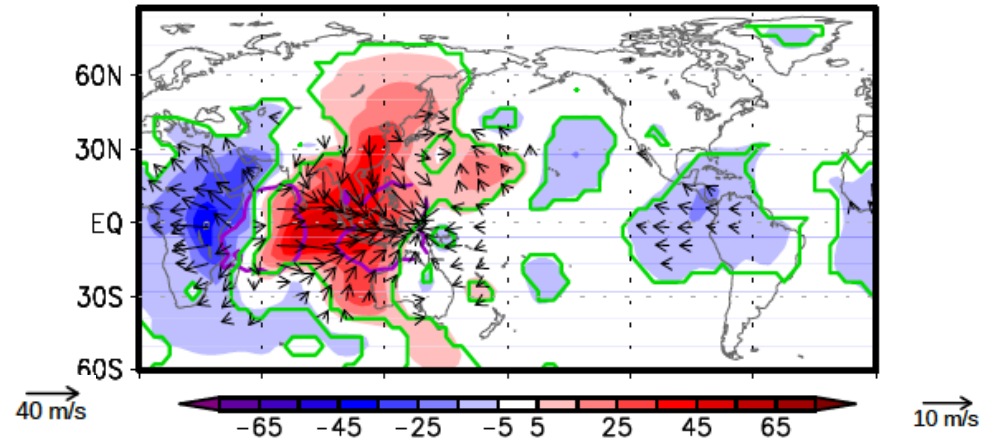


Response to tropical heating perturbations: day 14, 200 hPa, D+/-

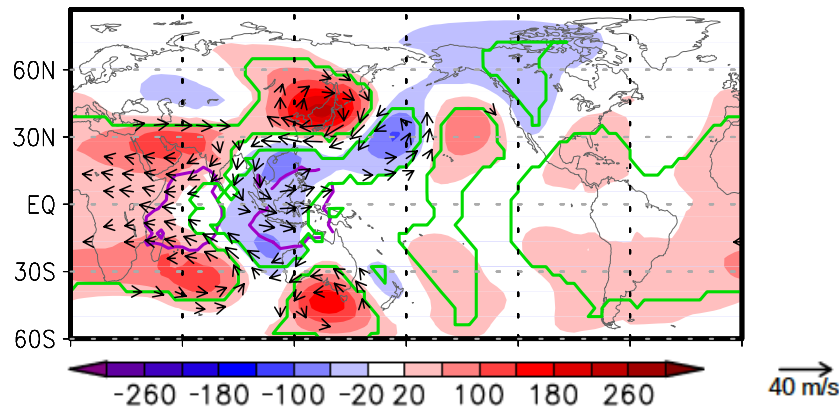
Total



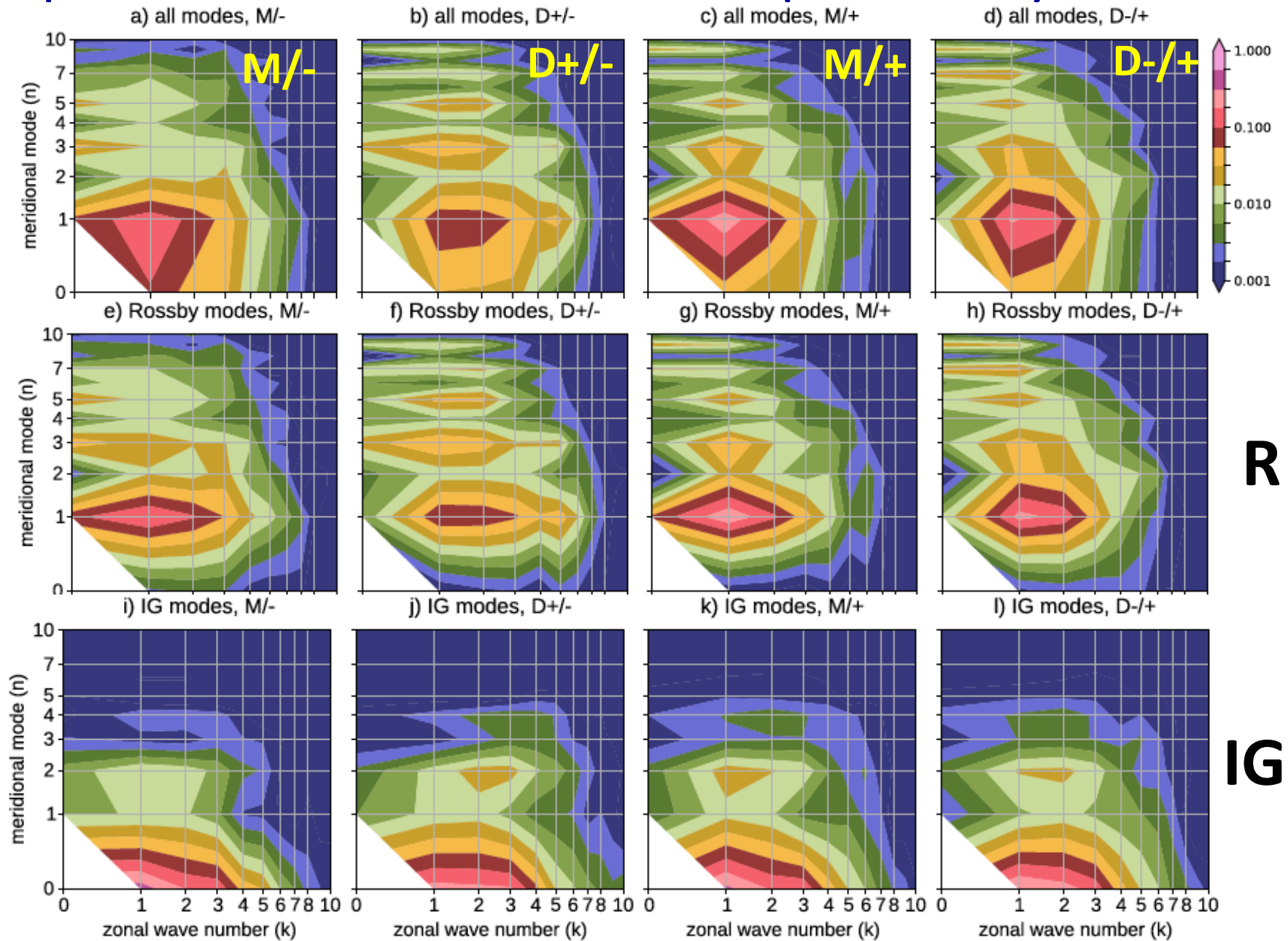
IG modes



Rossby waves

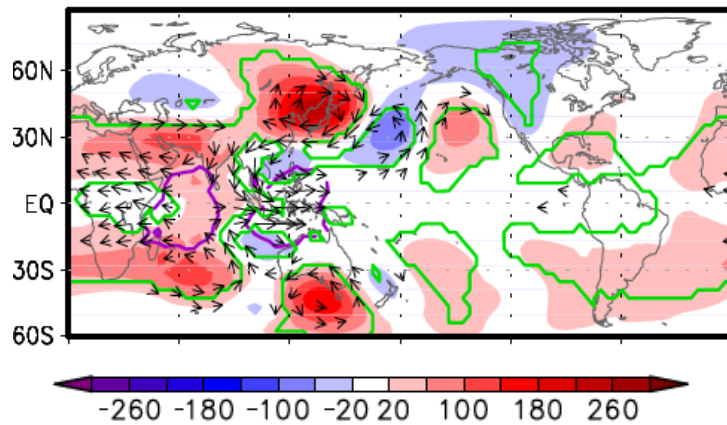


Spectral distribution of the response: day 14

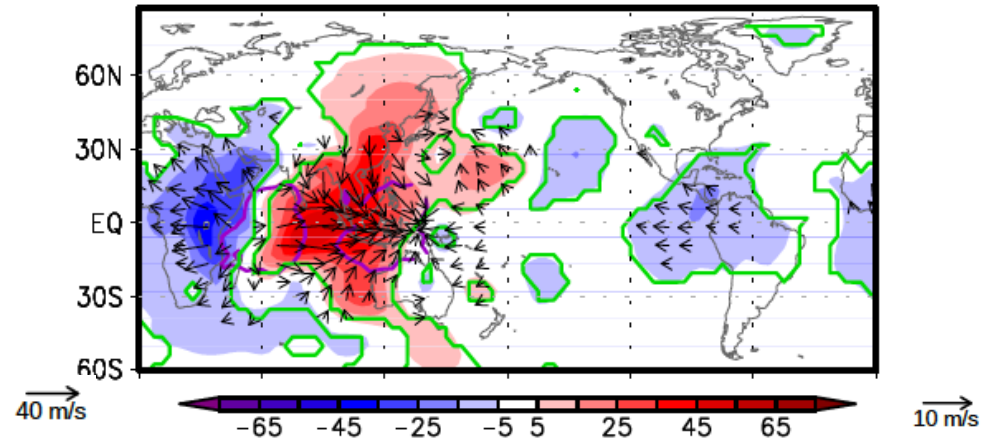


Response to tropical heating perturbations: day 14, 200 hPa, D+/-

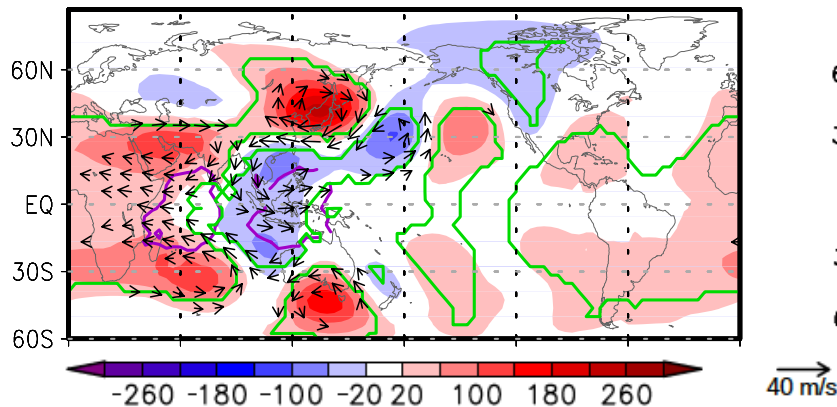
Total



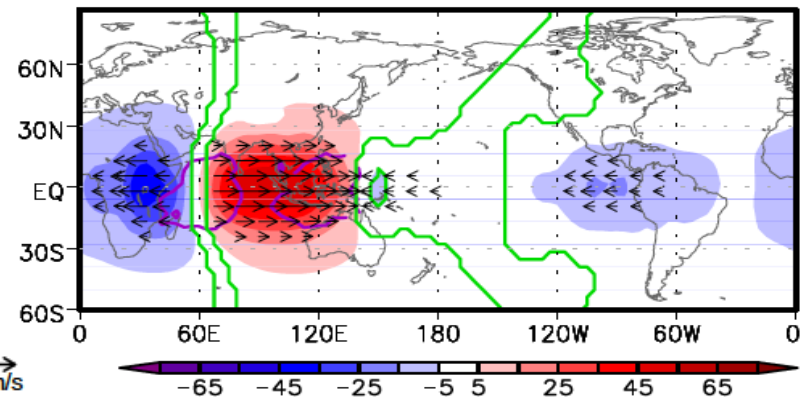
IG modes



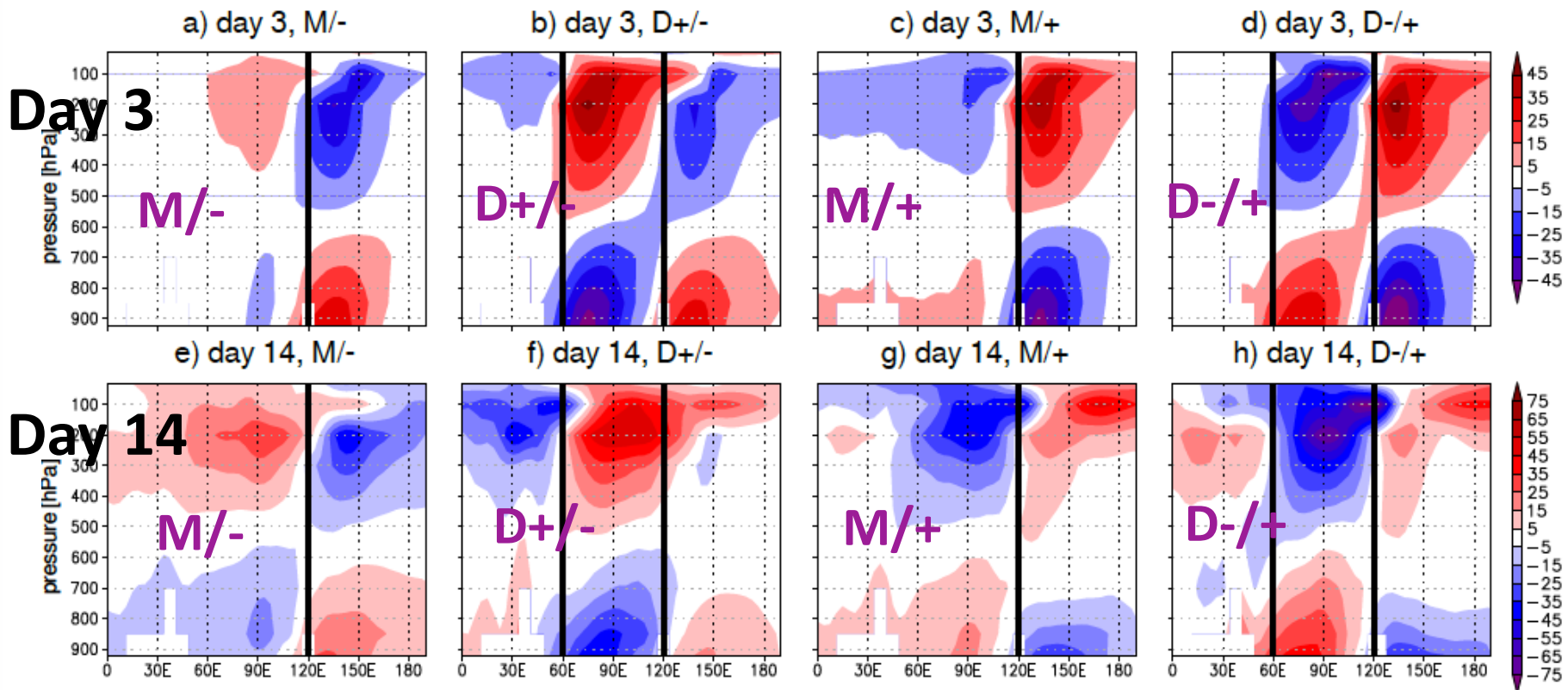
Rossby waves



Kelvin wave



Kelvin wave response to tropical heating perturbations



Vertical cross section of the Kelvin wave response along the EQ
Black line: the central latitude of the heating source

Tropical origin of midlatitude extratropical waves: scale properties

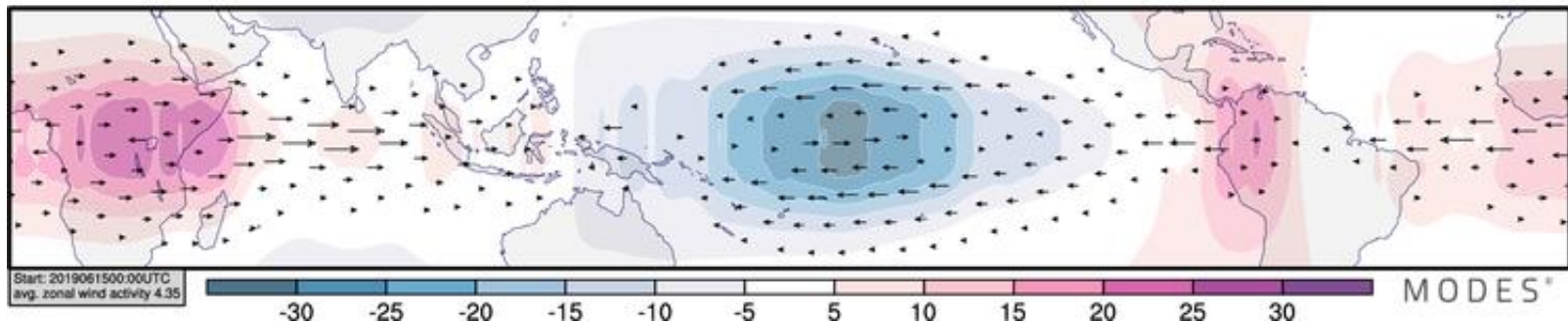
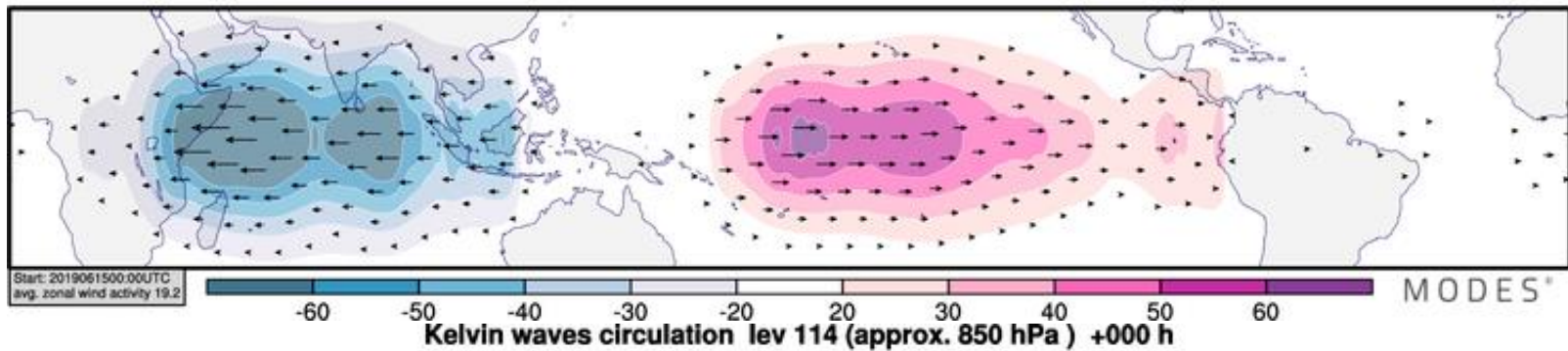
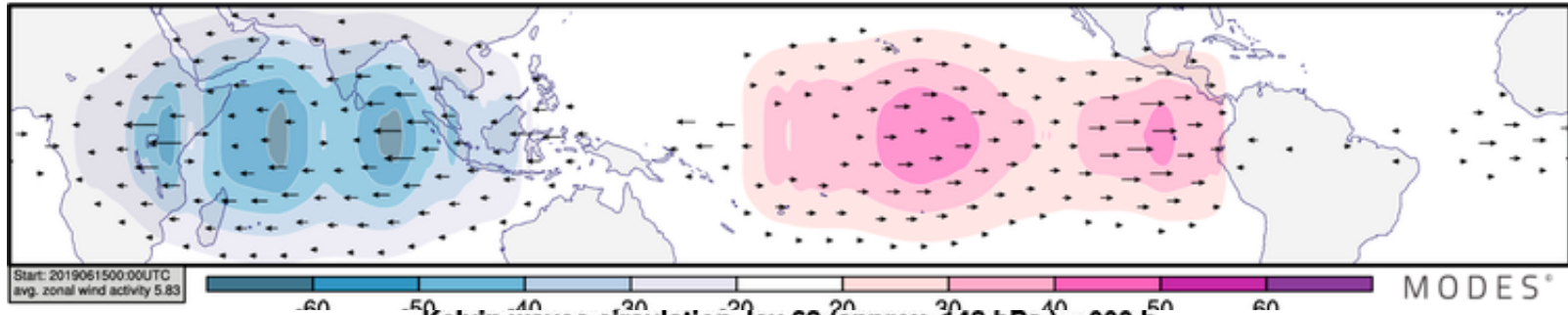
The overall response agrees with findings from previous linear, dry models. Perturbations mimicking phase 6 of MJO have a statistically significant impact over Europe in medium range

In short range, max response is in $k=2-3$ for dipole and in $k=1$ for monopole heating. In medium range, response to all perturbations maximizes at $k=1$, but stronger for dipole \Leftrightarrow accuracy of diabatic heating initialization affects the forecast quality on different scales in different MJO phases.

The short-term response is dominated by the equatorial inertio-gravity waves (60% variance), especially the Kelvin wave (85% of IG variance)

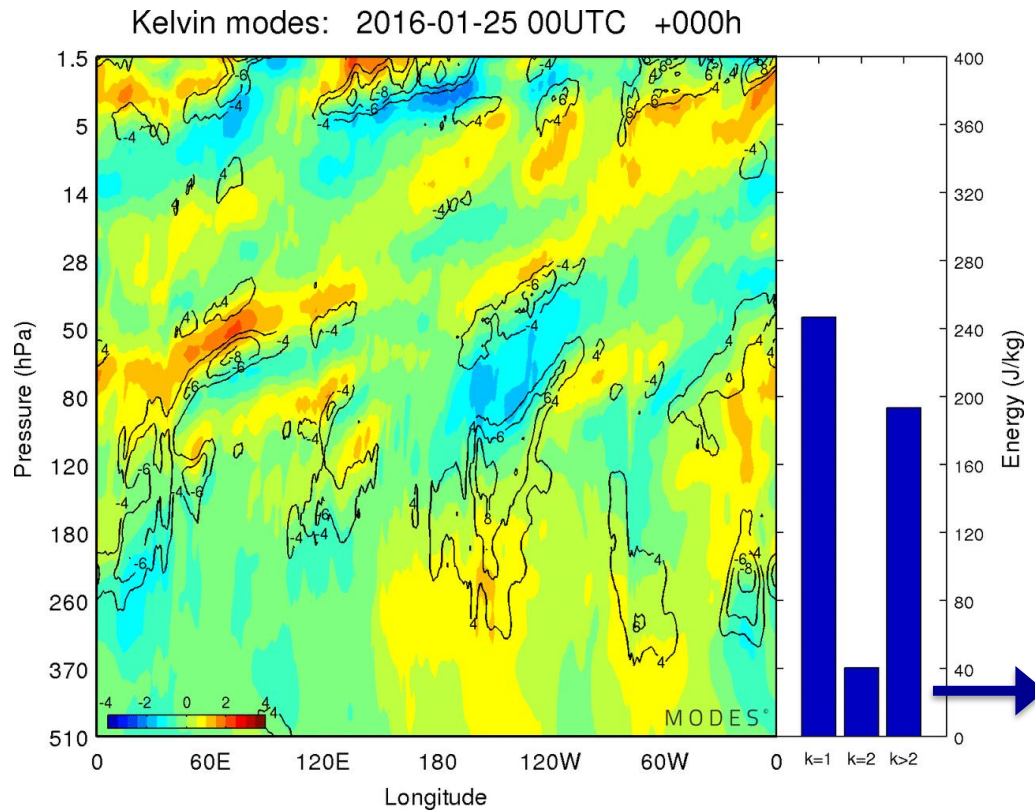
Kelvin wave of the day

Kelvin waves circulation lev 60 (approx. 100 hPa) +000 h



Nearly real Kelvin waves in ECMWF model: <http://modes.fmf.uni-lj.si>

Vertically-propagating Kelvin waves



Kelvin waves

10-day ECMWF
forecast

Active MJO

Colors: zonal wind
Isolines: Temperature

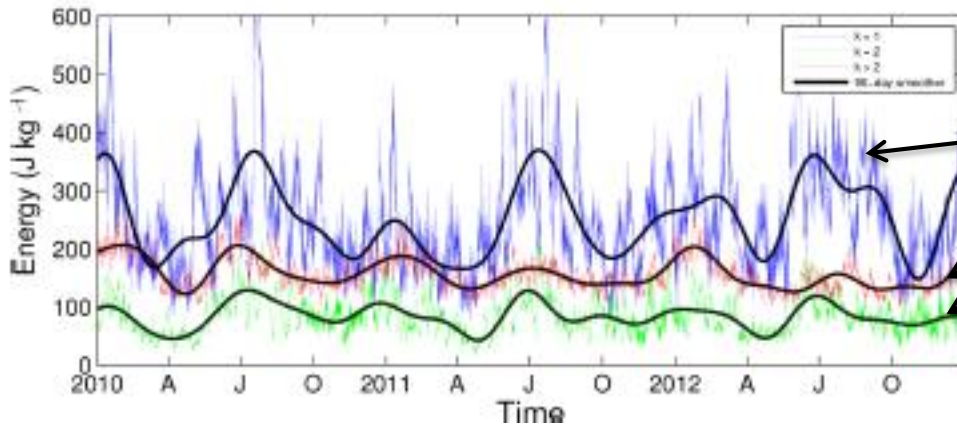
Energy in k=1,2,3

Vertical cross-section of Kelvin waves along the equator. Maximum of wave activity under the tropical tropopause over the Indian ocean

Nearly real Kelvin waves in ECMWF model: <http://modes.fmf.uni-lj.si>

Multi-scale variability of Kelvin waves

L91 6-hourly analyses

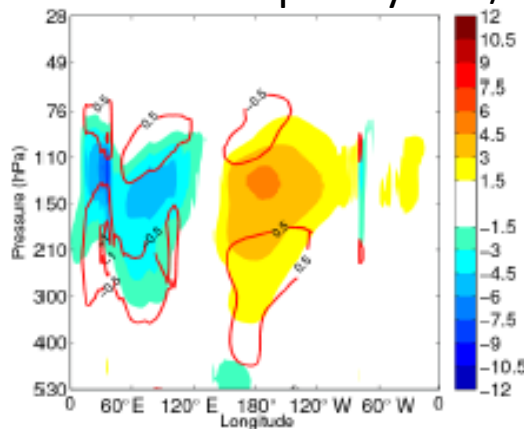


Zonal wavenumber $k=1$

$k > 2$
 $k = 2$

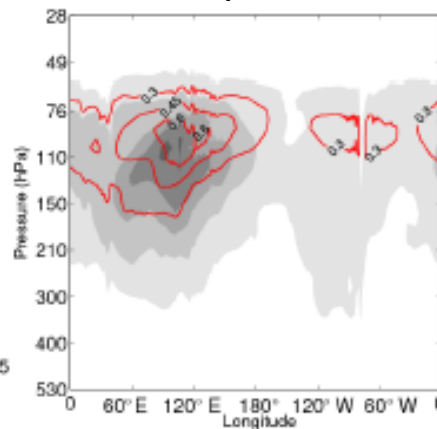
black lines: 90-day
low-pass filter

Low-frequency



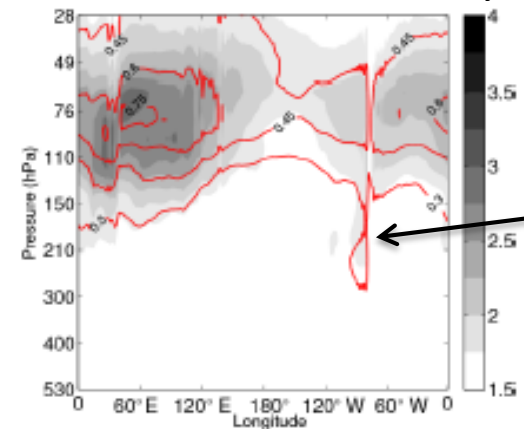
Quadrupole T structure
 $k=1$ structure, Gill-type
 20° W of clim. winds

Abs. amplitude intra-seasonal and Intra-monthly



Strongest in DJF
Eastward tilt with height

Blauuw and Žagar, 2018, ACP



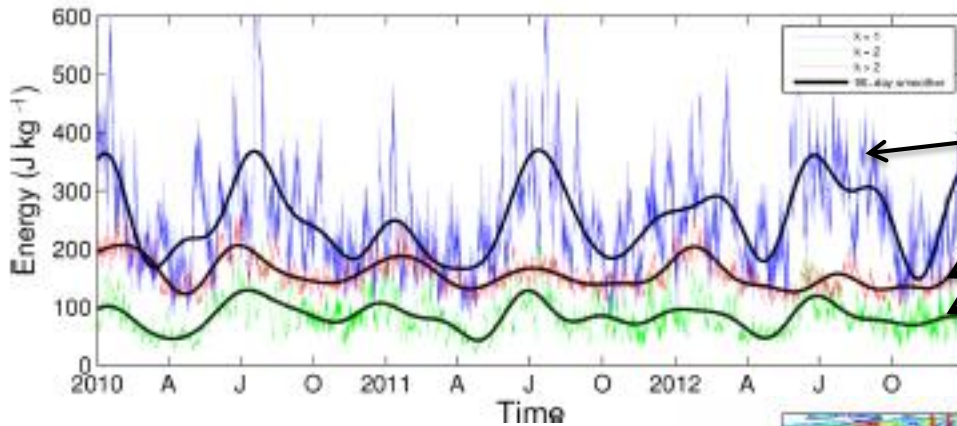
Max in 70-100 hPa
Modulated by seasonal
movement of the TTL

m/s

T

Multi-scale variability of Kelvin waves

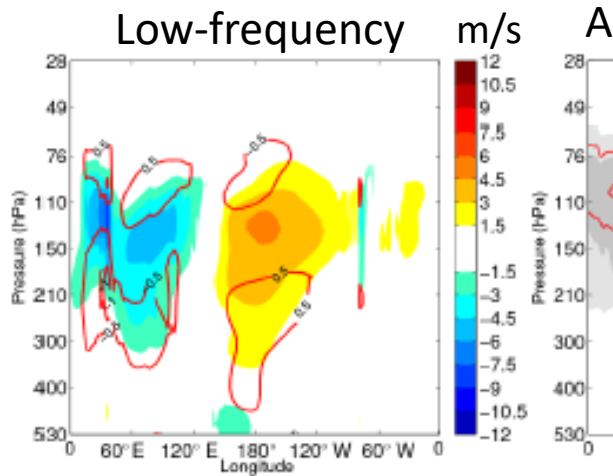
L91 6-hourly analyses



Zonal wavenumber $k=1$

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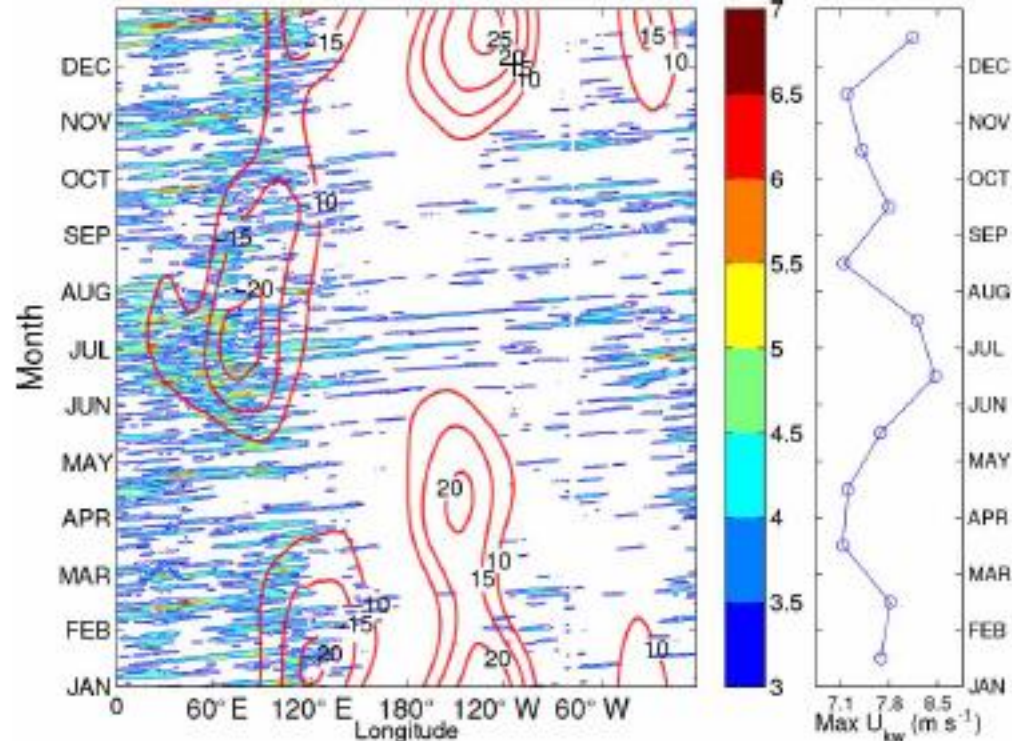
KW zonal wind
~110 hPa



Low-frequency
m/s
A

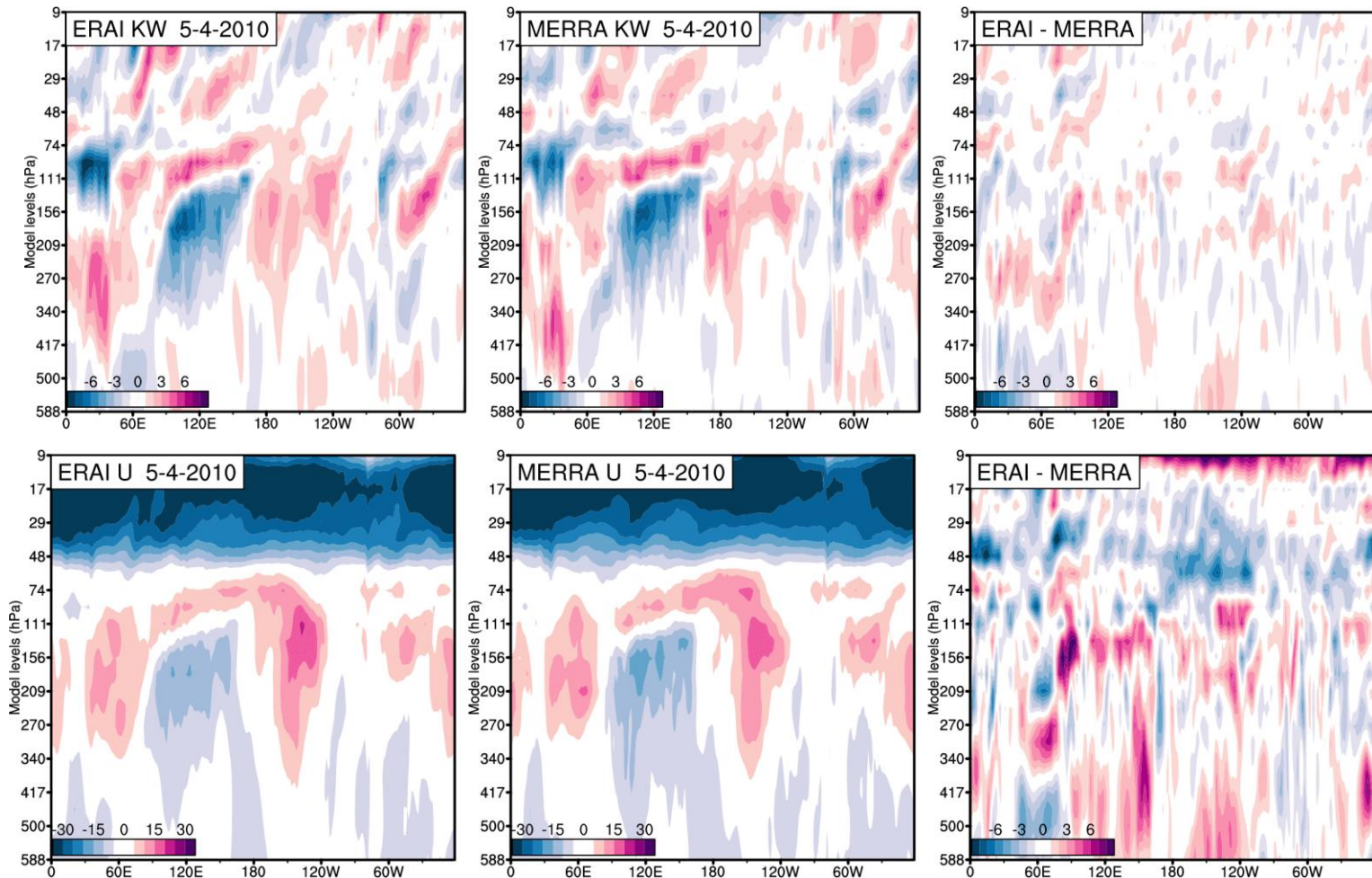
Quadrupole T structure
 $k=1$ structure, Gill-type
20° W of clim. winds

St
Ea



Max U_{kw} ($m s^{-1}$)

Uncertainties in tropical Kelvin wave analysis: ERA Interim vs. MERRA

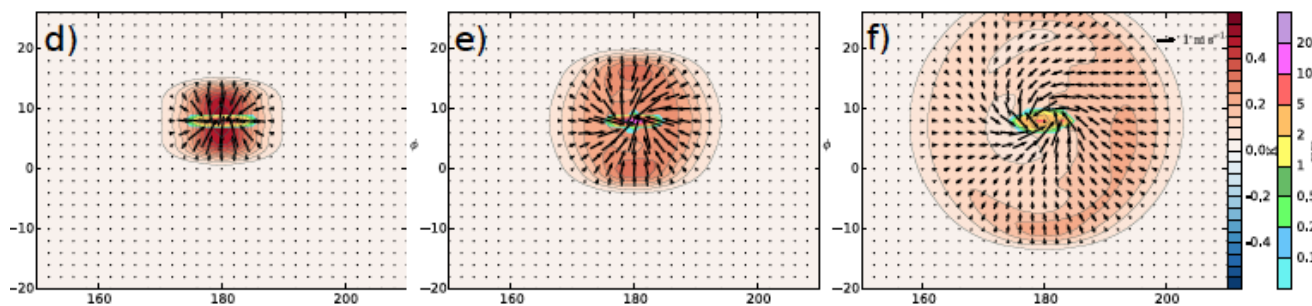
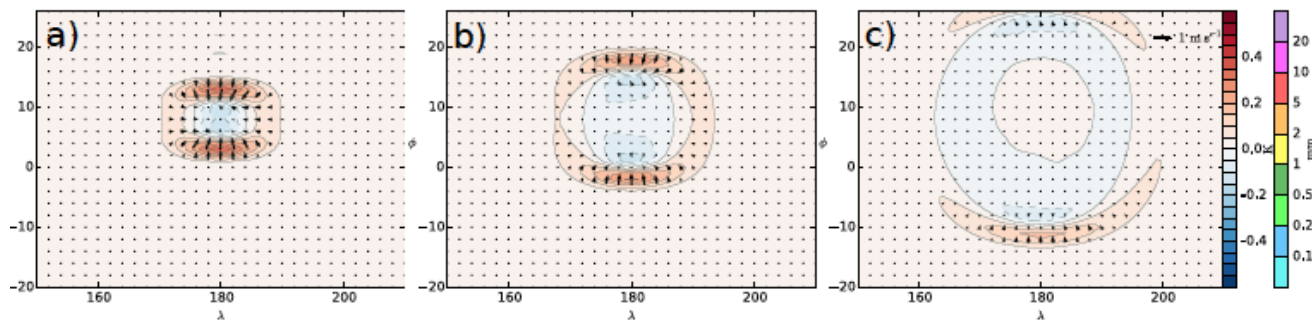


A simplified model of tropical atmosphere

MADDAM: Moist Atmosphere Dynamics Data
Assimilation Model

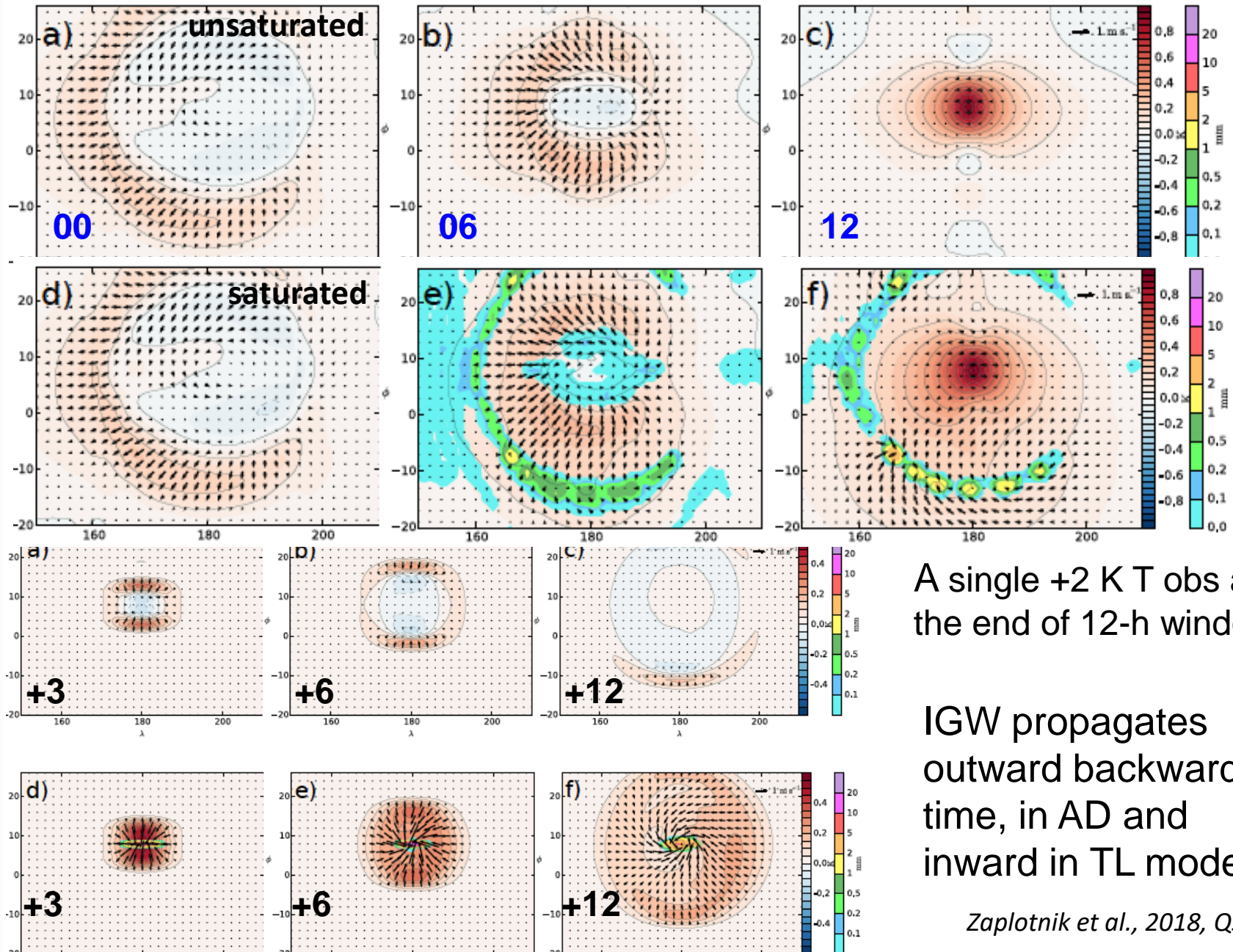
Adjustment to +1 K T perturbation
in mid-troposphere over ITCZ

Unsaturated bkg



Saturated bkg: more intense IGW dynamics

Inertio-gravity waves and 4D-Var in the tropics



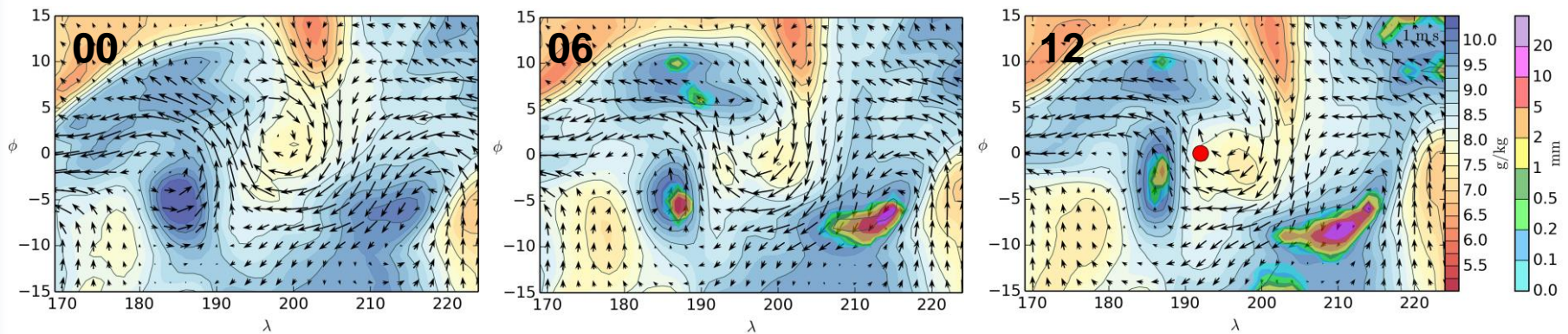
A single +2 K T obs at the end of 12-h window

IGW propagates outward backward in time, in AD and inward in TL model

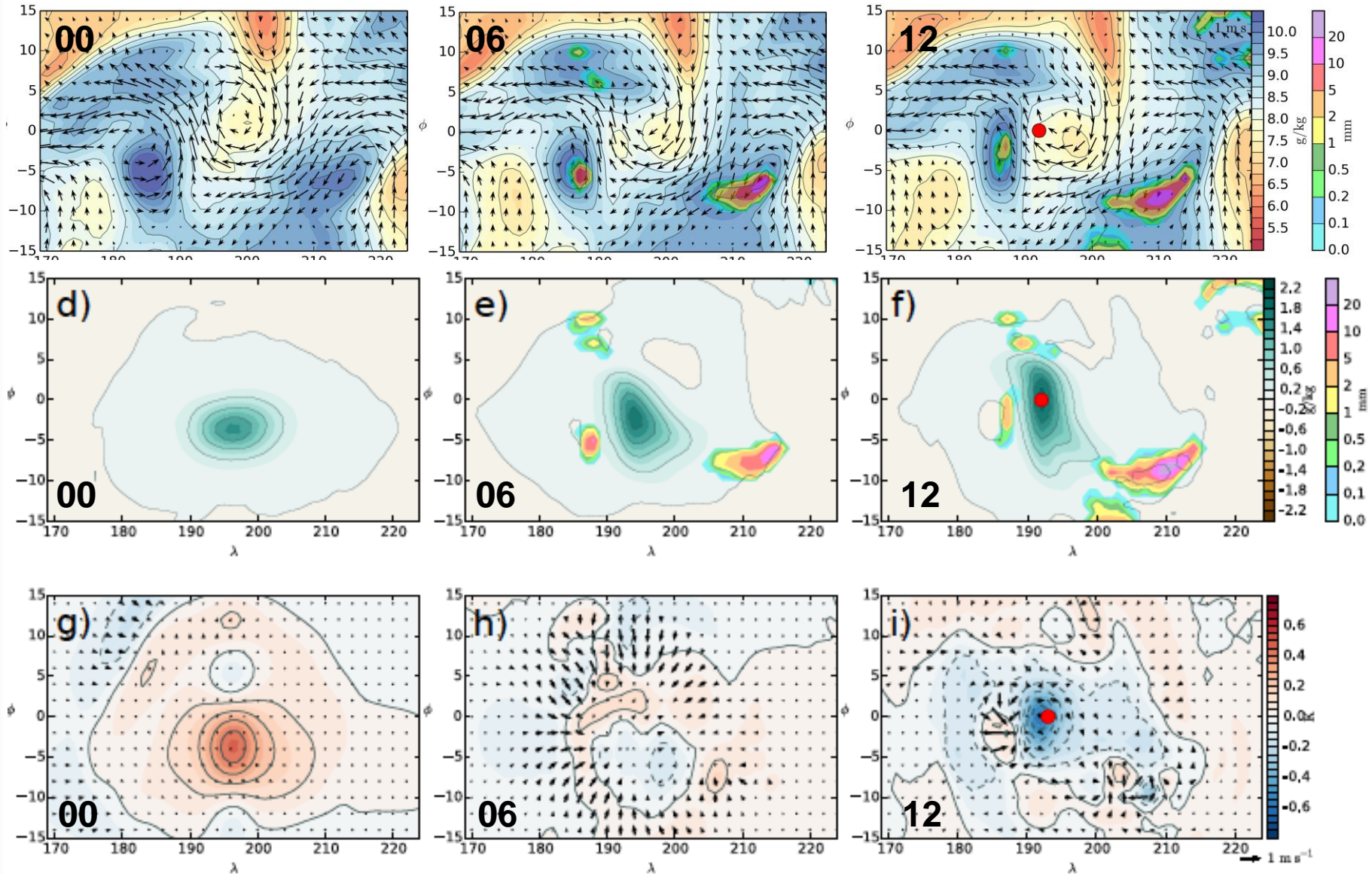
Assimilation of moisture observations in the tropics

A single moisture observation in MADDAM 12-hour window 4D-Var

Single saturated humidity observation (**RED** dot), 2.4 g/kg, with error 1.1 g/kg
Is located at the end of the window

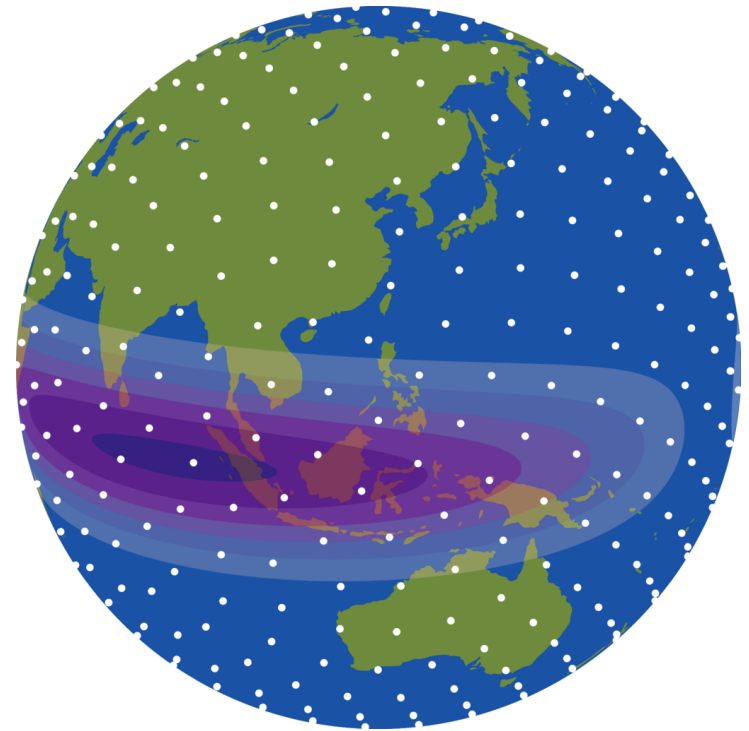


Impact of a single moisture observations in 12-h 4D-Var



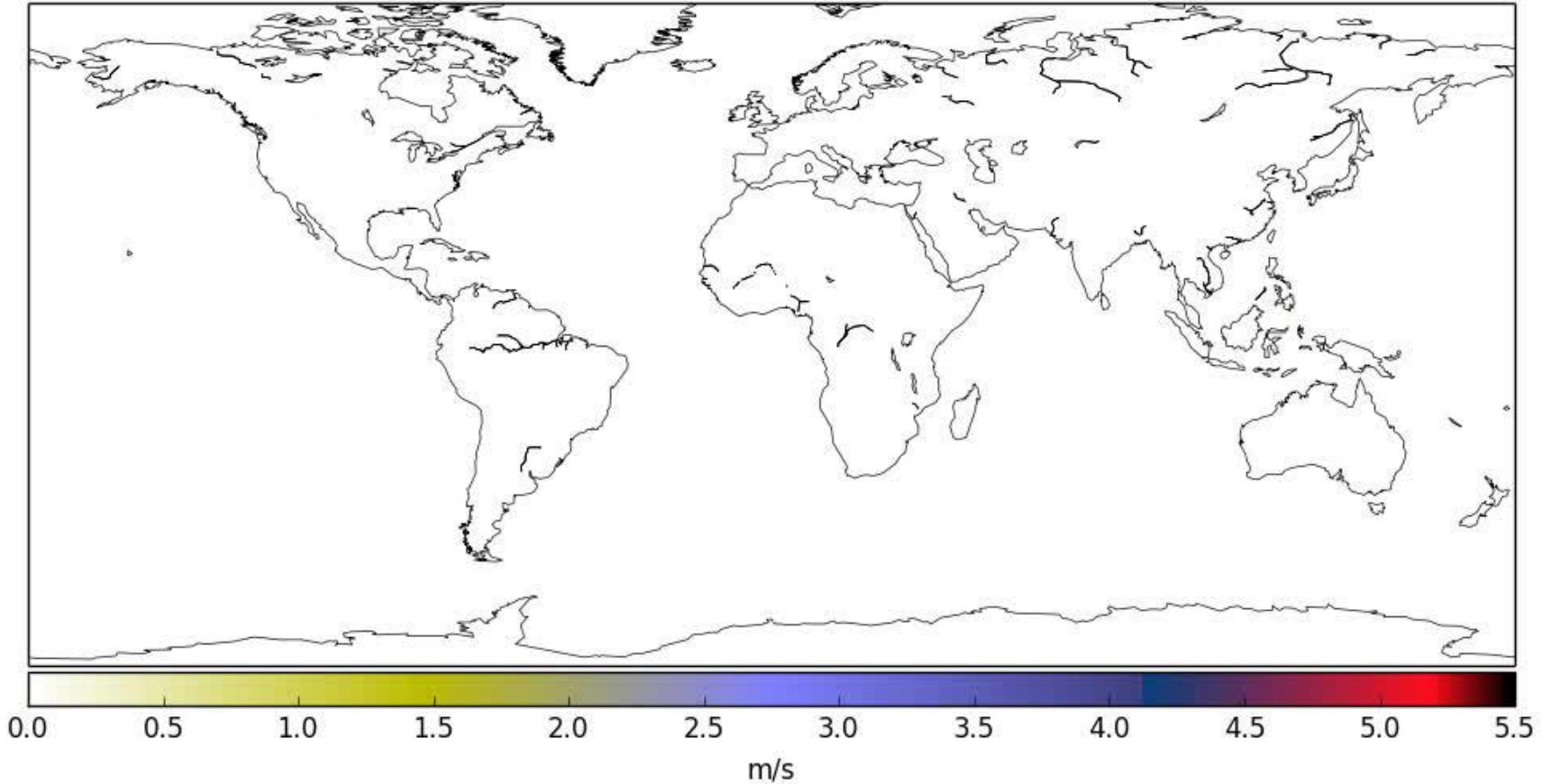
Towards understanding analysis uncertainties

- Perfect-model Observing System Simulation Experiment (OSSE)
- 80-member ensemble and EnKF
- No covariance inflation
- Homogeneous observing network ($\Delta \sim 920$ km)
- Long spin-up (from 1 Jan 2008) with the observed SST to reproduce nature run ('truth')
- Observations simulated by the nature run
- Assimilation cycle during three months (Aug-Oct) in 2008
- Data Assimilation Research Testbed (DART), <http://www.image.ucar.edu/DAReS/DART/>
- Model: NCAR T85 Community Atmosphere Model, CAM 4 physics

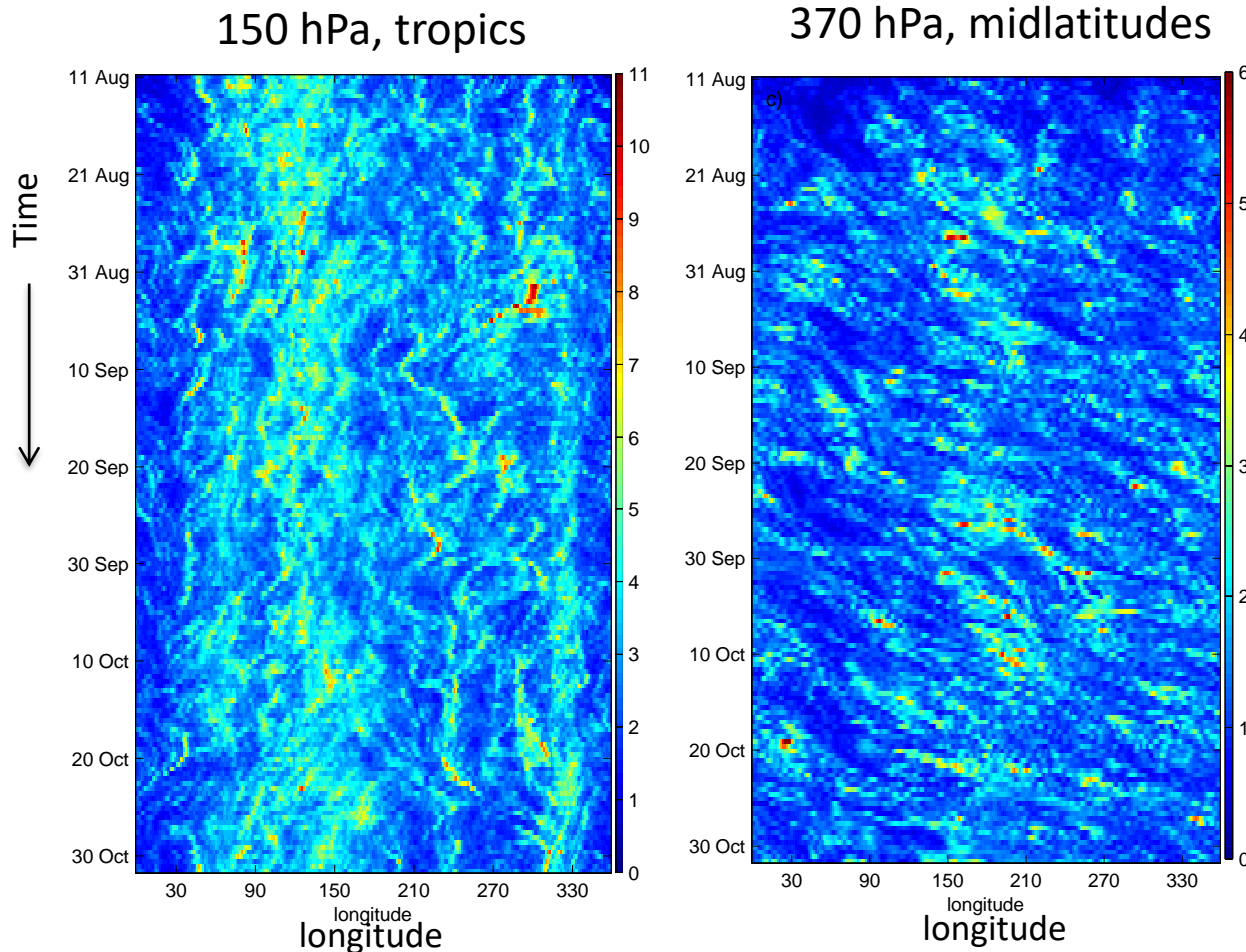


Analysis uncertainties (every 12 hr)

ZONAL WIND at 266 hPa
2008-08-01 00 UTC

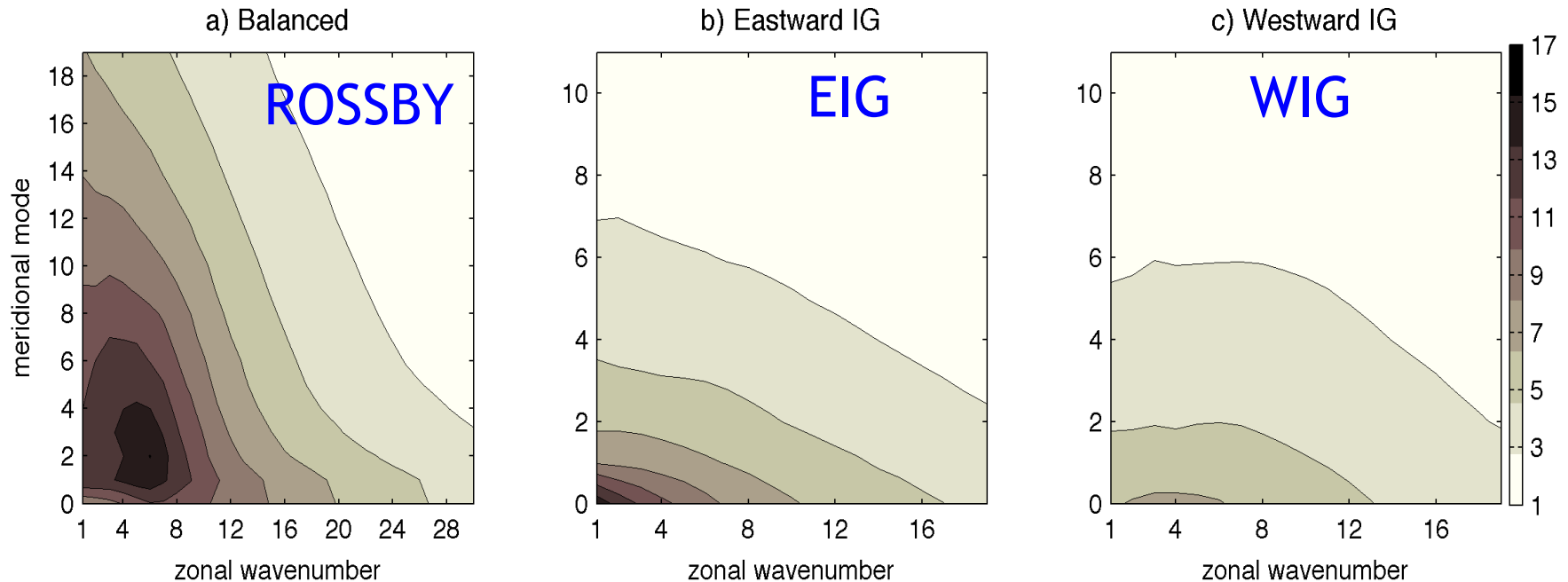


Flow dependency of short-term forecast uncertainties



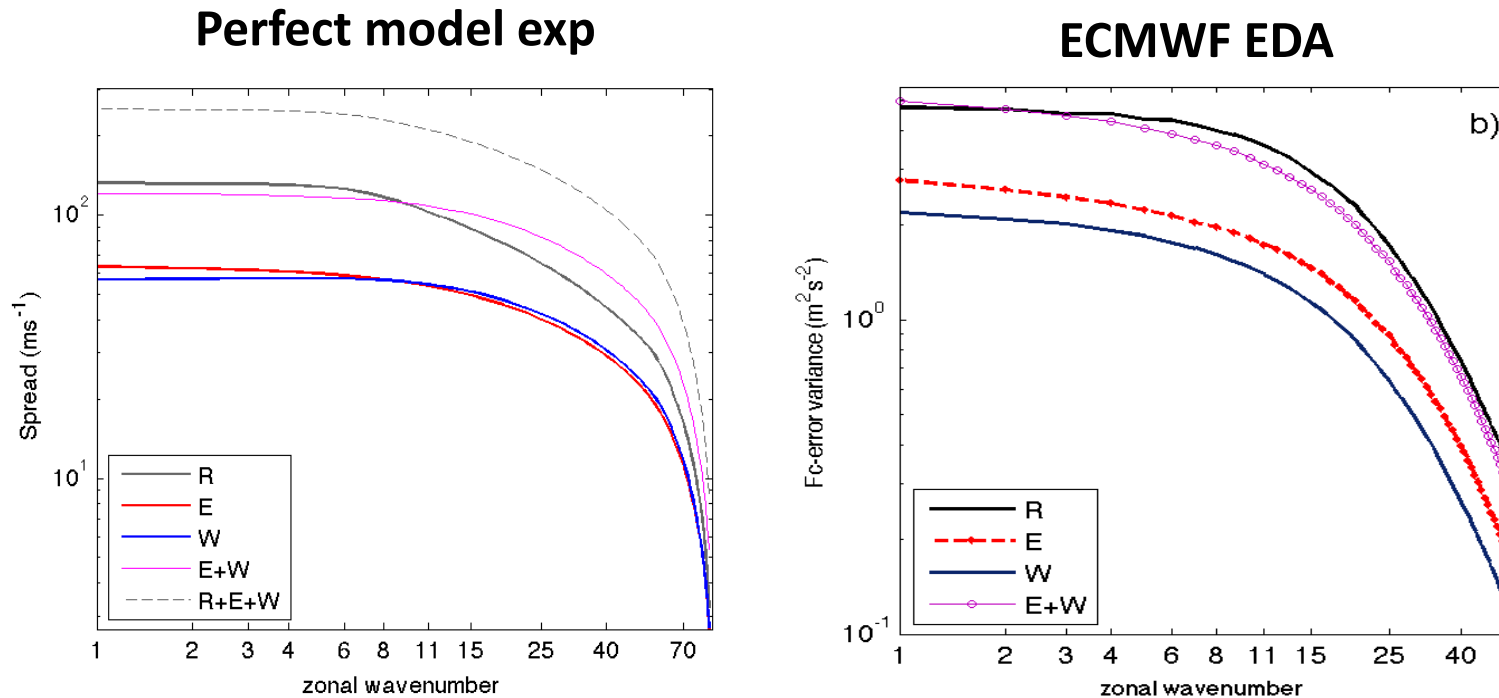
- Ensemble spread in +12-hr fc zonal wind (m/s) along the latitude circle
- 3-month long experiment with a perfect model
- 12-hour EnKF data assimilation

Short-range global forecast uncertainties in the perfect-model framework



Distribution of the short-term forecast uncertainties derived from the perfect-model ensemble looks similar to that in NWP systems. The largest variance is in synoptic scales in balanced modes and in the large-scale Kelvin wave

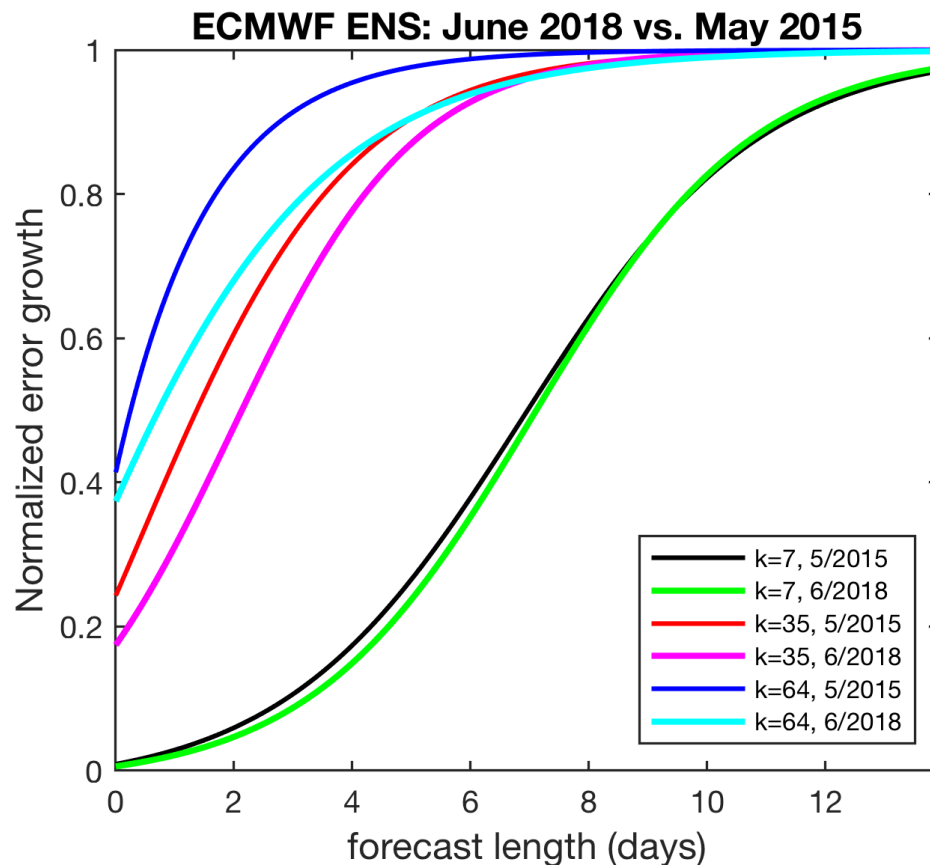
Short-range global forecast uncertainties in the perfect-model framework: 1D spectra



Data assimilation is not efficient in reducing the tropical large scale spread, not even in the perfect model framework

Possible implications for global predictability

Recent improvements in predictability



ECMWF ENS progress comparison between May 2015 and June 2018

k=7, 2015, 2018
60% predictability limit reached at 7.8 and 7.9 days

k=35, 2015, 2018
60% predictability limit reached at 2.6 and 3.3 days

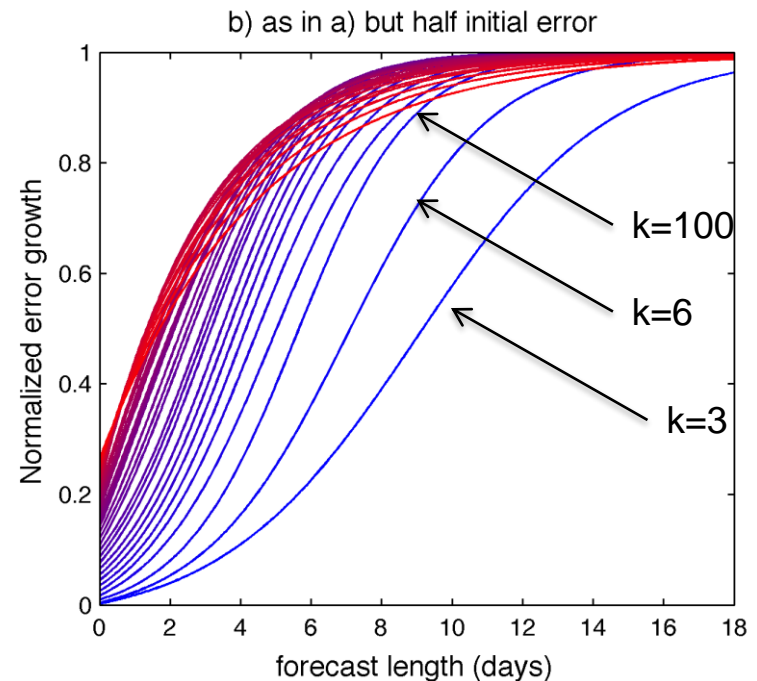
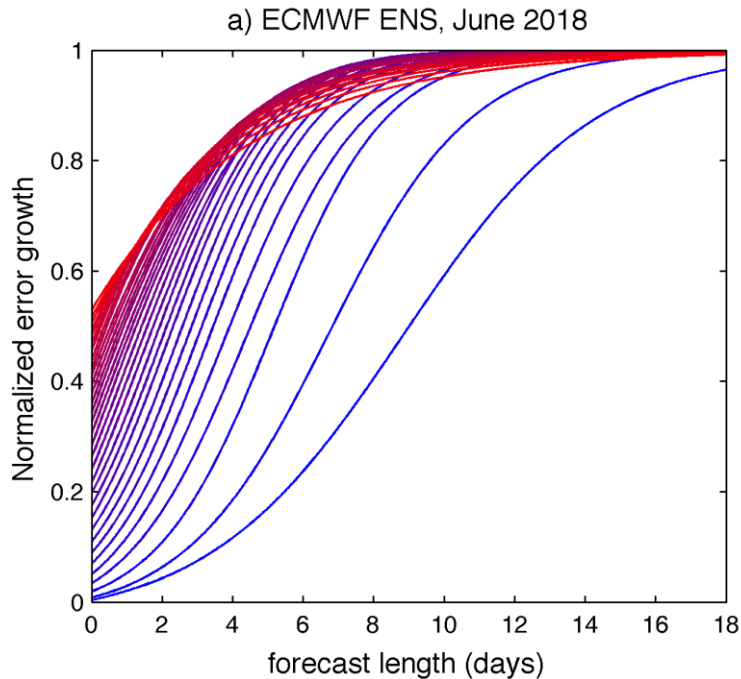
k=64, 2015, 2018
60% predictability limit reached at 0.5 and 1.2 days

Errpr variances normalized by Emax

Fitting method of Žagar et al., 2017, Tellus

On the global predictability limits

same data (June 2018 ENS), 50% smaller analysis-error variances



- Little predictability gain in synoptic waves (+0.3 days for $k=7$)
- But, $k=100$ would have the same predictability at day 2 as now $k=40$, and $k=70$ would have the same predictability at day 1 as now $k=43$

Summary

Dynamics:

Perturbations in tropical heating across many spatio-temporal scales influence the global circulation and climate. For heating perturbations resembling MJO, the max response is found in different wavenumbers for different phases => Implications for NWP

Data assimilation:

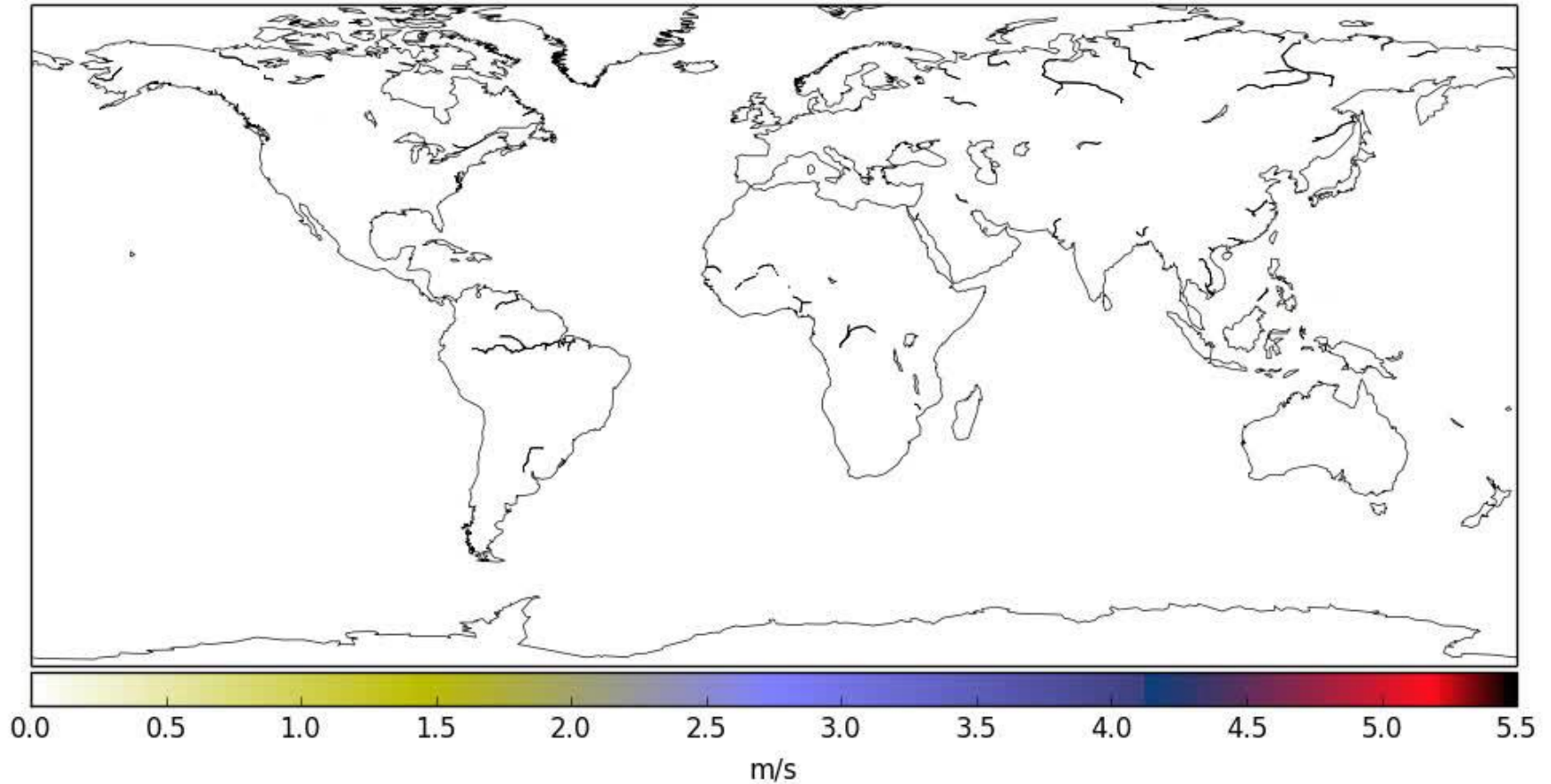
Largest analysis uncertainties and largest growth of forecast uncertainties during the first day are in the tropics. They are flow dependent. The uncertainties are on average largest on the largest scales and this applies even to the perfect model.

Predictability:

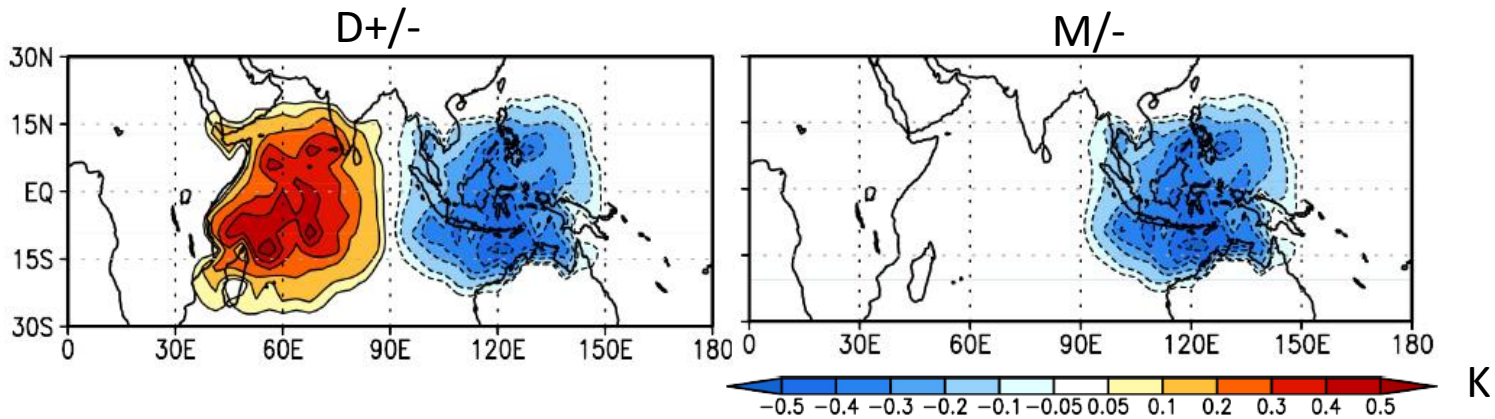
Possible implications for midlatitude day-to-day weather predictability are related to the downscale propagation of large-scale initial condition error and the propagation of tropical uncertainty impact to the extratropics

+12-hr forecast uncertainties (every 12-hr)

ZONAL WIND at 266 hPa
2008-08-01 00 UTC

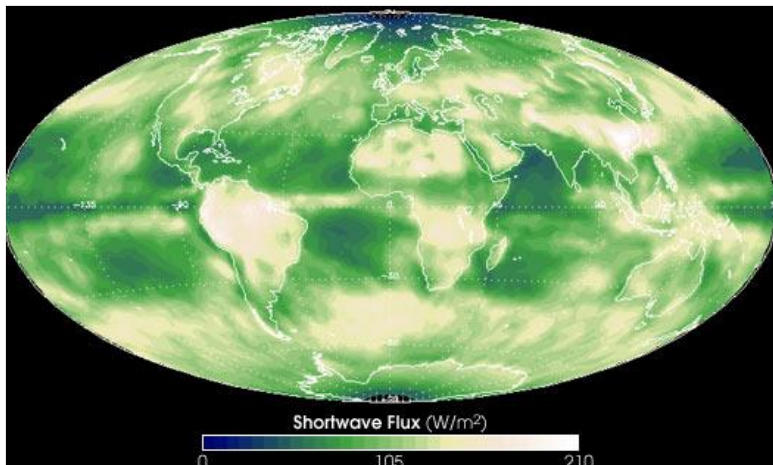


Tropical heating perturbations



Perturbations resembling different phases of MJO

Vertical profile of a deep heating with max in the middle troposphere



Outgoing longwave radiation
March 2000 mean
NASA

*Kosovelj et al.,
J. Atmos. Sci., May 2019*

NMF expansion: horizontal expansion functions

HSFs are pre-computed for a given number of vertical modes, M

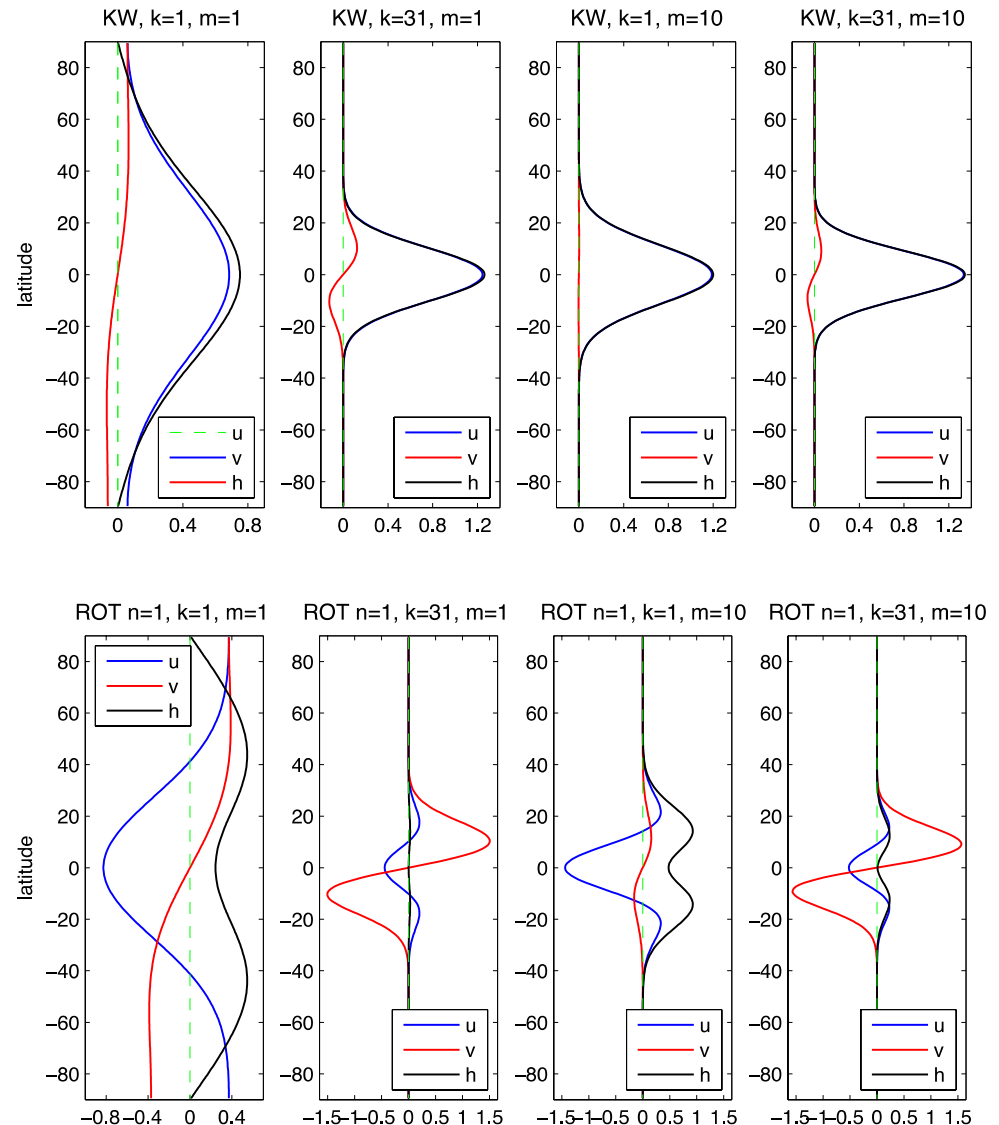
For every $m=1, \dots, M$, i.e. for every D_m

Meridional structure for Hough functions is computed for a range of the zonal wavenumbers K ,

$k=-K, \dots, 0, \dots, K$

and a range of meridional modes for the balanced, N_{ROT} , a range of EIG, N_{EIG} , and a range of WIG, N_{WIG} , modes.

$$R = N_{ROT} + N_{EIG} + N_{WIG}$$



Scale decomposition of ensemble forecasts

Modal decomposition using the 3D orthogonal normal mode functions
 Statistics in modal space (MODES software)

Computation of the ensemble variance (J. Atmos. Sci., 2015):

$$\overline{\left(S_n^k(m) \right)^2} = \frac{1}{P-1} \sum_{p=1}^P \overline{g D_m \left(c_n^k(m; p) \right)^2} \quad \text{Specific modal variance } \Sigma^2$$

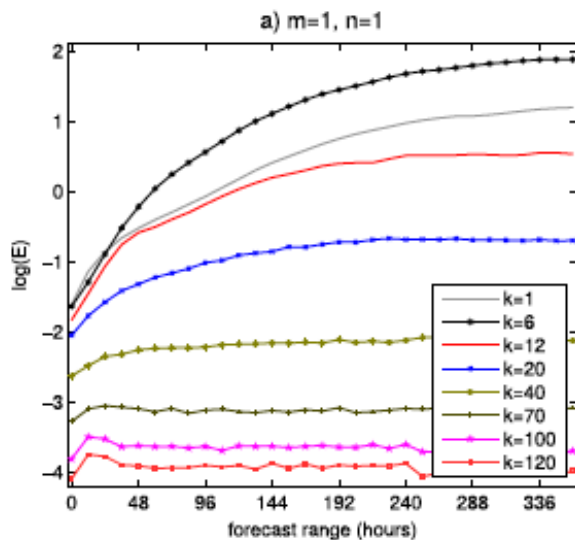
$$\overline{\left(S_n^k(m) \right)^2} \quad \text{Is equivalent to} \quad \overline{S^2(l_i, j_j, m)}$$

$$S^2(l_i, j_j, m) = \frac{1}{P-1} \sum_{p=1}^P \left(u_p^2(l_i, j_j, m) + v_p^2(l_i, j_j, m) + \frac{g}{D_m} h_p^2(l_i, j_j, m) \right)$$

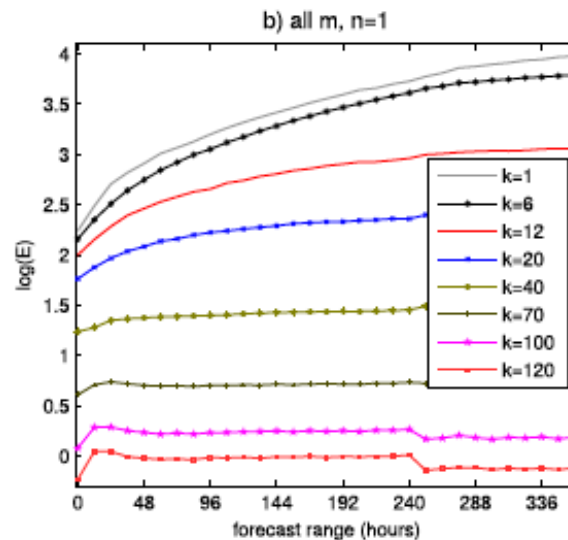
specific variance in physical space \mathbf{S}^2

Different time scales of the error growth

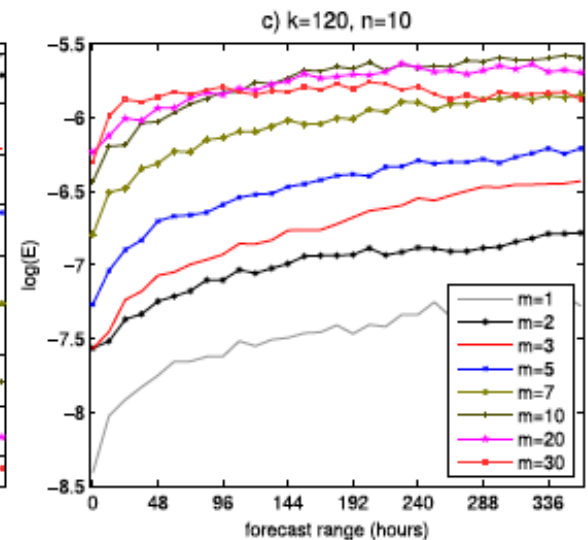
- a rapid growth and an apparent saturation of of errors in smaller spatial scales early in the forecast range,
- a slowly evolving component of error throughout the forecast range,
- uniformly distributed large-scale errors across the spectrum



Growth in different waves
(zonal wavenumber),
Integrated vertically and
meridionally



Growth in different waves
in barotropic mode,
integrated meridionally

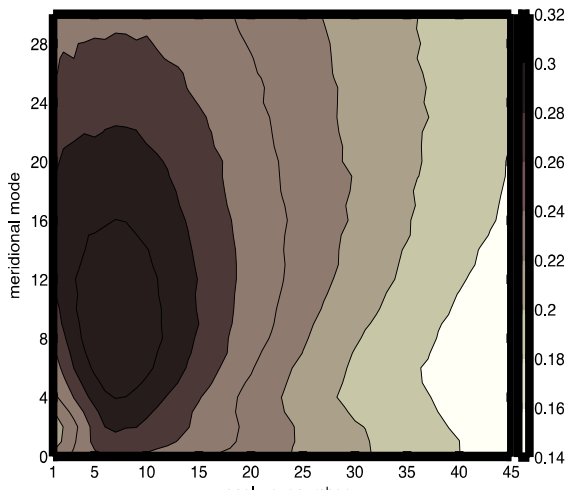


Growth at small scales in
midlatitudes for
different vertical depths

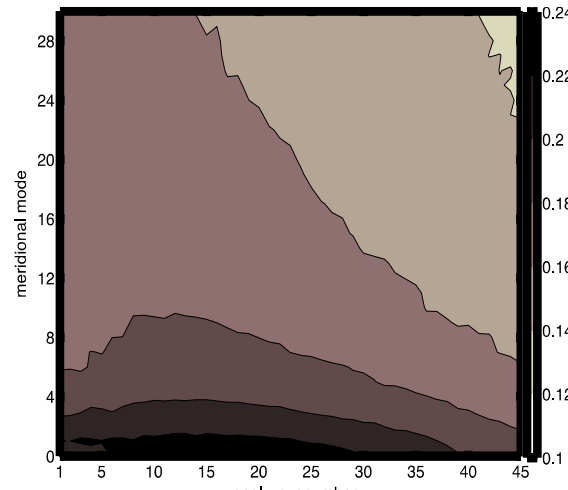
Data assimilation efficiency

$$\text{Efficiency} = (\text{po} - \text{pr}) / \text{pr}$$

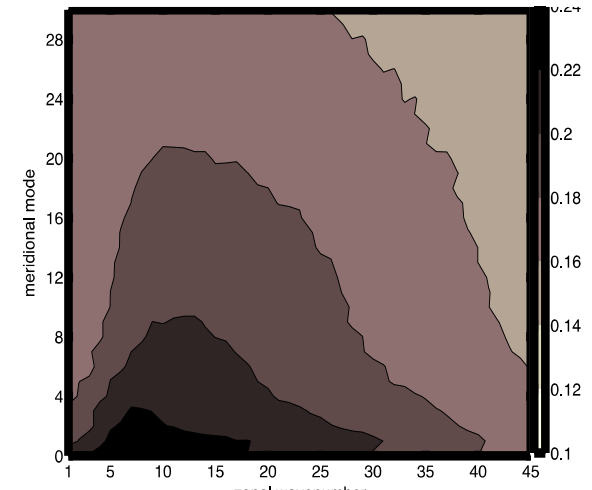
ROSSBY



EIG



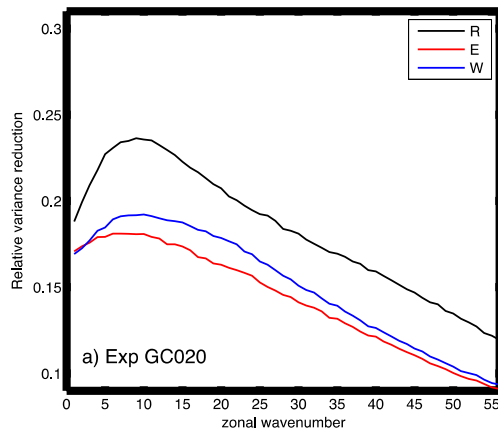
WIG



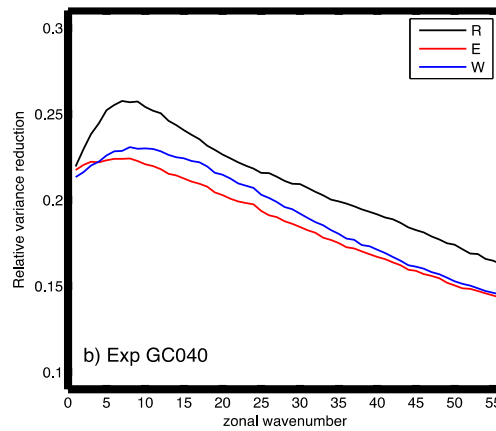
The assimilation is most efficient in synoptic scales,
for both balanced and IG motions

Impact of the covariance localization radius

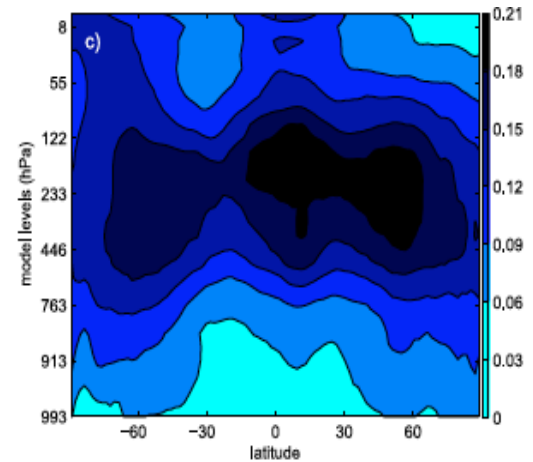
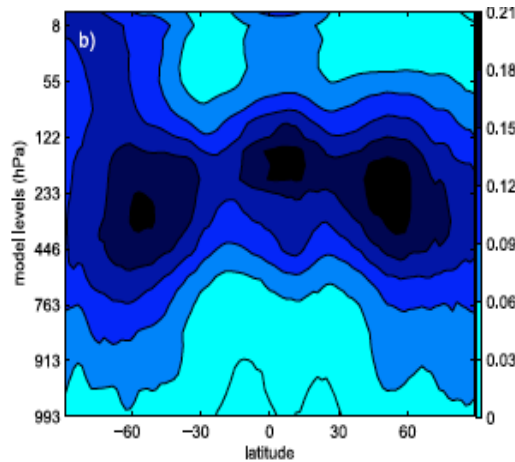
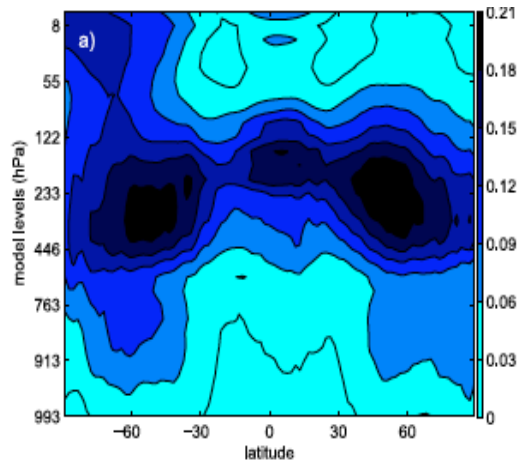
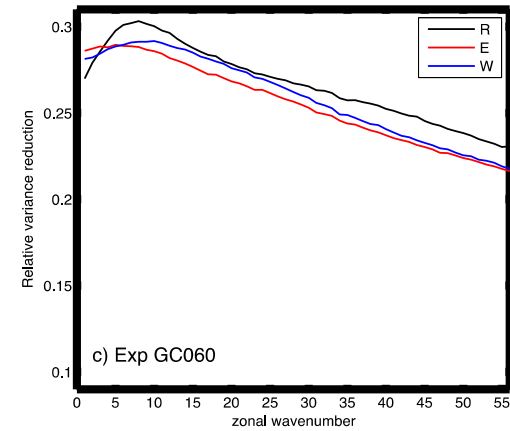
0.2 rad



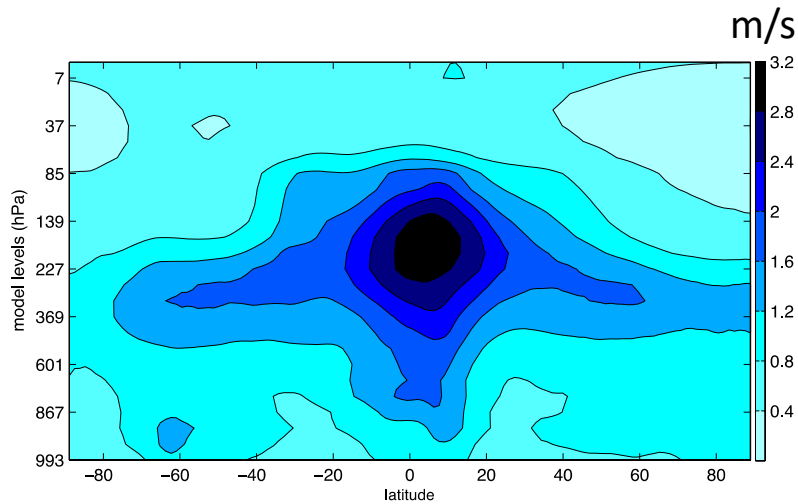
0.4 rad



0.6 rad



Zonally-averaged 12-hour forecast uncertainties in zonal wind



Spread of 12-hr forecast ensemble
3-month average
Spectral forecast model, T85

Impact of the localization radius for data assimilation

